Higgs properties

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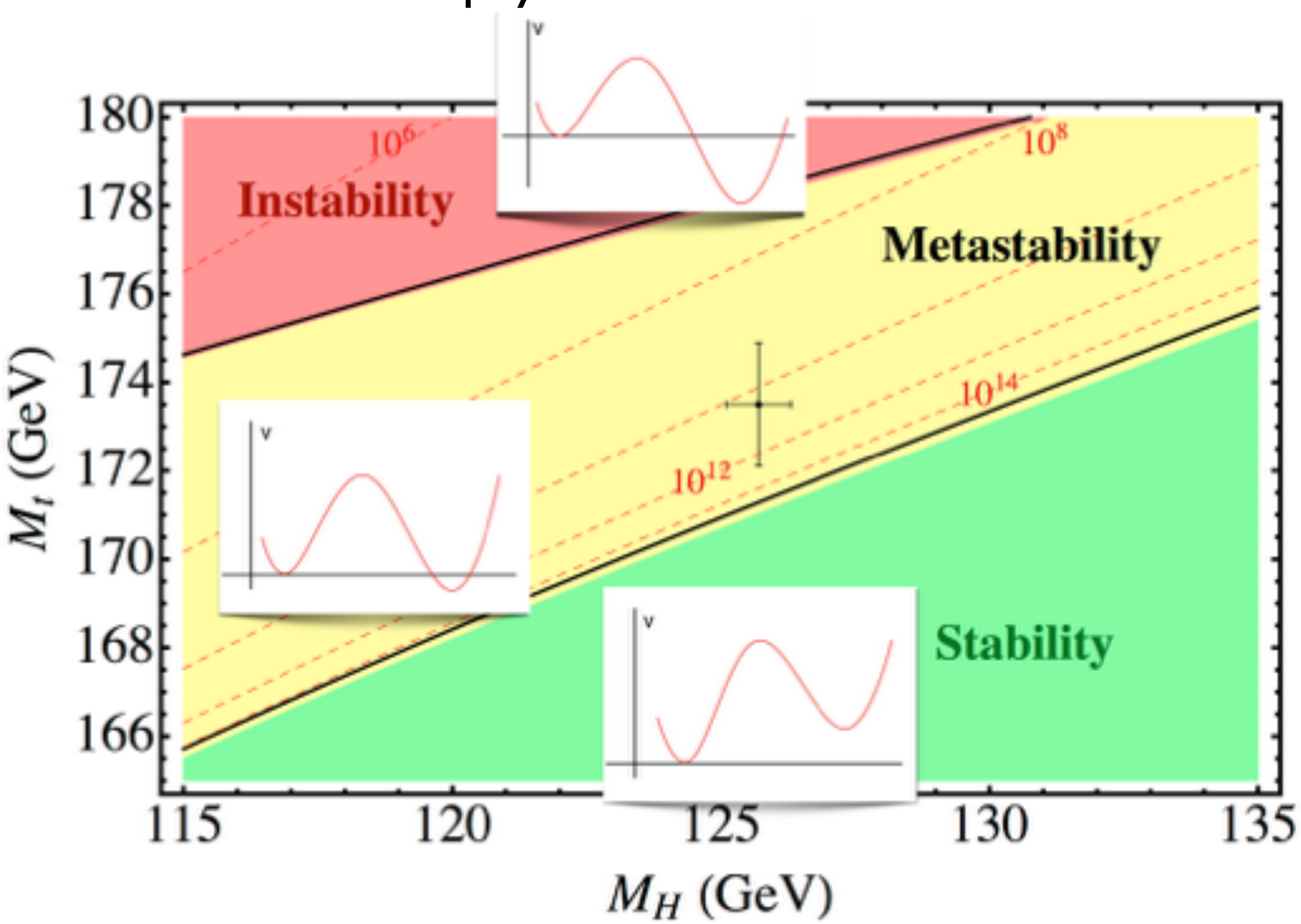
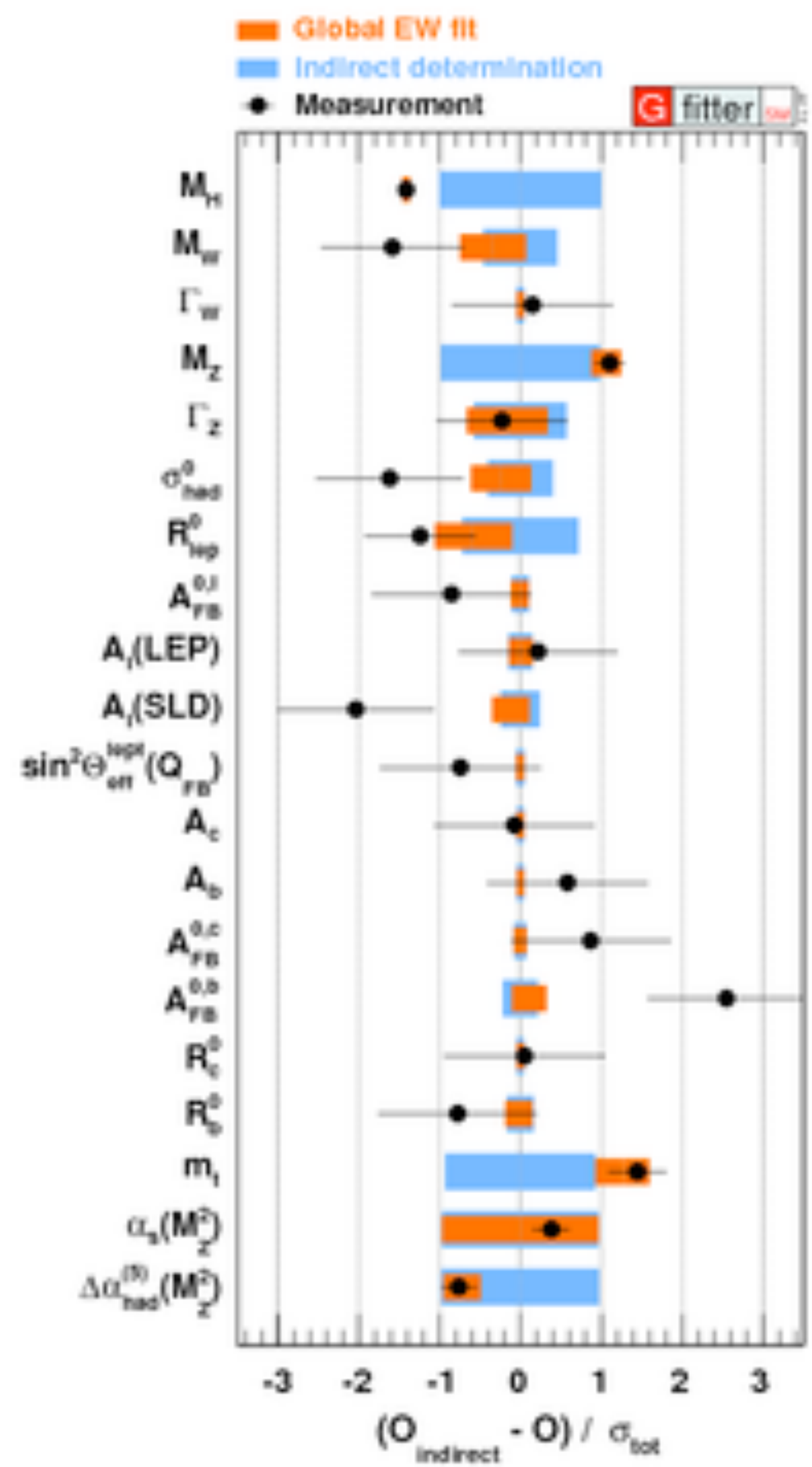
Why are we so obsessed with the Higgs?

- **Is the standard model (SM) really consistent?**
  - if the Higgs would be @ 300 GeV
    p-value for the SM would be ~3•10^{-5}
  - how fined-tuned are the corrections to the mass?
  - is the vacuum generated by the Higgs field stable?
  - is it related to BSM physics?





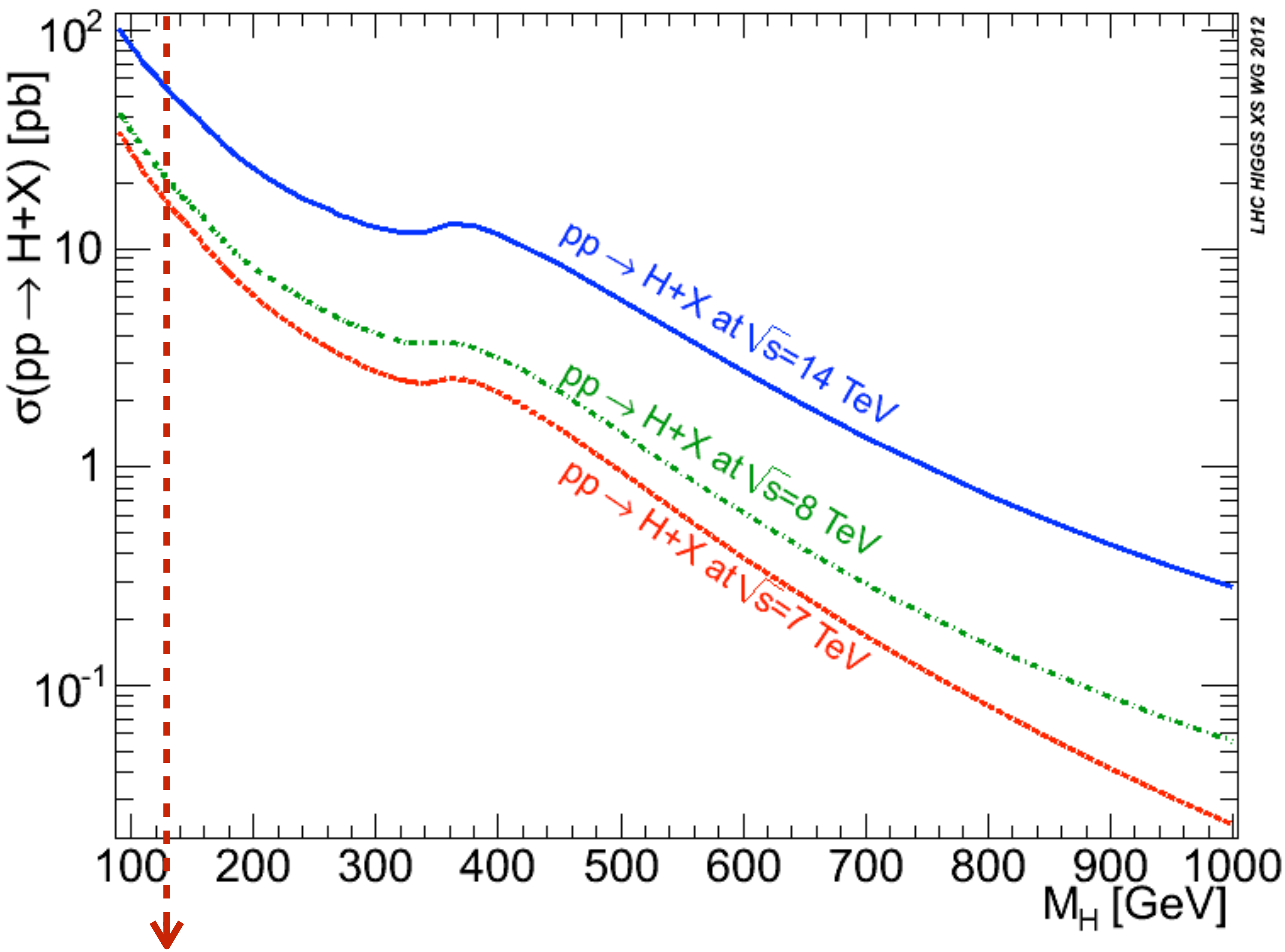
see more details in R. Gonçalo - Higgs lecture #1 - link

Outline

- From rates to couplings
- Models, properties, and interpretation
- Results: mass, charge, spin and parity, couplings
- Case study: bounding the Higgs width
- Conclusions

From rates to couplings

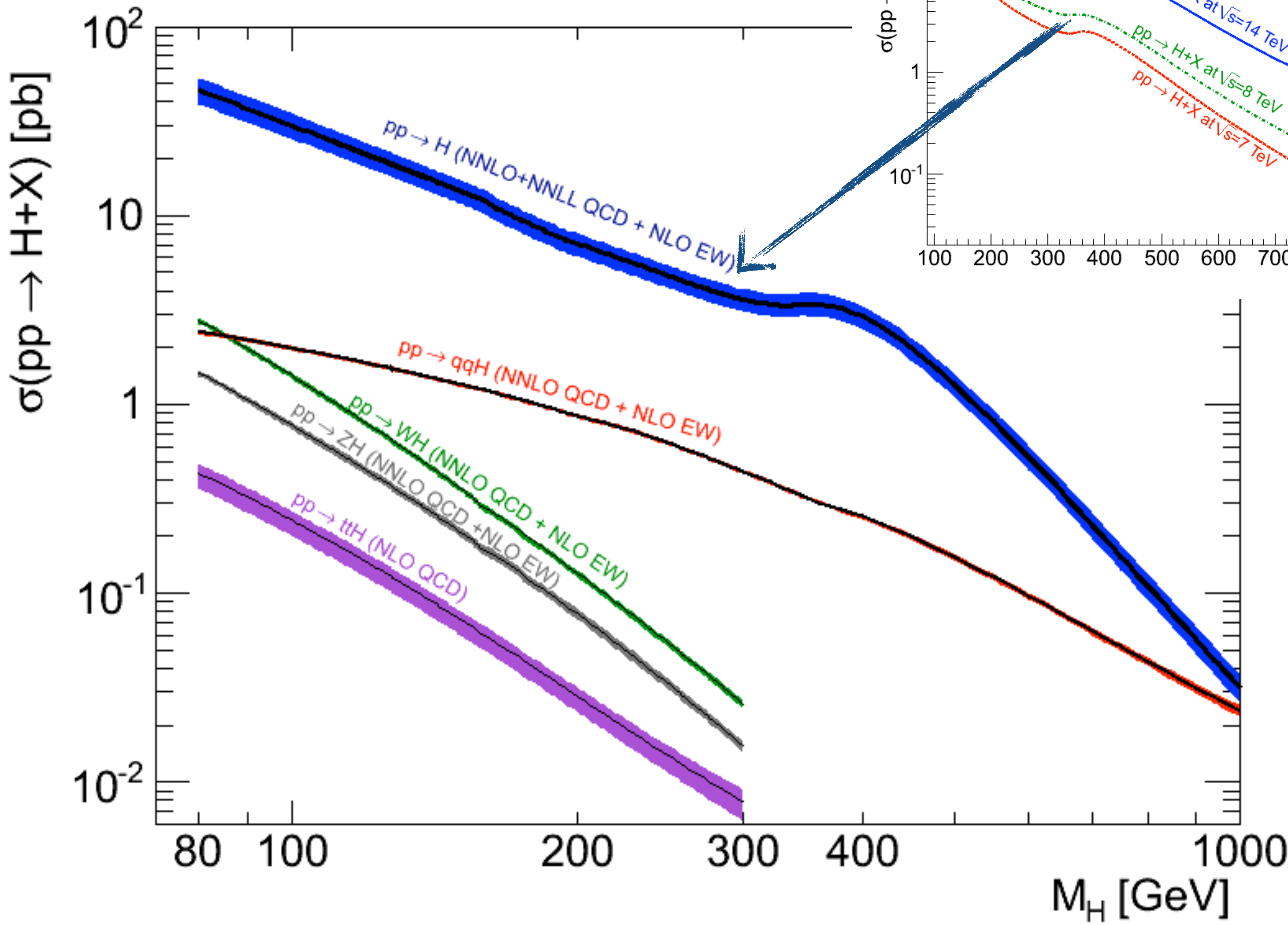
Higgs production at hadron colliders I

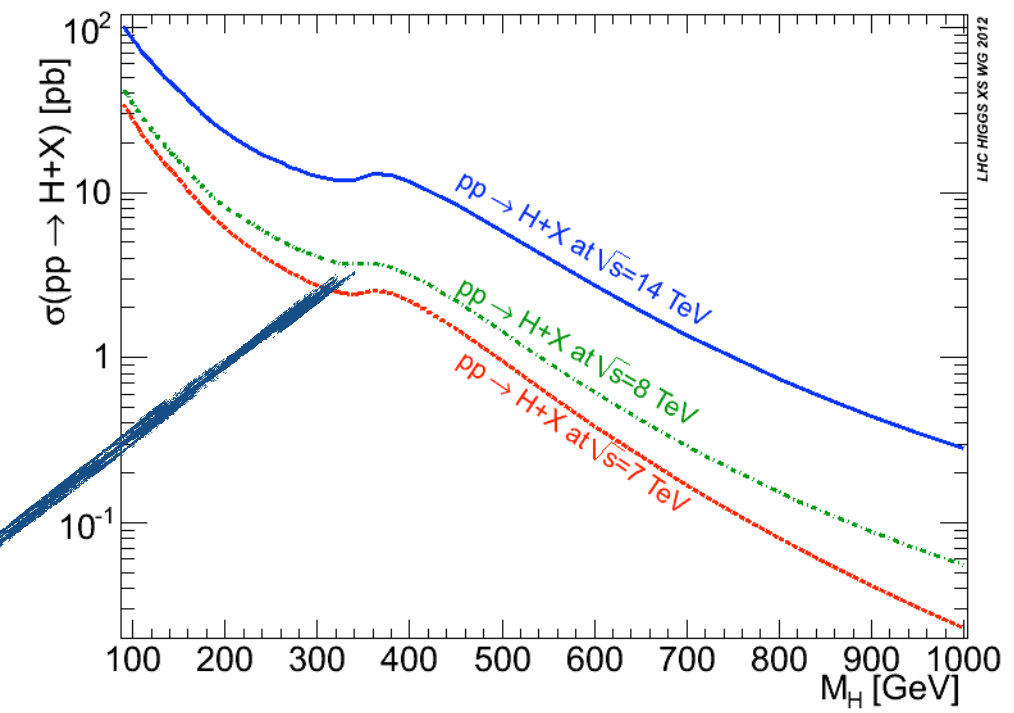


- The **inclusive Higgs production** is at the level of **20 pb** (60 pb) **at 8 TeV** (14 TeV)

Higgs production at hadron colliders II

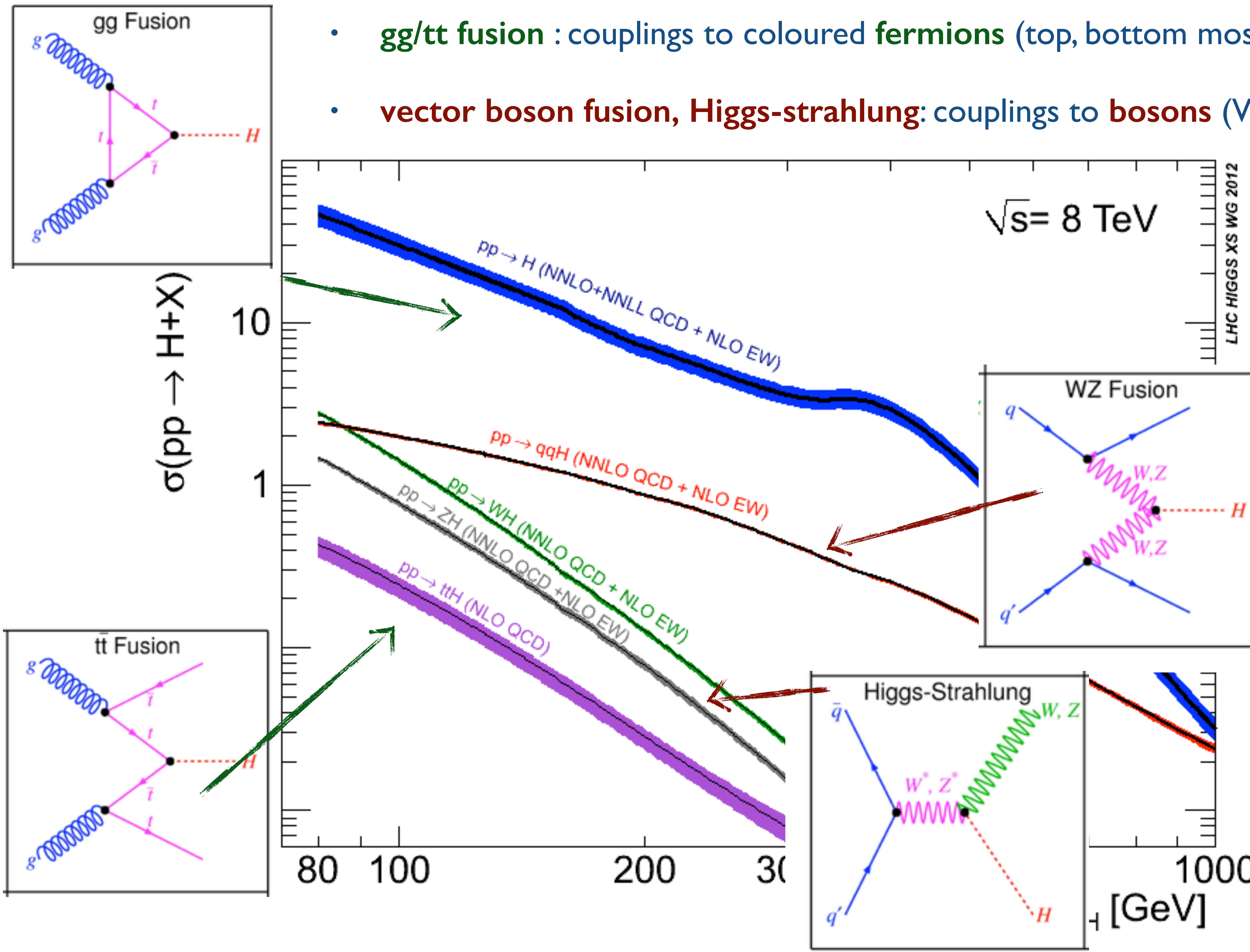
- The **main contribution** comes from **gluon-gluon fusion**





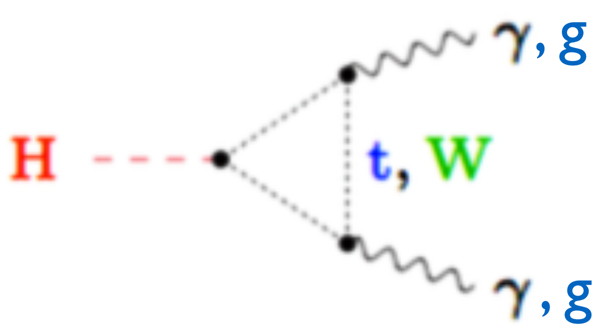
Higgs production at hadron colliders III

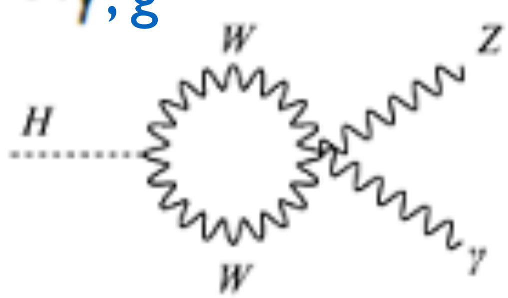
- **gg/tt fusion** : couplings to coloured **fermions** (top, bottom mostly)
- **vector boson fusion, Higgs-strahlung**: couplings to **bosons** (W, Z)

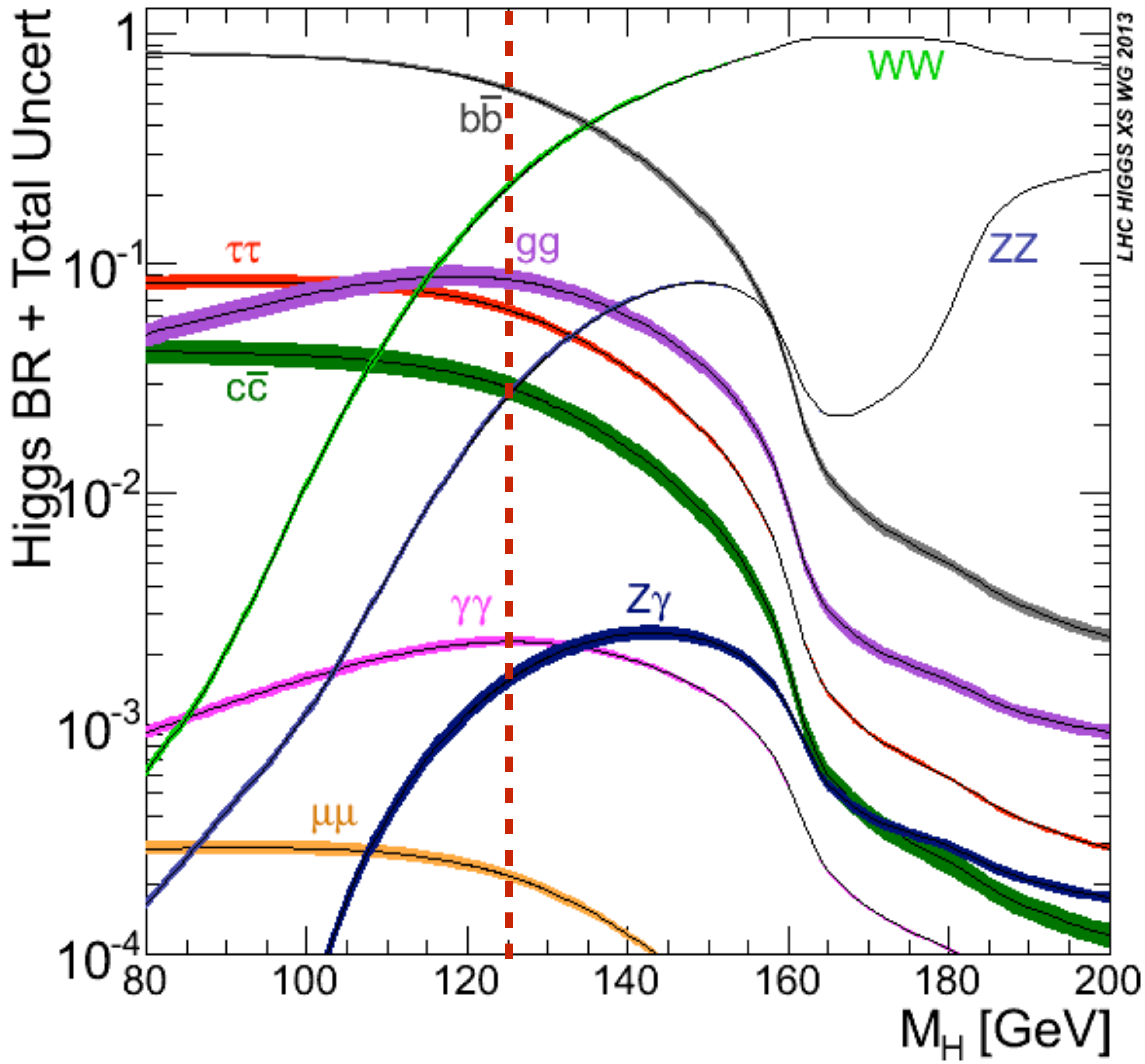


Higgs decays

- Couplings and kinematics determine the branching ratios
- **Prefer bb, ττ, WW final states** (most massive)
- Decays to gluons and photons
  - possible through loops





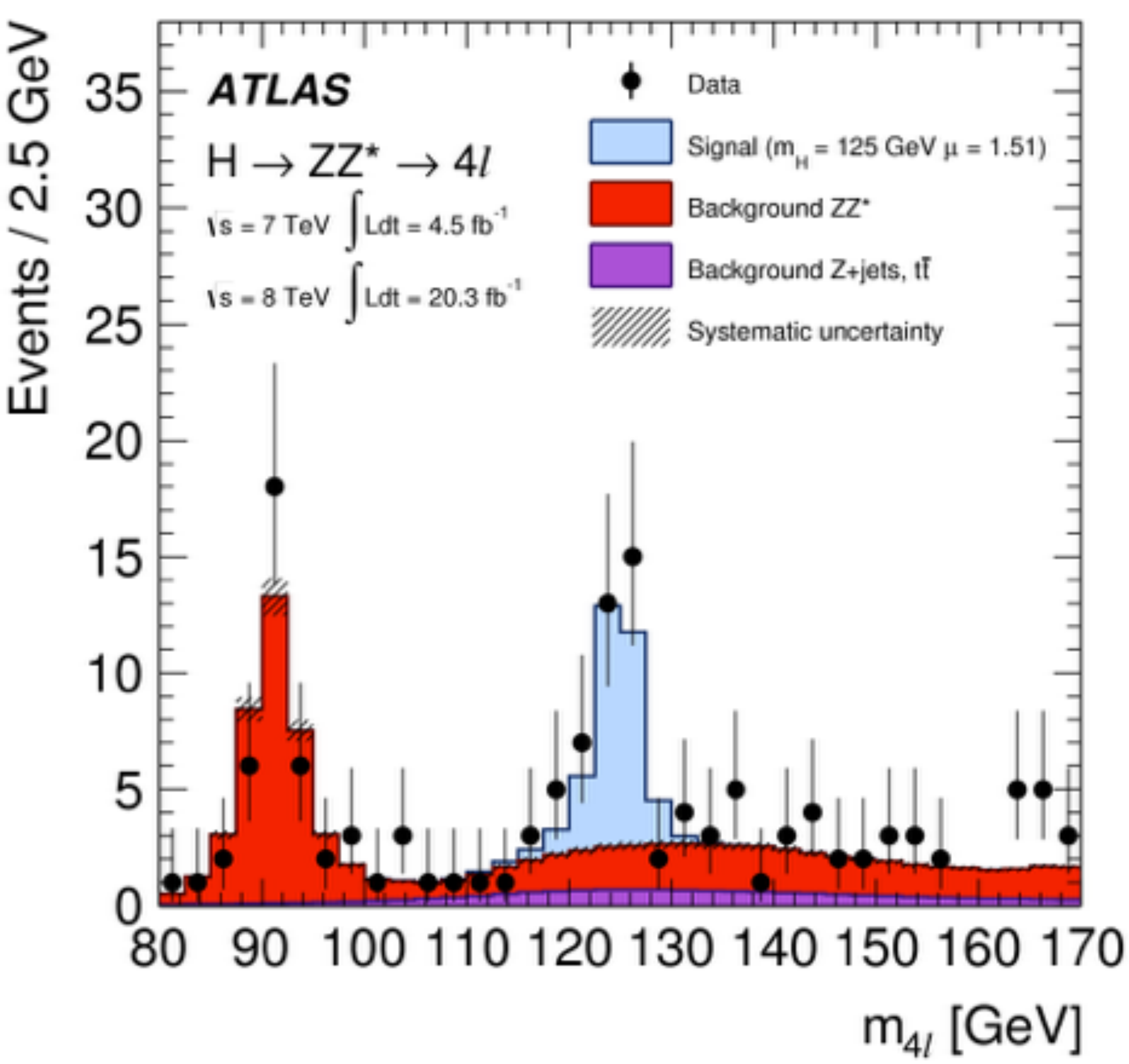


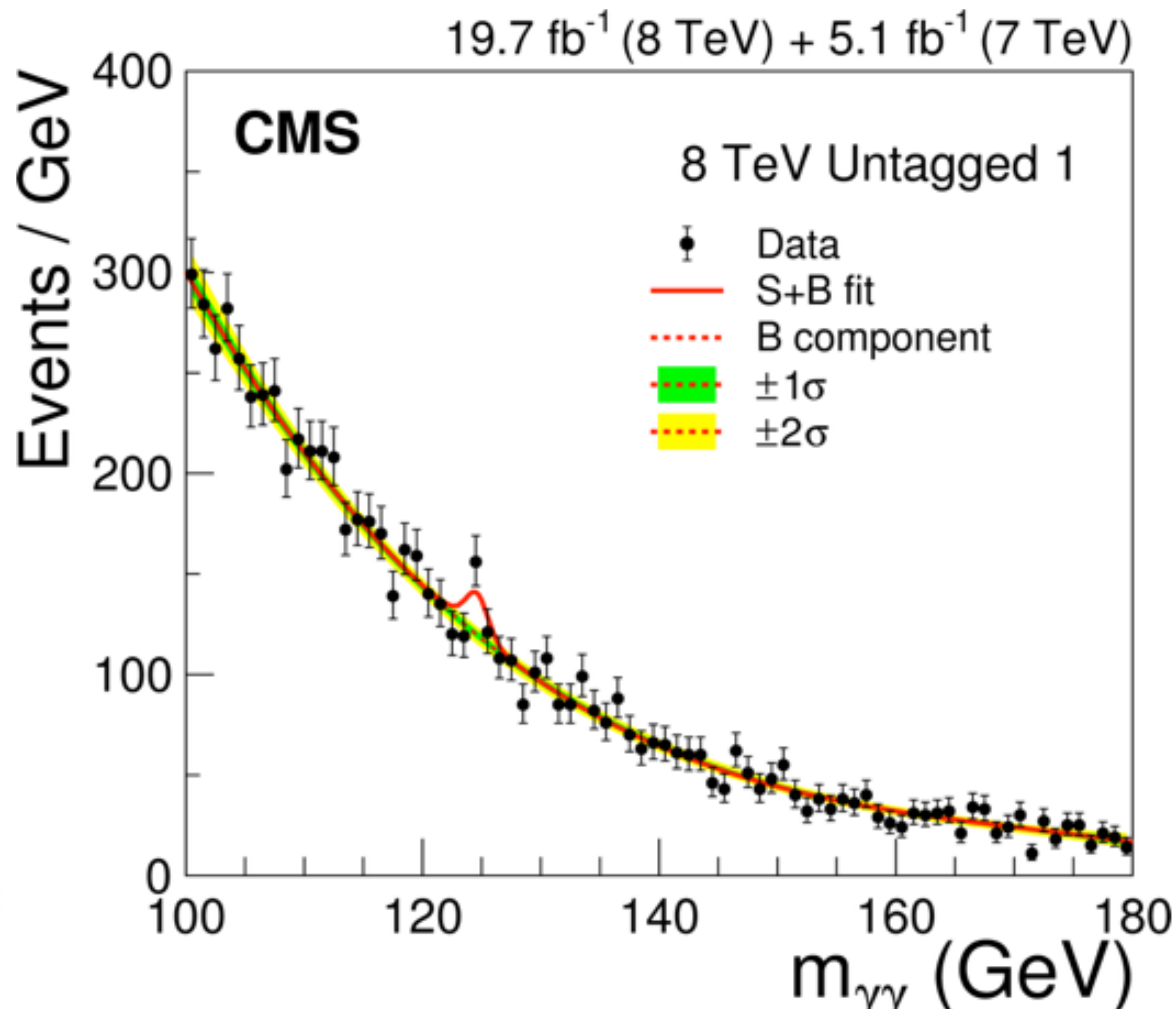
  - dominated by tops and/or W's

…and possibly new physics?

Signals

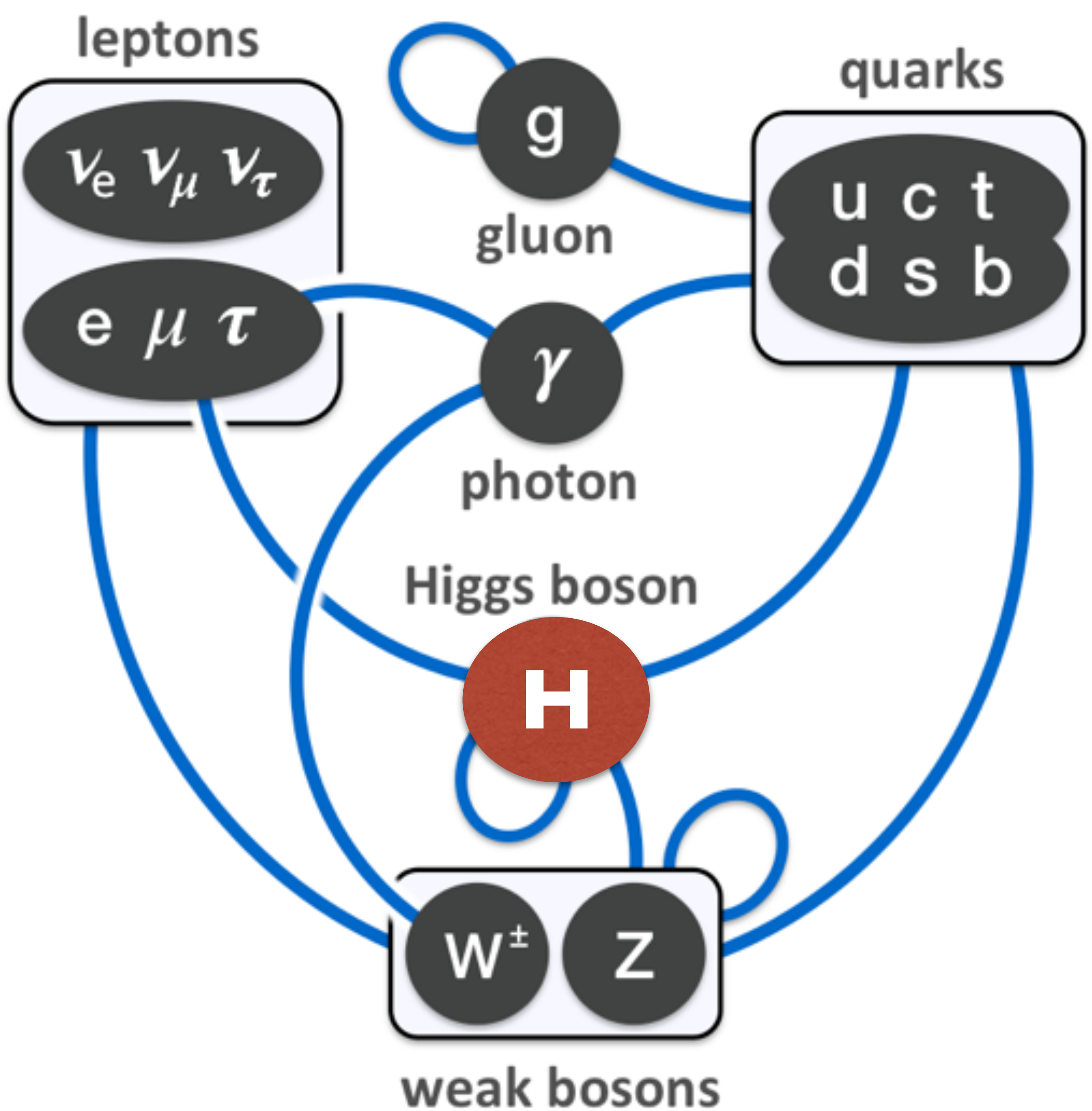
- Our experiments **count events.**
- **Backgrounds are estimated from data or simulation.**
- The **remainder is the signal** ⇒ can be compared to theory.





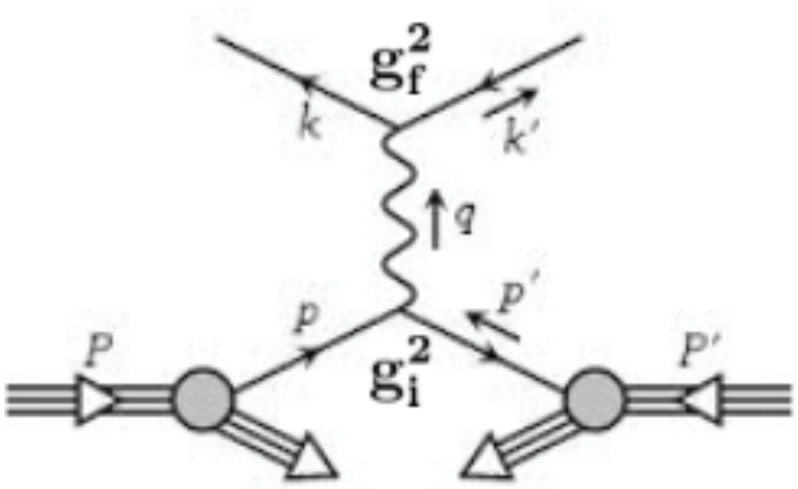
Signals, couplings

- The Higgs gives mass to fermions and vector bosons
- Different couplings at production and decay
- Can we disentangle them?



Signals, couplings and width

- The observed production rate holds, as well, information on the total width Γ
  - depends on the propagator and the couplings of a particle



$$\sigma \propto \int \frac{g_i^2 \cdot g_f^2}{(s - m_0^2)^2 + \Gamma^2 m^2} ds$$

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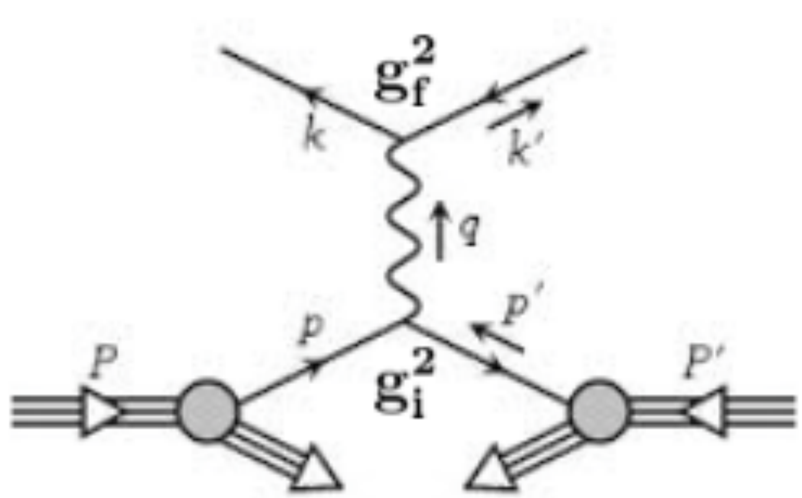
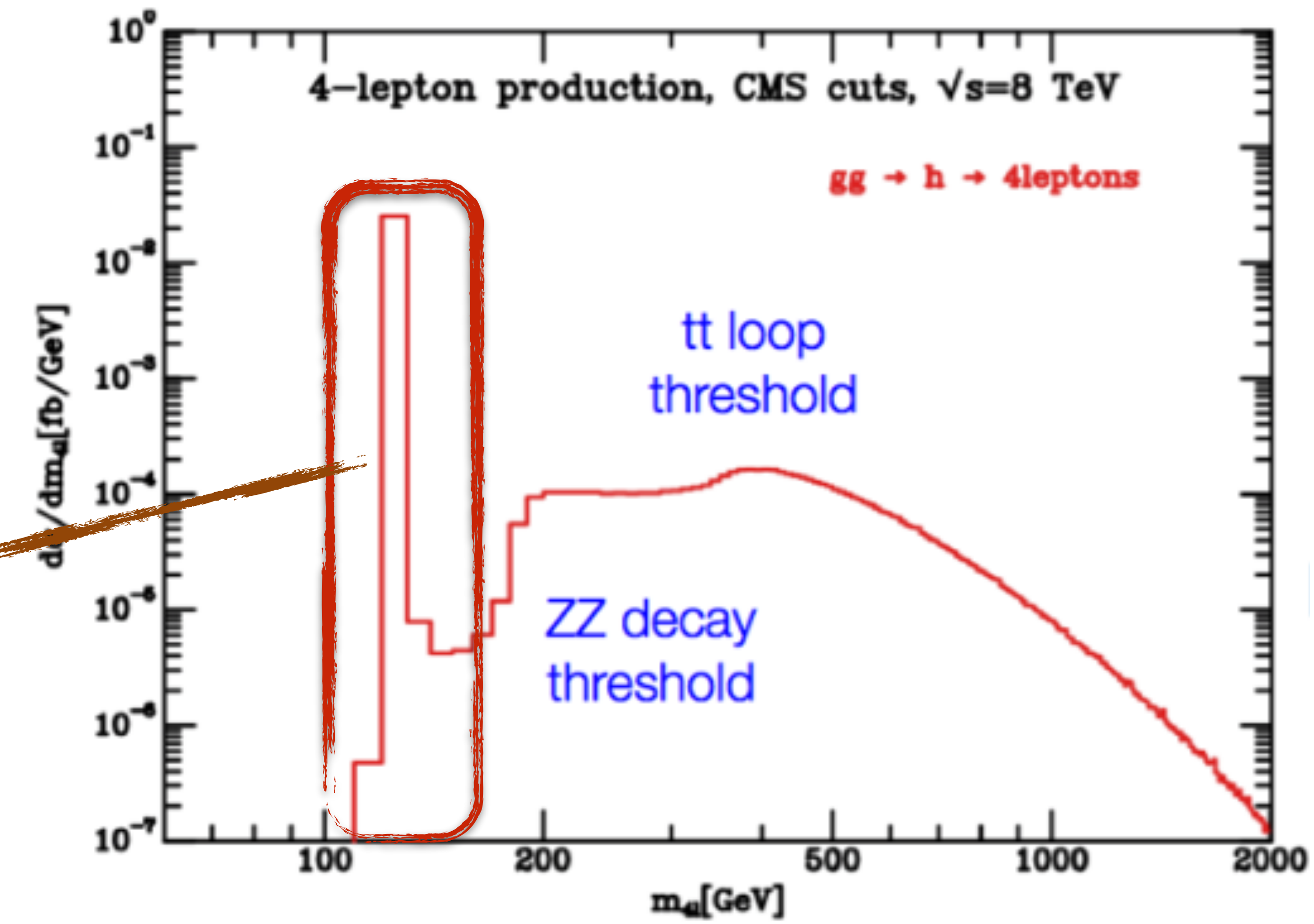


$$\sigma_{\text{on-shell}} \propto \frac{g_i^2 \cdot g_f^2}{\Gamma}$$



- **On-shell production**
  - lineshape often limited by detector resolution
  - knowing the branching ratios and the cross section determines Γ

Signals, couplings and width

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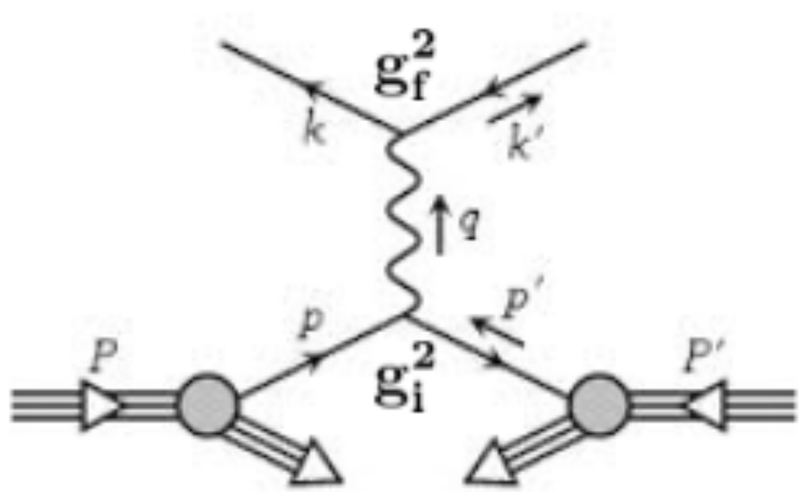
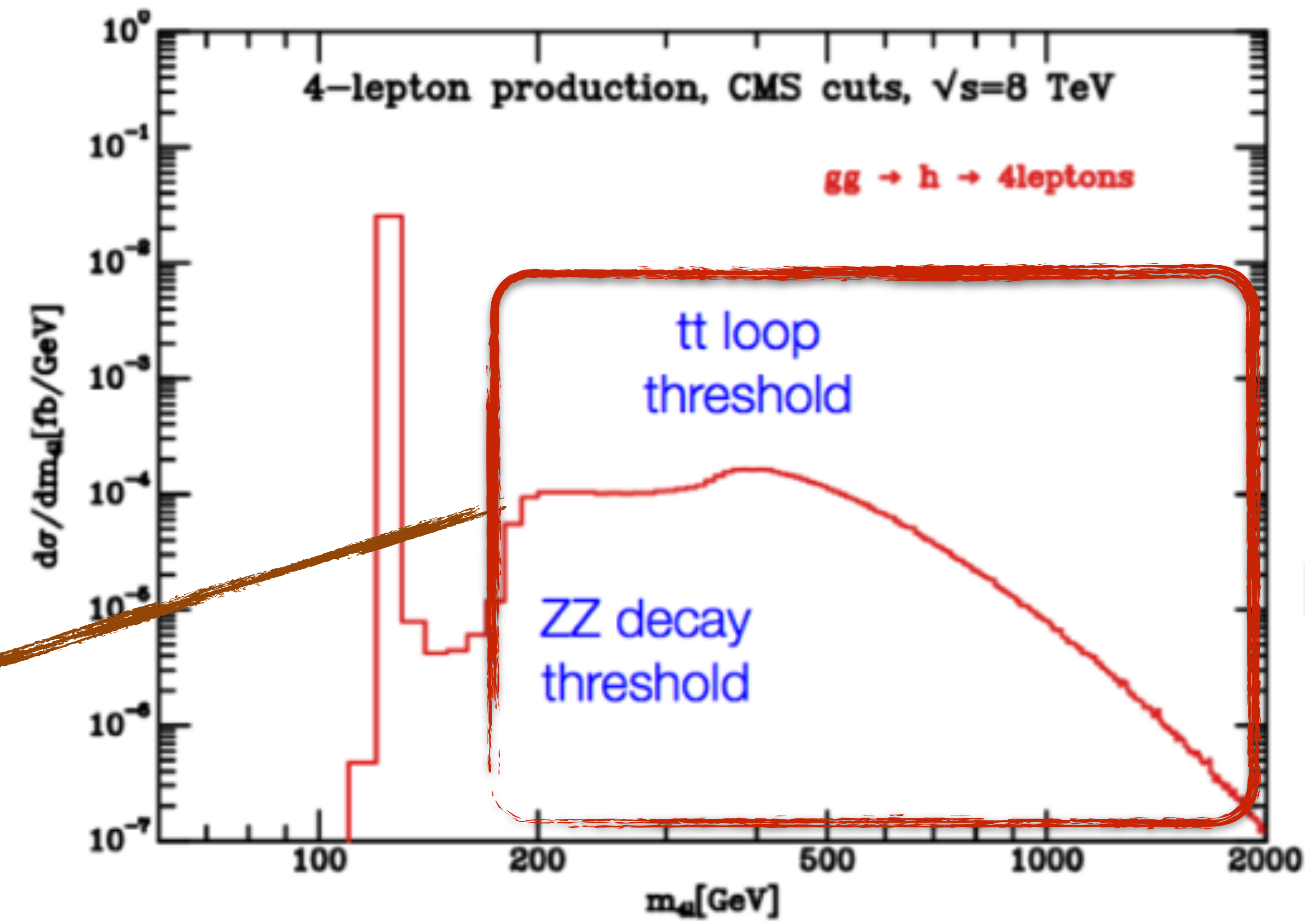


$$\sigma_{\text{on-shell}} \propto \frac{g_i^2 \cdot g_f^2}{\Gamma}$$

$$\sigma_{\text{off-shell}} \propto g_i^2 \cdot g_f^2$$



- **Off-shell production**
  - depends only on couplings
  - take the ratio of the two cross sections to measure Γ

$$\frac{\sigma_{\text{off-shell}}}{\sigma_{\text{on-shell}}} \propto \Gamma$$

Models, properties, and interpretation

First things first : how do we convert a signal rate to couplings?

$$n_{\text{signal}}(k) = \mathcal{L}(k) \times \sum_i \sum_f \left\{ \sigma_i \times A_i^f(k) \times \varepsilon_i^f(k) \times \mathrm{BR}^f \right\}$$

- **The expected signal rates in a given channel (k) depend on the**
  - integrated luminosity used for the analysis - $\mathscr{L}$
  - cross section - σ
  - branching ratio to the final state used in the analysis - BR
  - an overall selection efficiency factor A x ε which depends on the initial and final state

New physics can affect production

$$n_{\text{signal}}(k) = \mathcal{L}(k) \times \sum_i \sum_f \left\{ \sigma_i \times A_i^f(k) \times \varepsilon_i^f(k) \times \text{BR}^f \right\}$$

- **Most Higgs production modes are precisely predicted by the standard model**
  - uncertainties range from 2-3% (EW productions like VH) to 10% (strong productions like ggH)

Production process	Cross section [pb] $\sqrt{s} = 7$ TeV	Cross section [pb] $\sqrt{s} = 8$ TeV	Order of calculation
ggF	15.0 ± 1.6	19.2 ± 2.0	NNLO(QCD)+NLO(EW)
VBF	1.22 ± 0.03	1.58 ± 0.04	NLO(QCD+EW)+APP.NNLO(QCD)
WH	0.577 ± 0.016	0.703 ± 0.018	NNLO(QCD)+NLO(EW)
ZH	0.357 ± 0.015	0.446 ± 0.019	NNLO(QCD)+NLO(EW)
ZH: $gg \to ZH$			LO(QCD)
bbH	0.156 ± 0.021	0.203 ± 0.028	5FS NLO(QCD) + 4FS NLO(QCD)
ttH	0.086 ± 0.009	0.129 ± 0.014	NLO(QCD)
tH	0.012 ± 0.001	0.018 ± 0.001	NLO(QCD)
Total	17.4 ± 1.6	22.3 ± 2.0	

- **New physics can alter the SM expectation : model with scale parameter**

$$\sigma_i = \mu_{\mathbf{i}} \cdot \sigma_{\text{SM}}$$

New physics can affect the decay

$$n_{\text{signal}}(k) = \mathcal{L}(k) \times \sum_i \sum_f \left\{\sigma_i \times A_i^f(k) \times \varepsilon_i^f(k) \times \mathrm{BR}^f\right\}$$

- The SM Higgs branching ratios are determined to 1-3% precision

Decay channel	Branching ratio [%]
$H \to b\bar{b}$	57.5 ± 1.9
$H \to WW$	21.6 ± 0.9
$H \to gg$	8.56 ± 0.86
$H \to \tau\tau$	6.30 ± 0.36
$H \to c\bar{c}$	2.90 ± 0.35
$H \to ZZ$	2.67 ± 0.11
$H \to \gamma\gamma$	0.228 ± 0.011
$H \to Z\gamma$	0.155 ± 0.014
$H \to \mu\mu$	0.022 ± 0.001

- Again new physics can modify these branching ratios: model with scale parameter

$$BR^f = \mu^{\mathbf{f}} \cdot BR_{\mathrm{SM}}$$

  - notice that new decay channels may appear e.g. BR(H → dark matter)

Couplings are measured from rates using signal strengths

Deviations are searched relative to the SM expectation.

Conclusions are only as good

as the accuracy and precision

of the numerator and denominator.

$$\mu = \frac{(\sigma \cdot \mathrm{BR})_{\mathrm{observed}}}{(\sigma \cdot \mathrm{BR})_{\mathrm{expected}}}$$

Production

Decay

μ is the so-called signal strength

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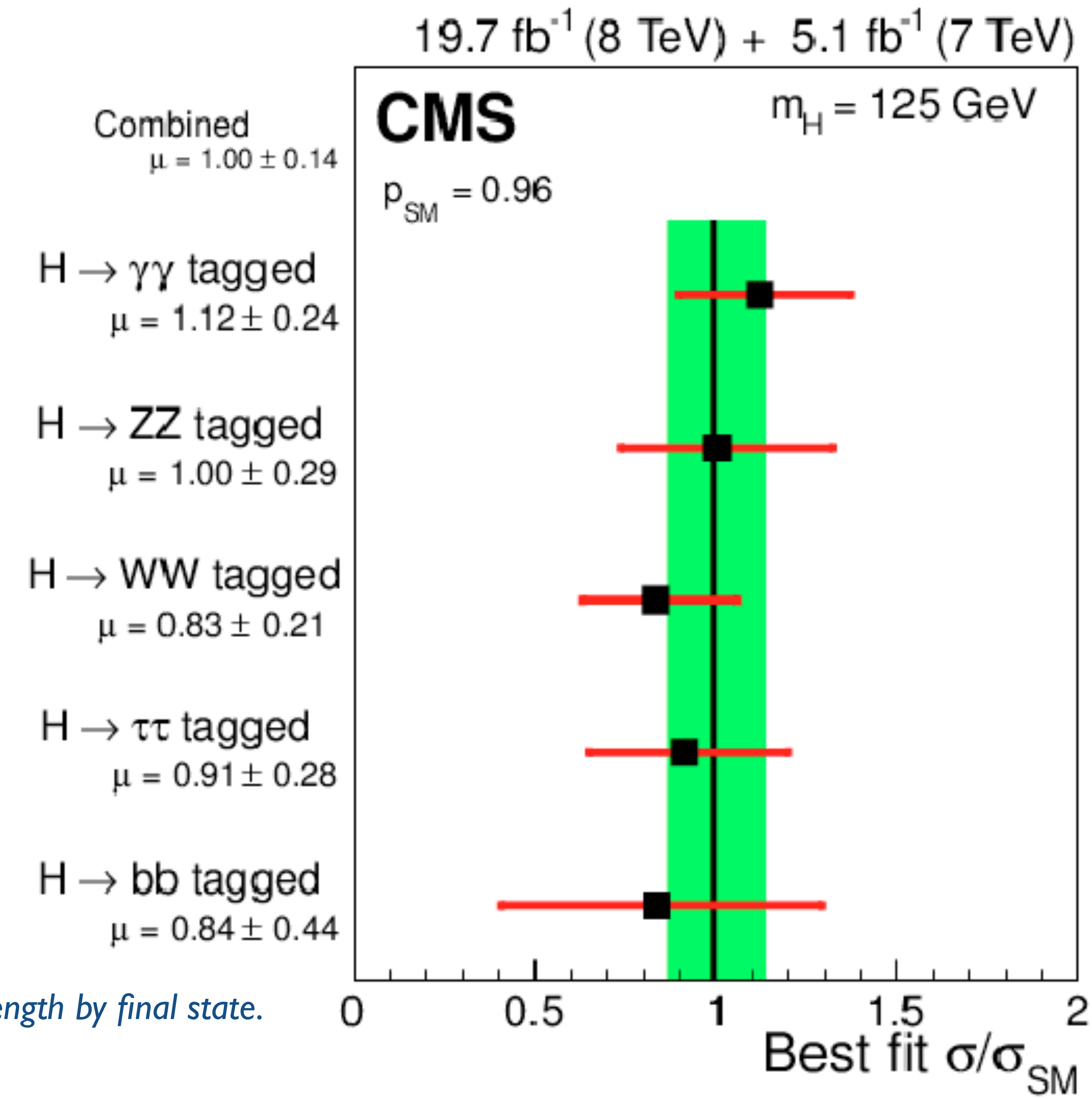
Data

Standard Model

μ is the so-called signal strength

- If the signal strength close to 1, observations are close to the SM predictions
- Compatibility with theory depends on the uncertainty
- Conclusion depends on both experimental and theoretical accuracies



Signal strength by final state.

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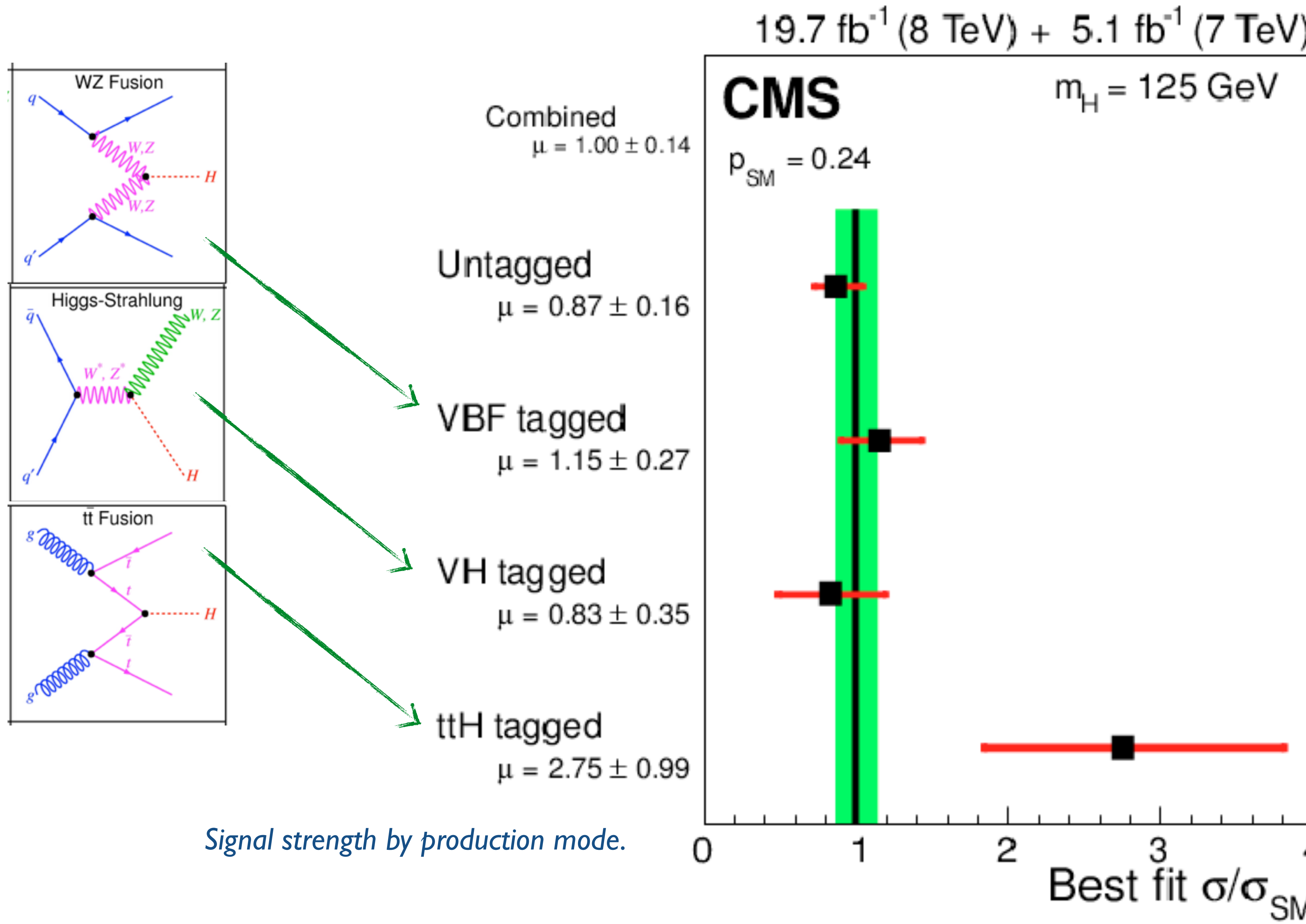


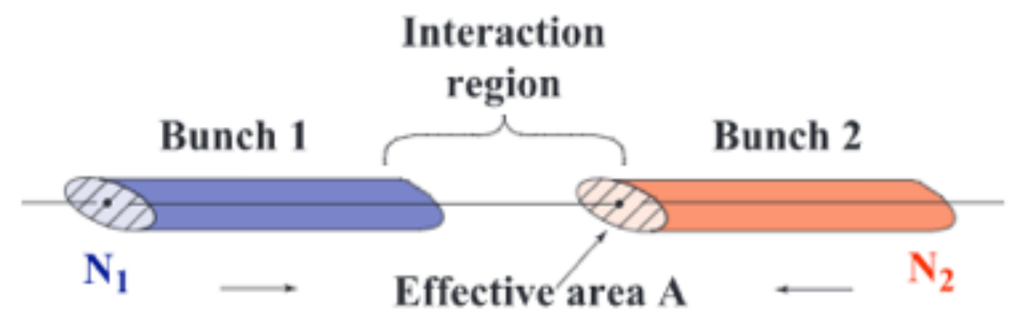
Signal strength by production mode.

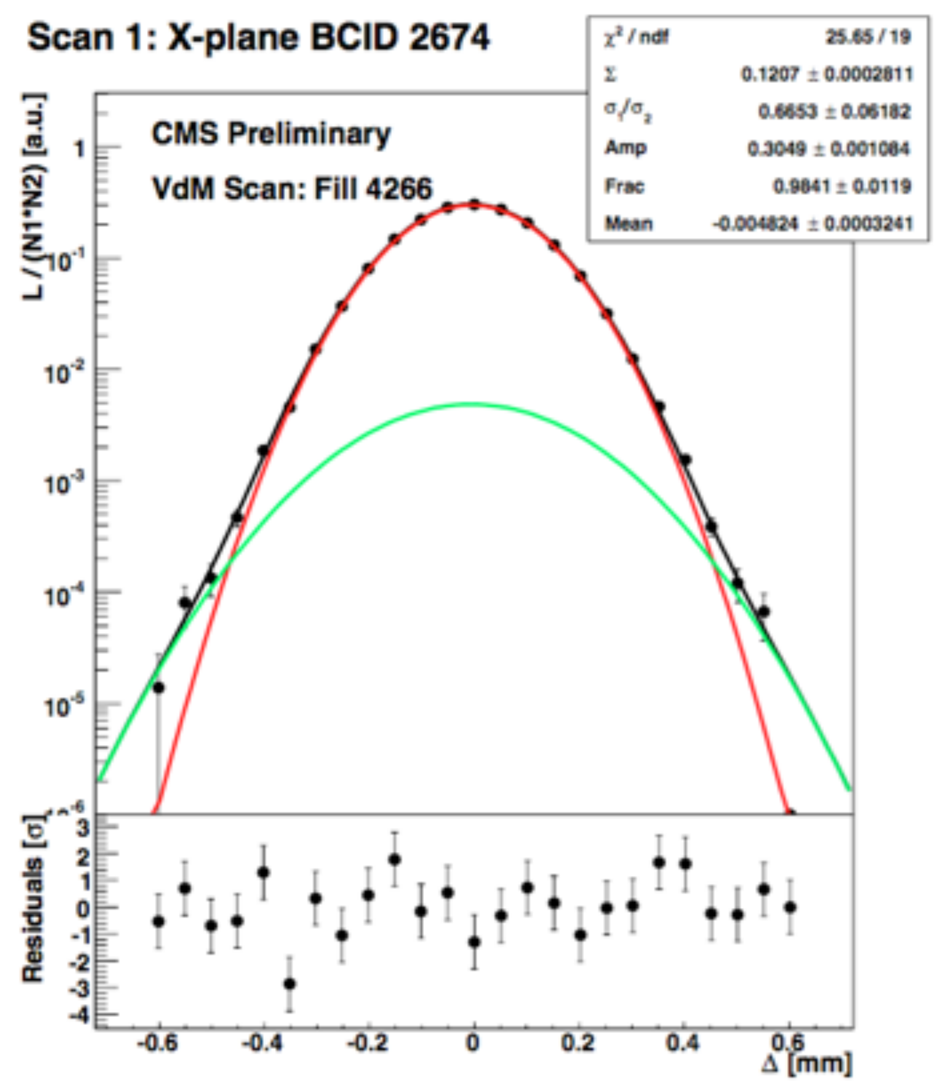
What about the other factors?

$$n_{\text{signal}}(k) = \mathcal{L}(k) \times \sum_i \sum_f \left\{ \sigma_i \times A_i^f(k) \times \varepsilon_i^f(k) \times \text{BR}^f \right\}$$

- Either they are fully <u>determined in data</u>
  - *Integrated luminosity ($\mathscr{L}$)* from Van-der-Meer scans

    see e.g. J. Varela - lecture #3 on standard model - <u>link</u>





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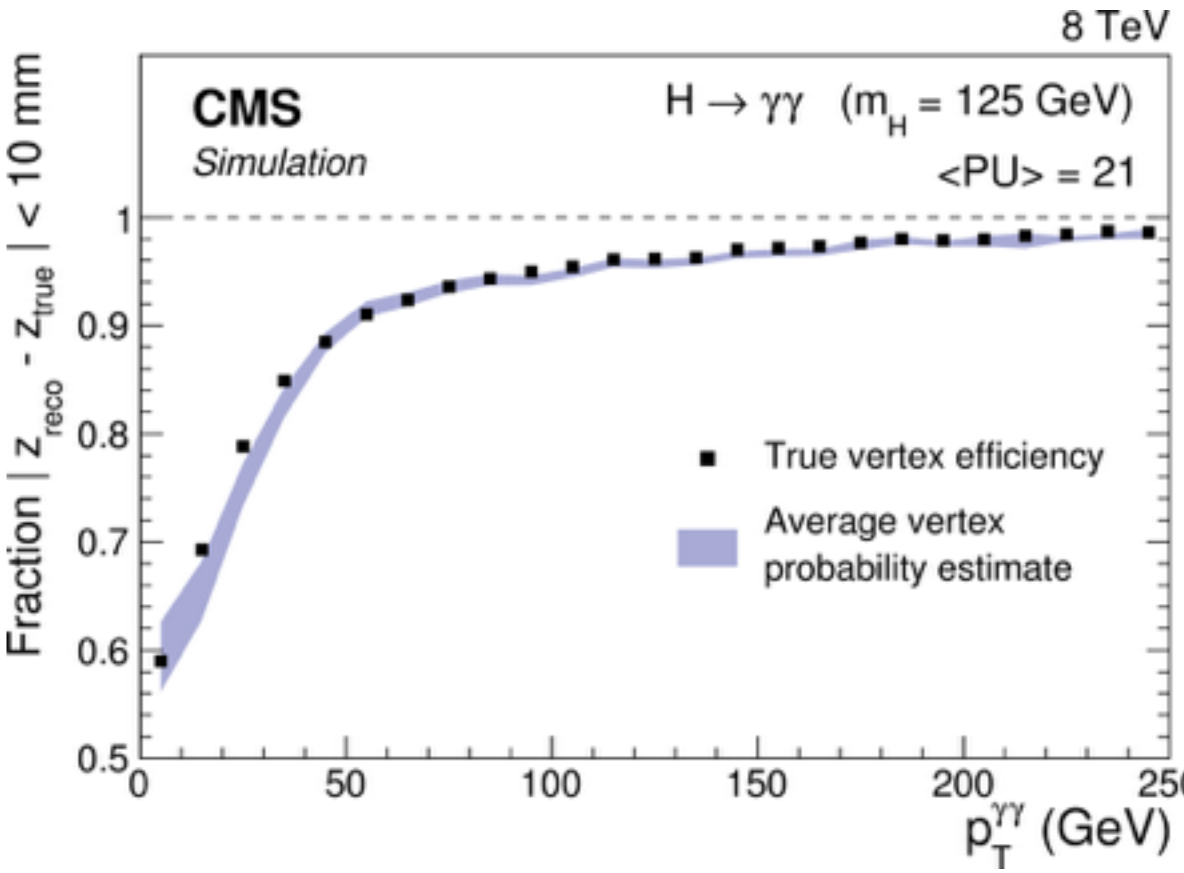
    - test dedicated selections in the analysis



Efficiency for the primary vertex selection in H→γγ

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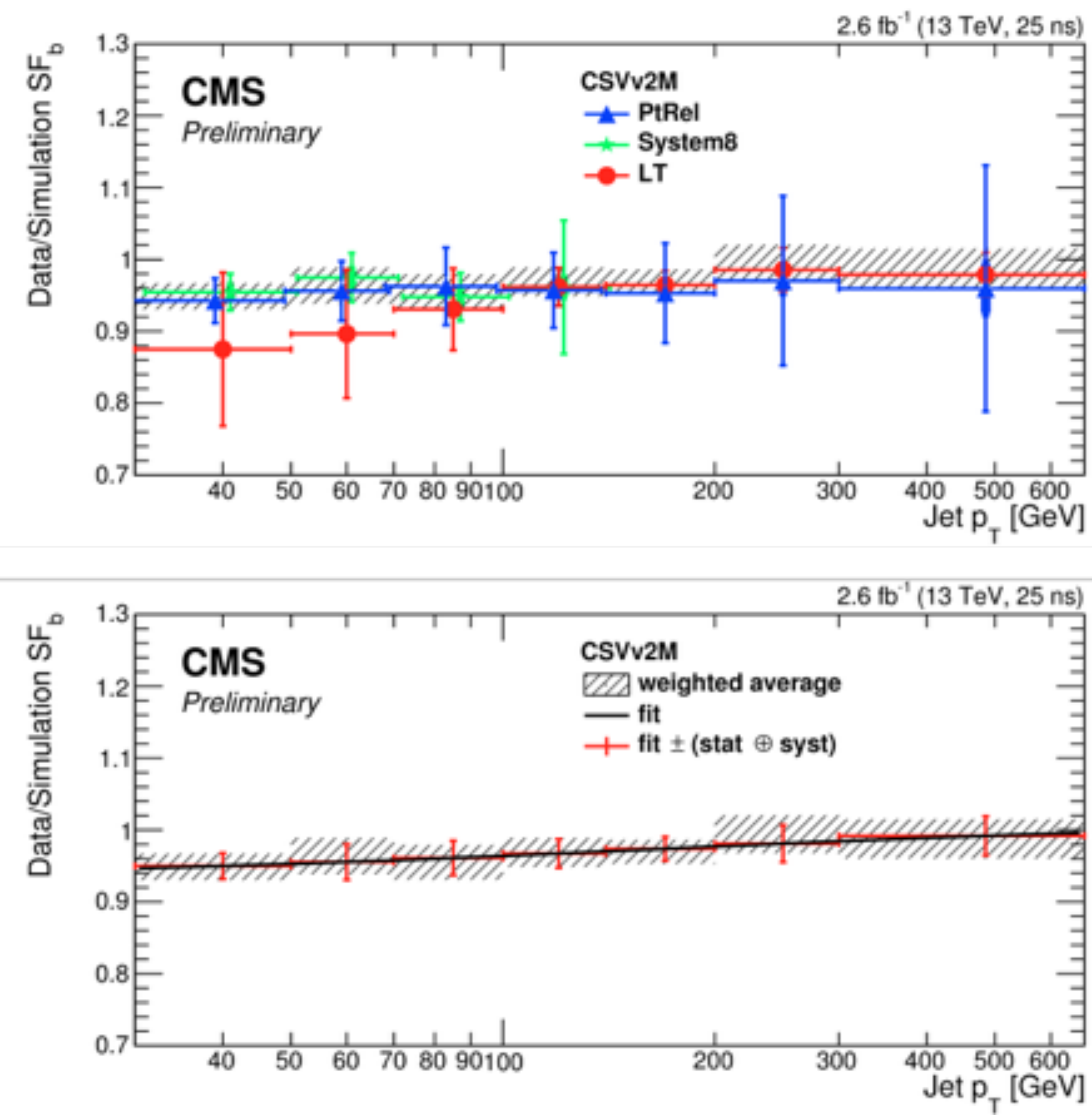
    - e.g. $Z \rightarrow \ell\ell$ used for lepton efficiencies
    - e.g. dijets/top events for b-tagging efficiencies

  see e.g. M. Gallinaro - lecture #1 on top physics - link



b-tagging efficiency as function of the transverse momentum

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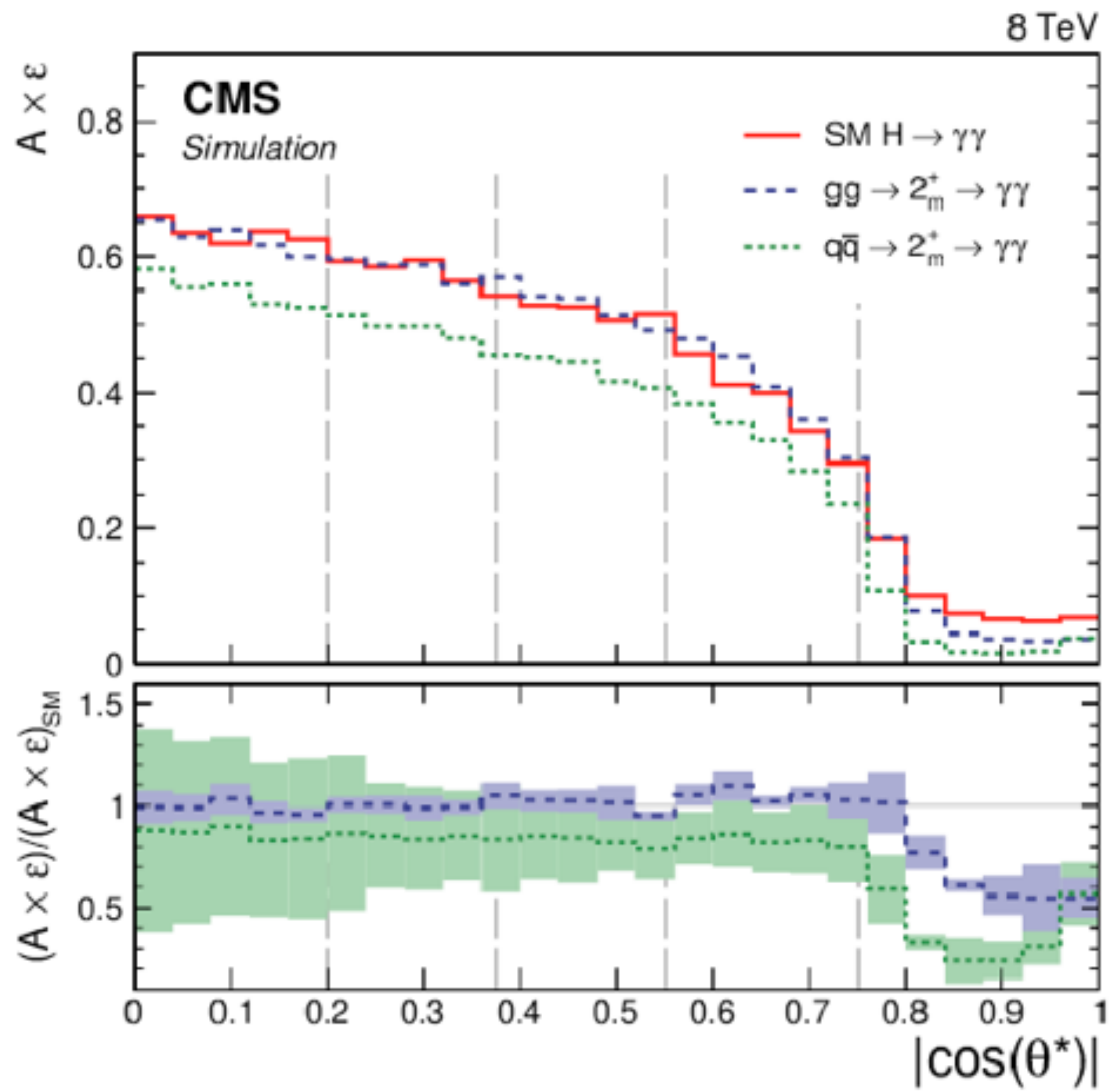
- Either they are <u>estimated using simulation</u>
  - acceptance depends mostly on the thresholds
  - dictated by geometry and trigger requirements
  - need to take into account physics
  - vertices at production and decay
  - but also radiation, fragmentation, hadronization, multiple parton interactions, beam remnants (aka the underlying event)
  - and PDFs, QCD scale choices…



Acceptance for different signal H→ɣɣ hypothesis

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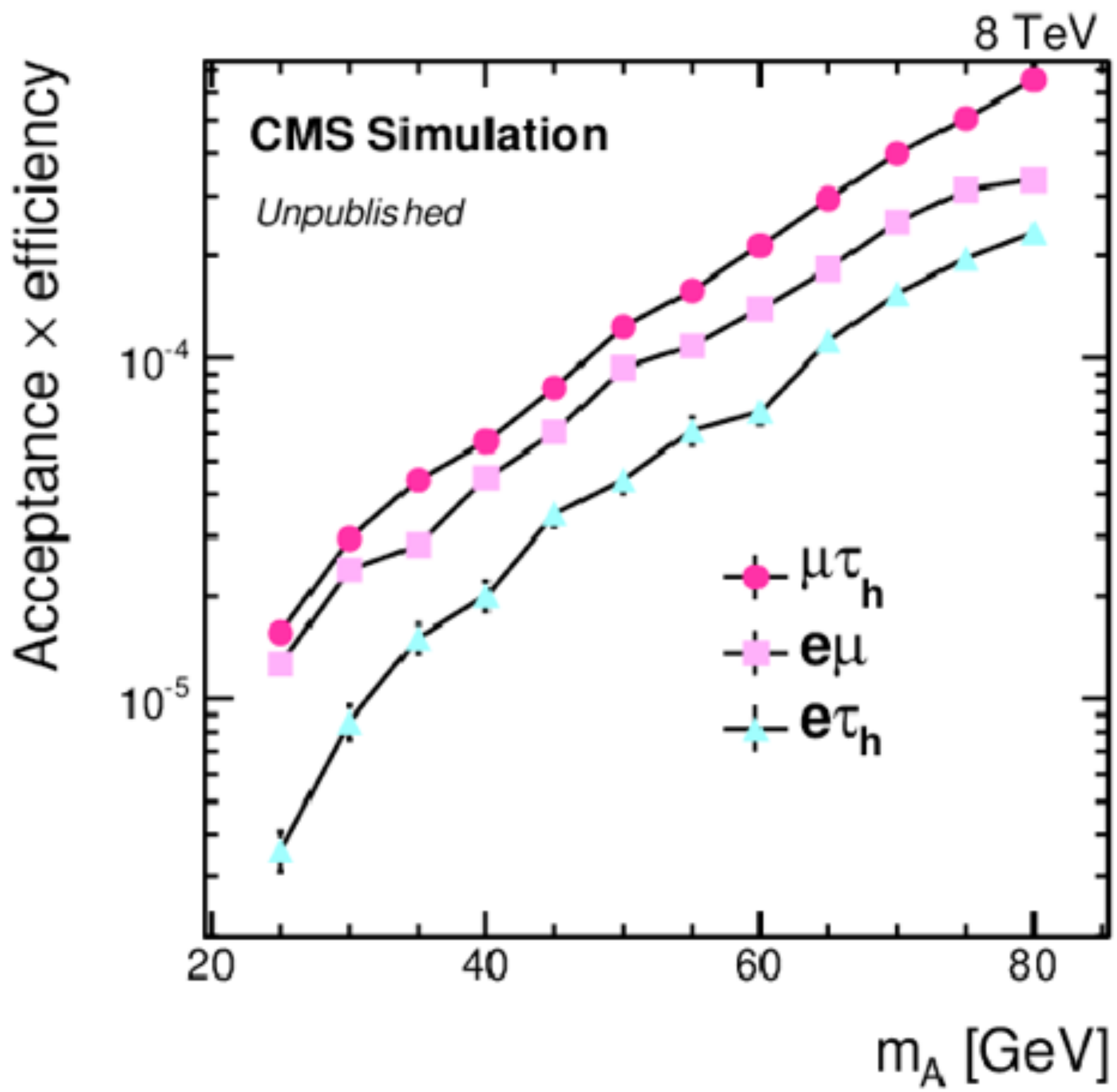


Acceptance for different signal $A \rightarrow \tau\tau$ hypothesis

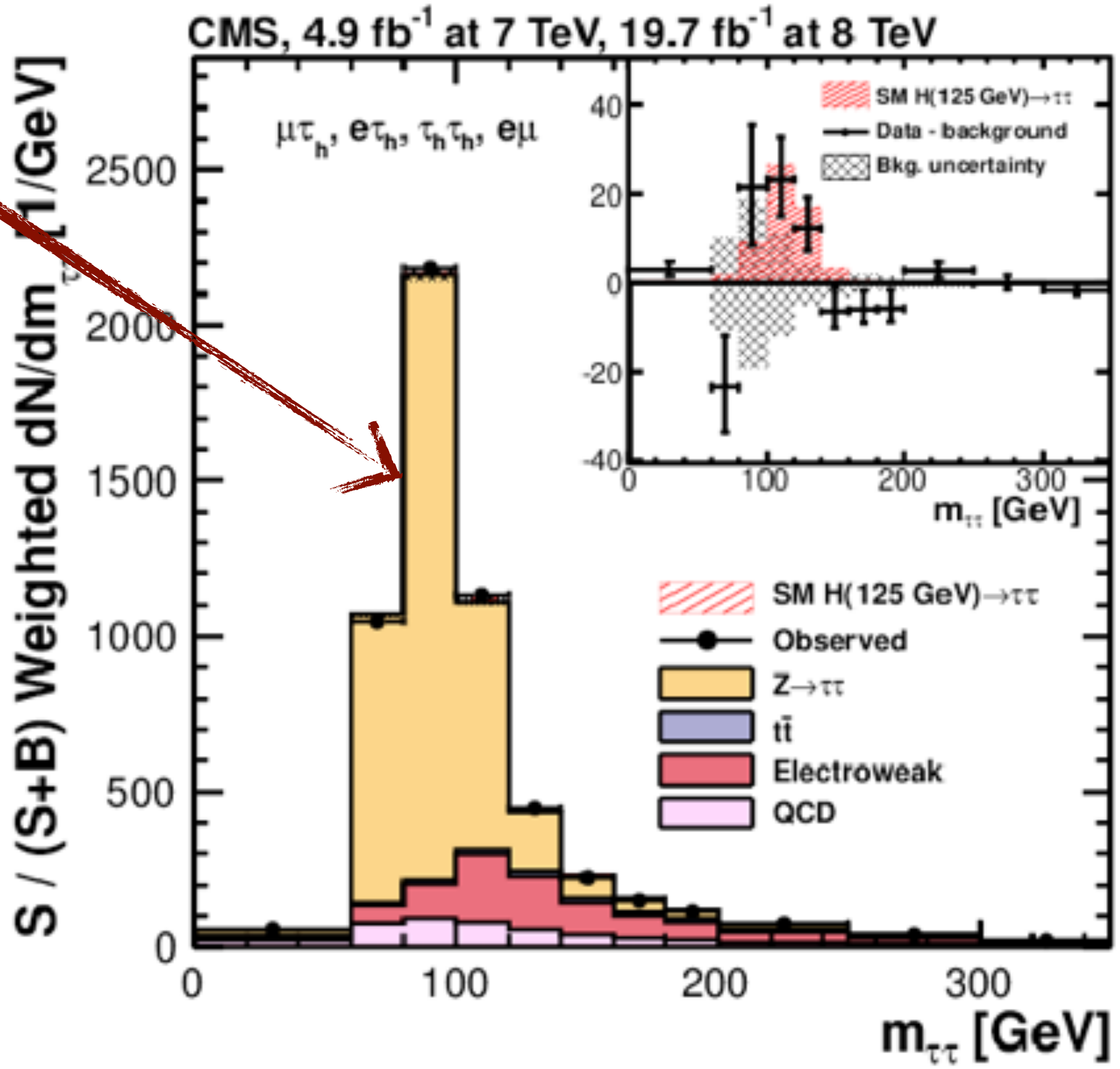
Using all the ingredients to fit the parameters of a model

- At the end of the analysis **we have a prediction for signal and background**

$$\lambda = n_{\text{signal}} + n_{\text{background}}$$

  - λ is a function of the signal strength

$$\lambda = \lambda(\mu)$$



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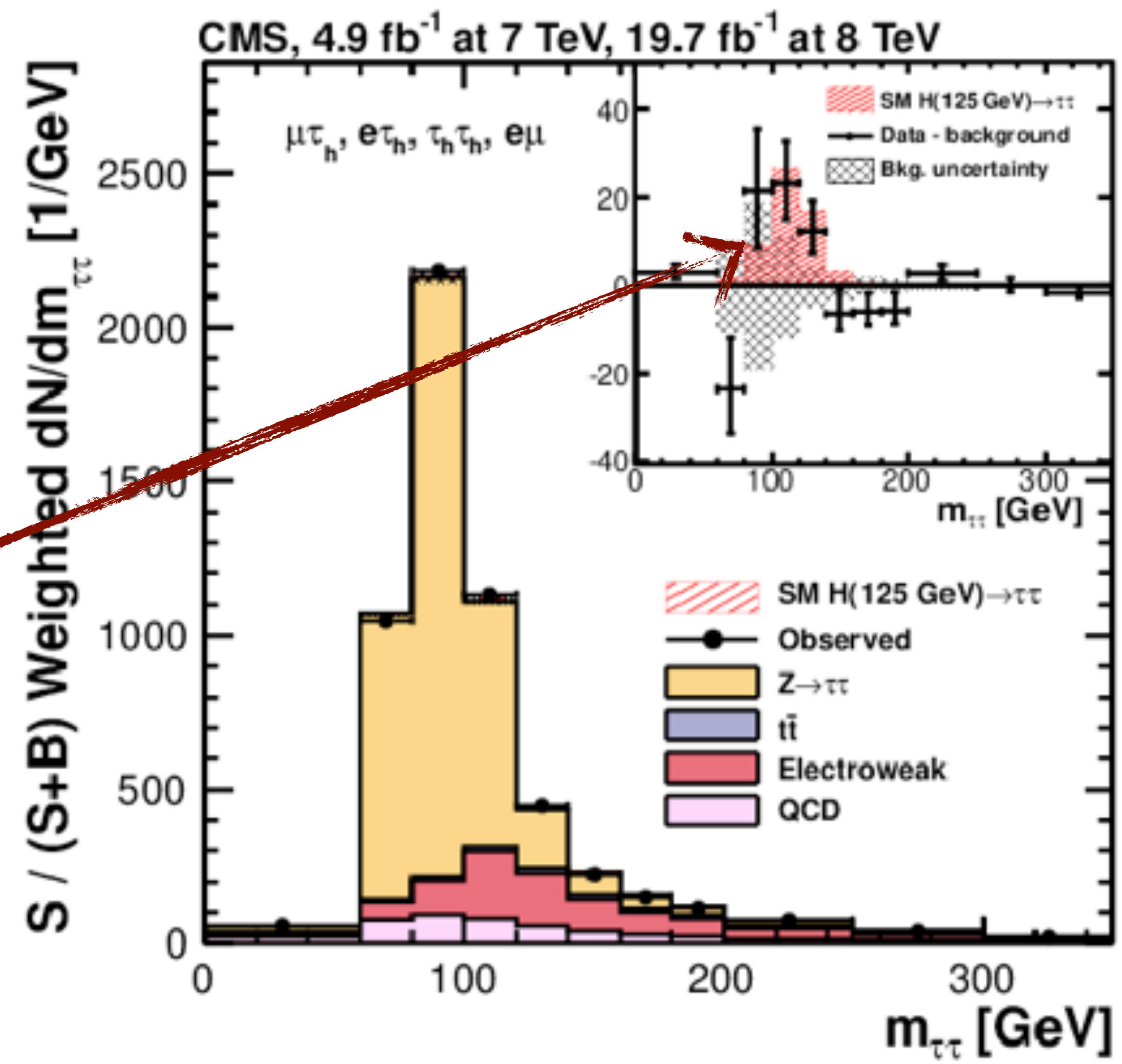
$$\mathcal{L}(\lambda) = \mathcal{P}_{\text{oisson}}(n_{obs}|\lambda) = \frac{\lambda^{n_{\text{obs}}} \cdot e^{-\lambda}}{n_{\text{obs}}!}$$



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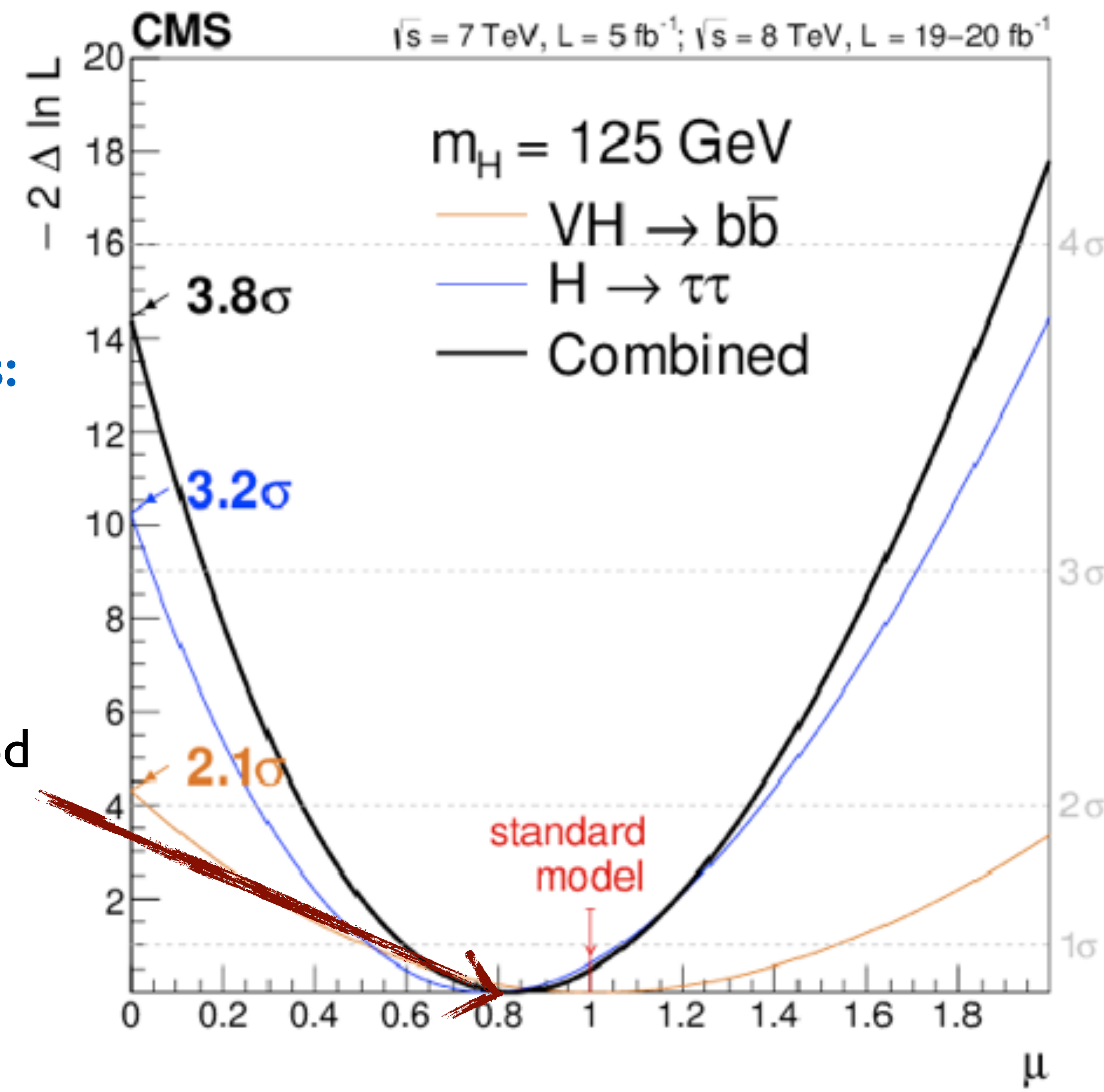

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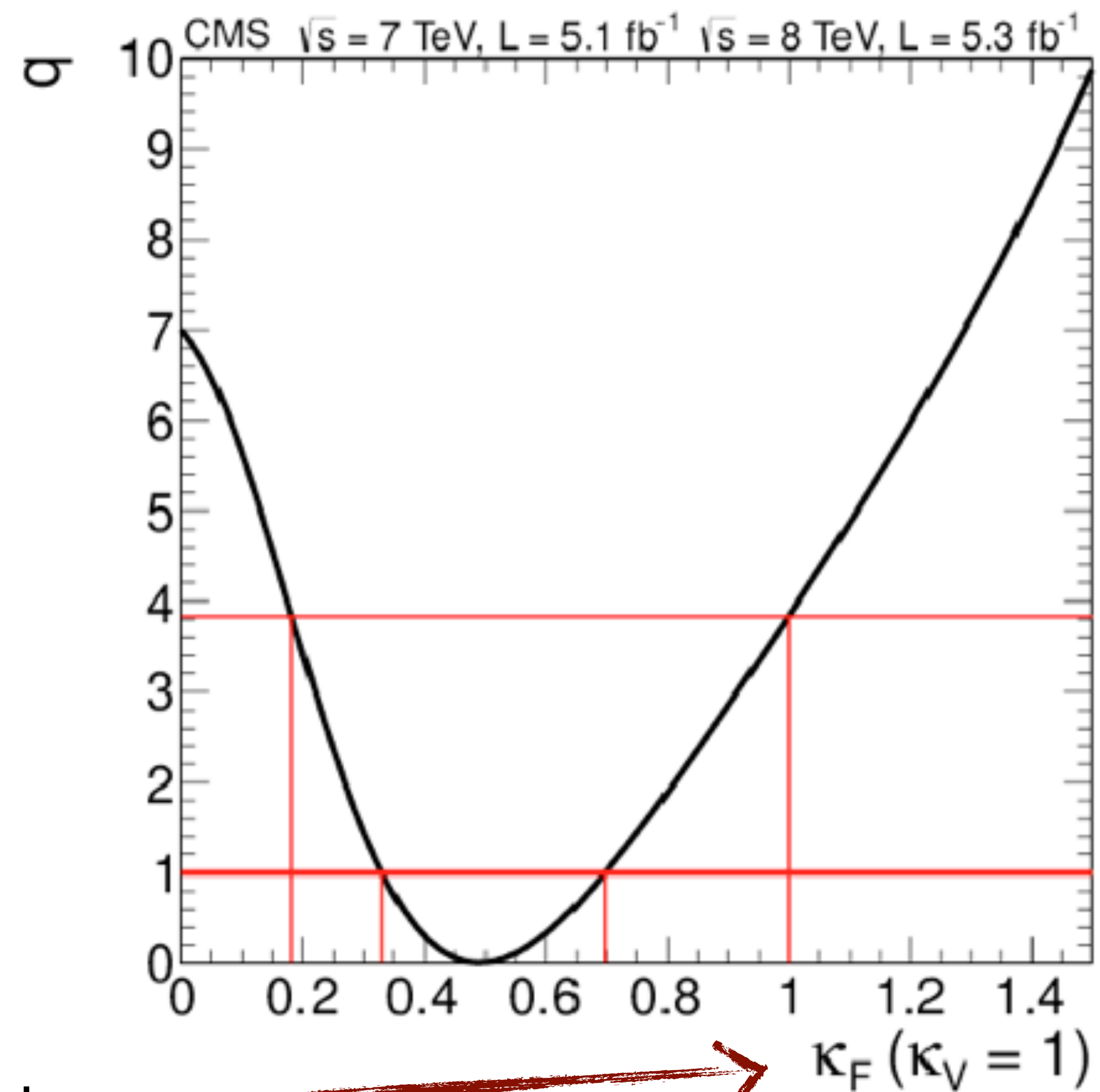
- **Easy to change parameters/theory framework**
  - probabilities are invariant under change of variable



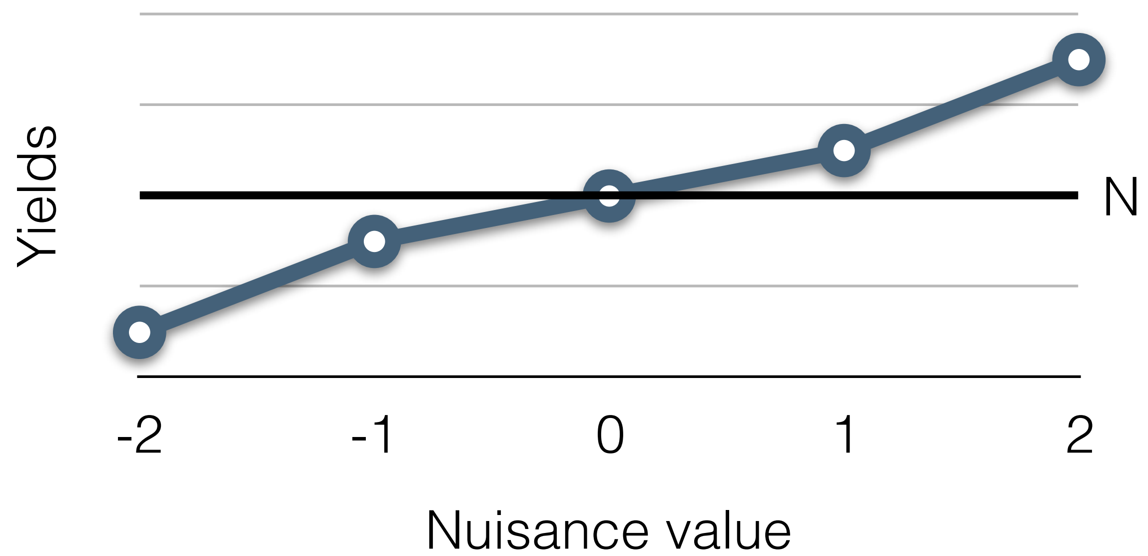
$$\mu \rightarrow \mu(\kappa_F, \kappa_V)$$
$$\lambda(\mu) \rightarrow \lambda(\kappa_F, \kappa_V)$$

see statistics lecture by P. Vischia - link

Incorporating uncertainties in the fit I

- **Systematic uncertainties affect the baseline prediction**
  - can incorporate in the model as scaling factors
  - θ = nuisance parameters = random variables

$$n_{\text{signal}} = n^0_{\text{signal}} \cdot (1 + \theta_{\text{pileup}}) \cdot \ldots$$



- **Include probability distributions (PDFs) for θ in the likelihood**
  - nuisance parameters are allowed to float penalized by a PDF
  - PDFs are educated guesses most of the time

$$\mathcal{L}[\lambda(\mu, \vec{\theta})] = \mathcal{P}_{\text{oisson}}[n_{\text{obs}}|\lambda(\mu, \vec{\theta})] \cdot \prod_i \mathcal{P}_{\text{DF}}(0|\theta_i)$$

Incorporating uncertainties in the fit II

- **Profile likelihood ratio test statistics:**

maximizes L for specified μ

$$\lambda(\mu) = \frac{L(\mu, \hat{\hat{\theta}})}{L(\hat{\mu}, \hat{\theta})}$$

maximize L

  - for each likelihood evaluation all systematic uncertainties (nuisances) are varied
  - normalise to the likelihood at best fit value
  - maximum determines best set of parameters (nuisances are profiled)

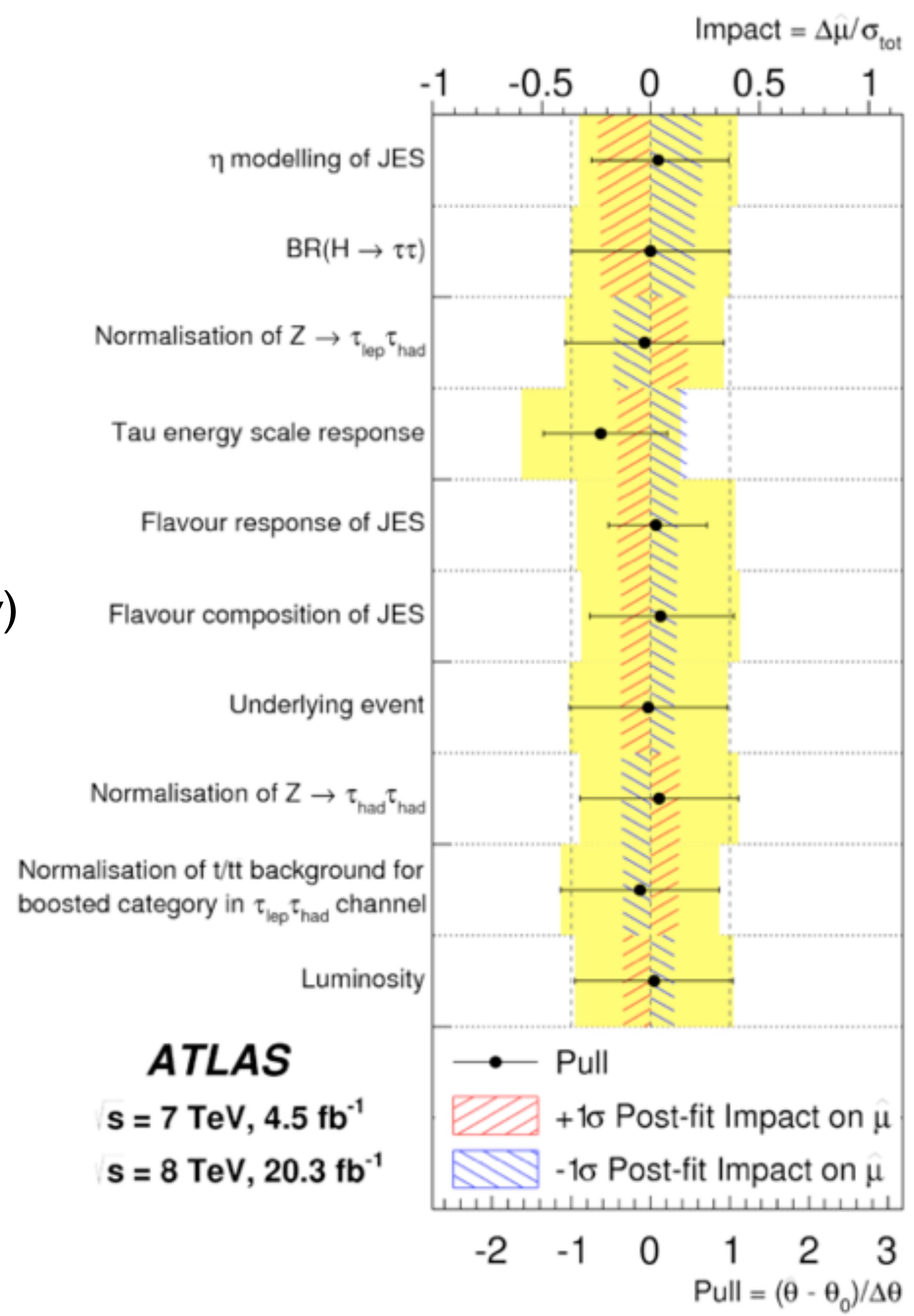
- **Combined fit for Higgs properties at the LHC**
  - >200 channels and >4000 nuisances in the fit

Incorporating uncertainties in the fit III

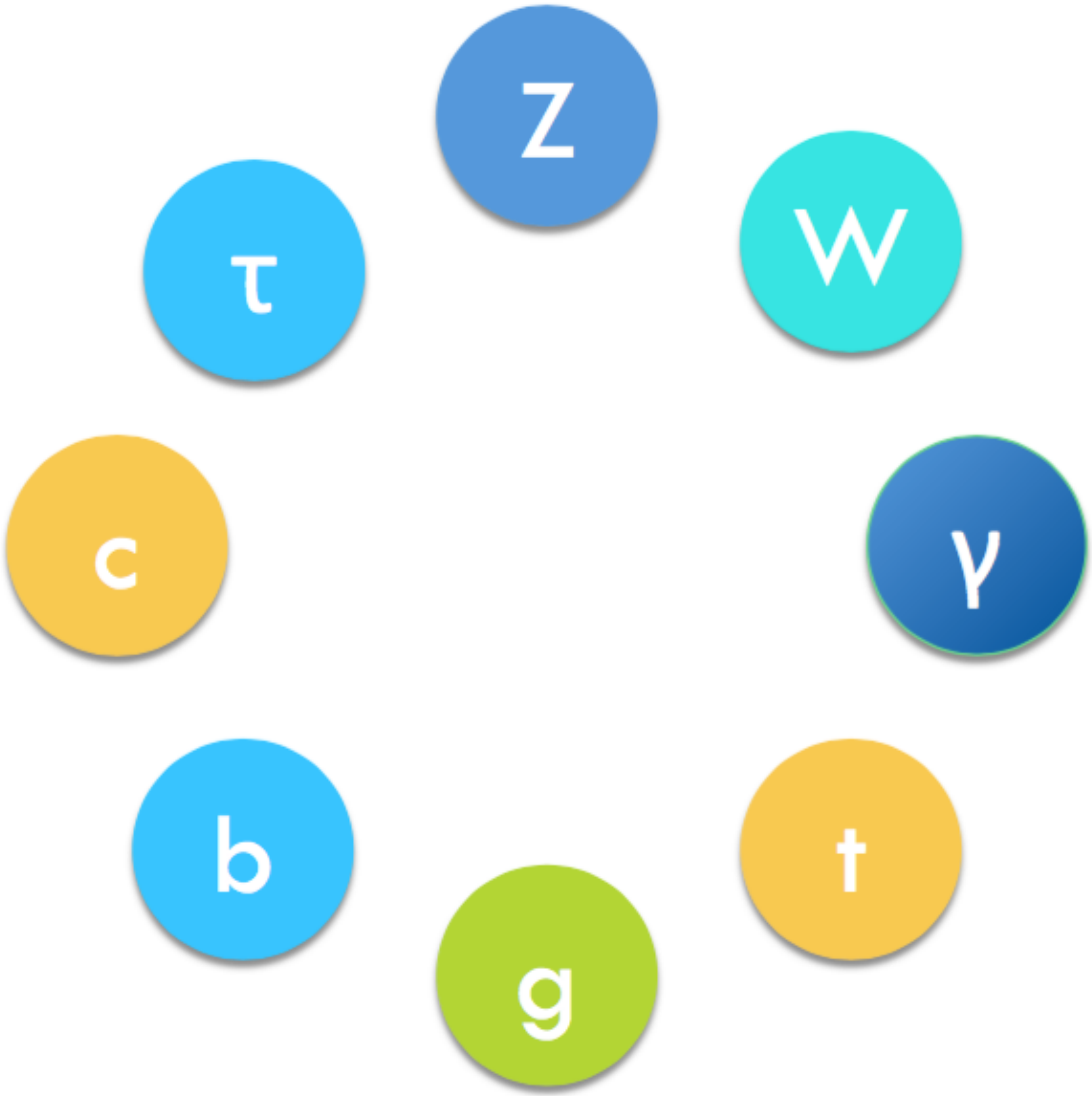
- *Here is an example from a H→ττ search*

- **If the fit uses several categories**
  - nuisances are fit
  - can be constrained (smaller uncertainty)

- **Impact on the measurement**
  - fix all values to postfit results
  - shift by ±1σ and check variation in μ



The model: scalar coupling structure



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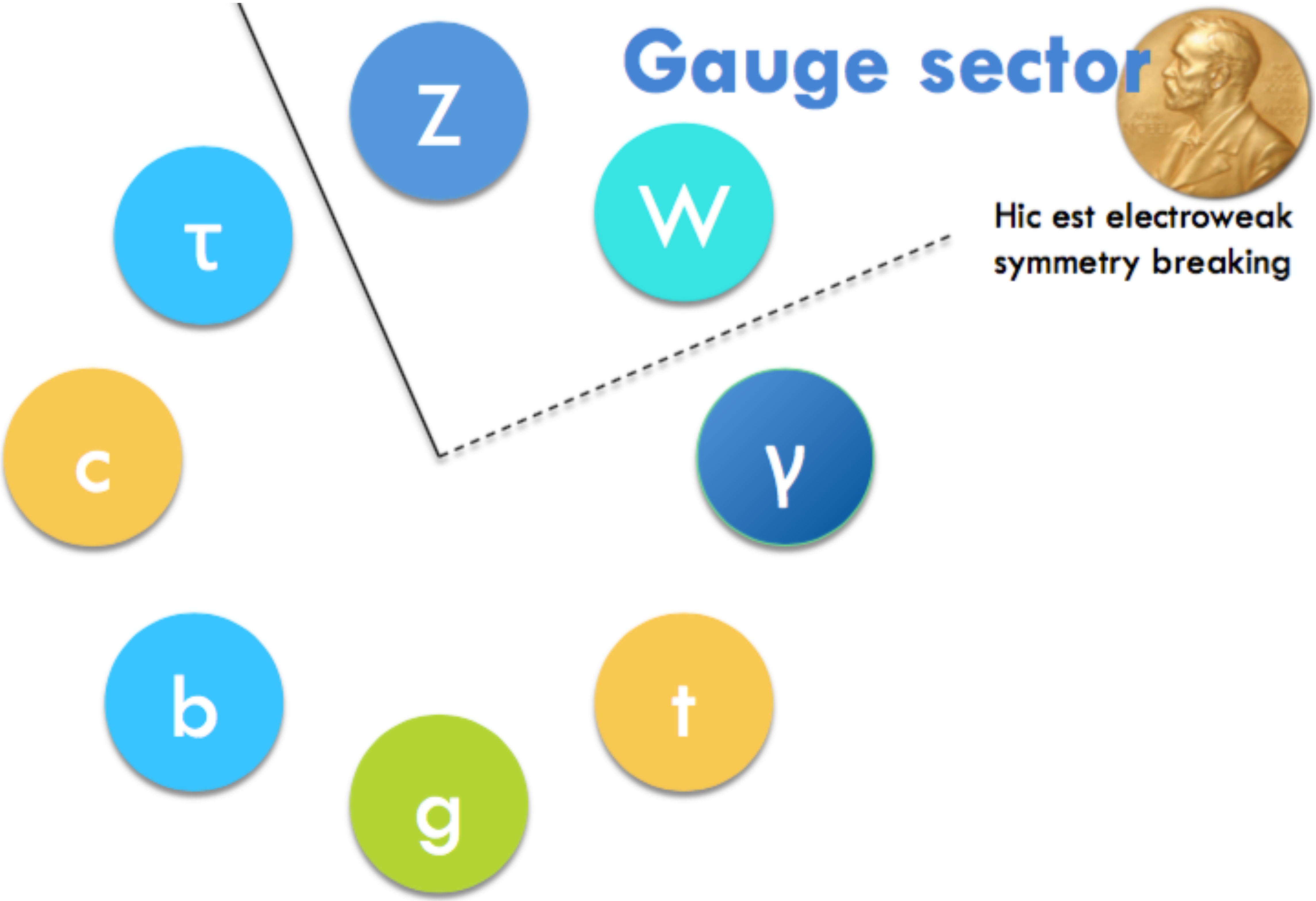

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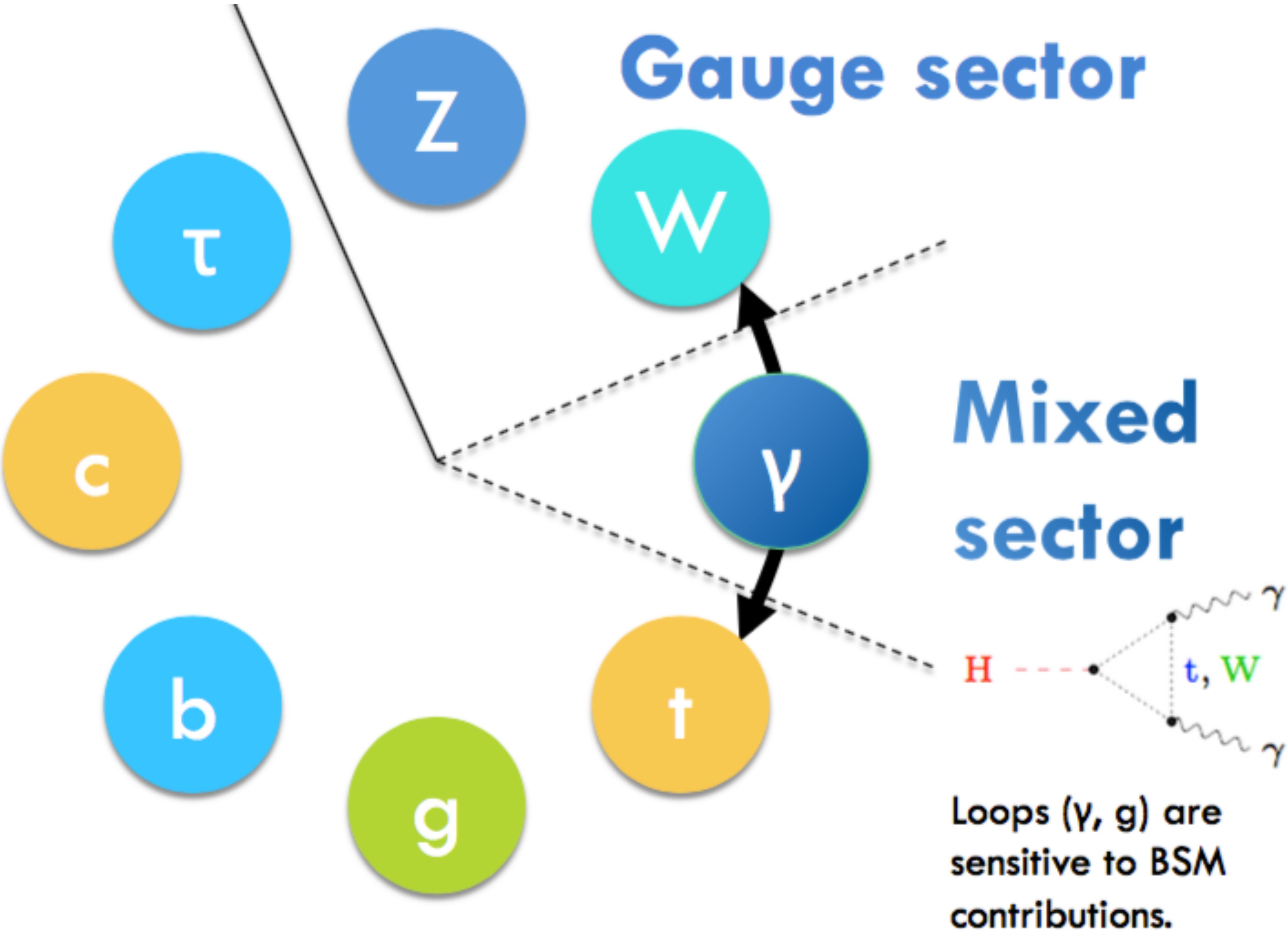

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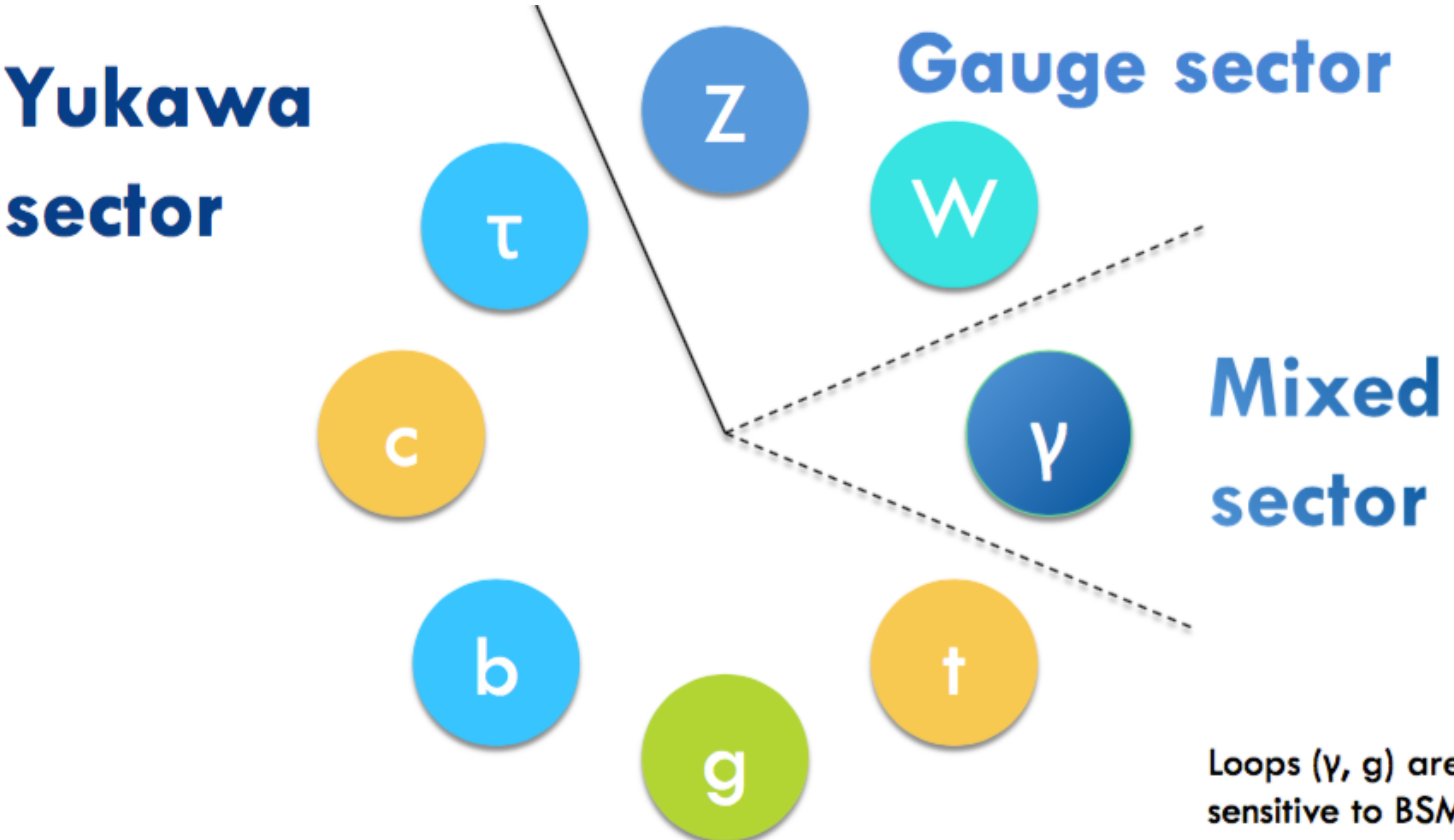
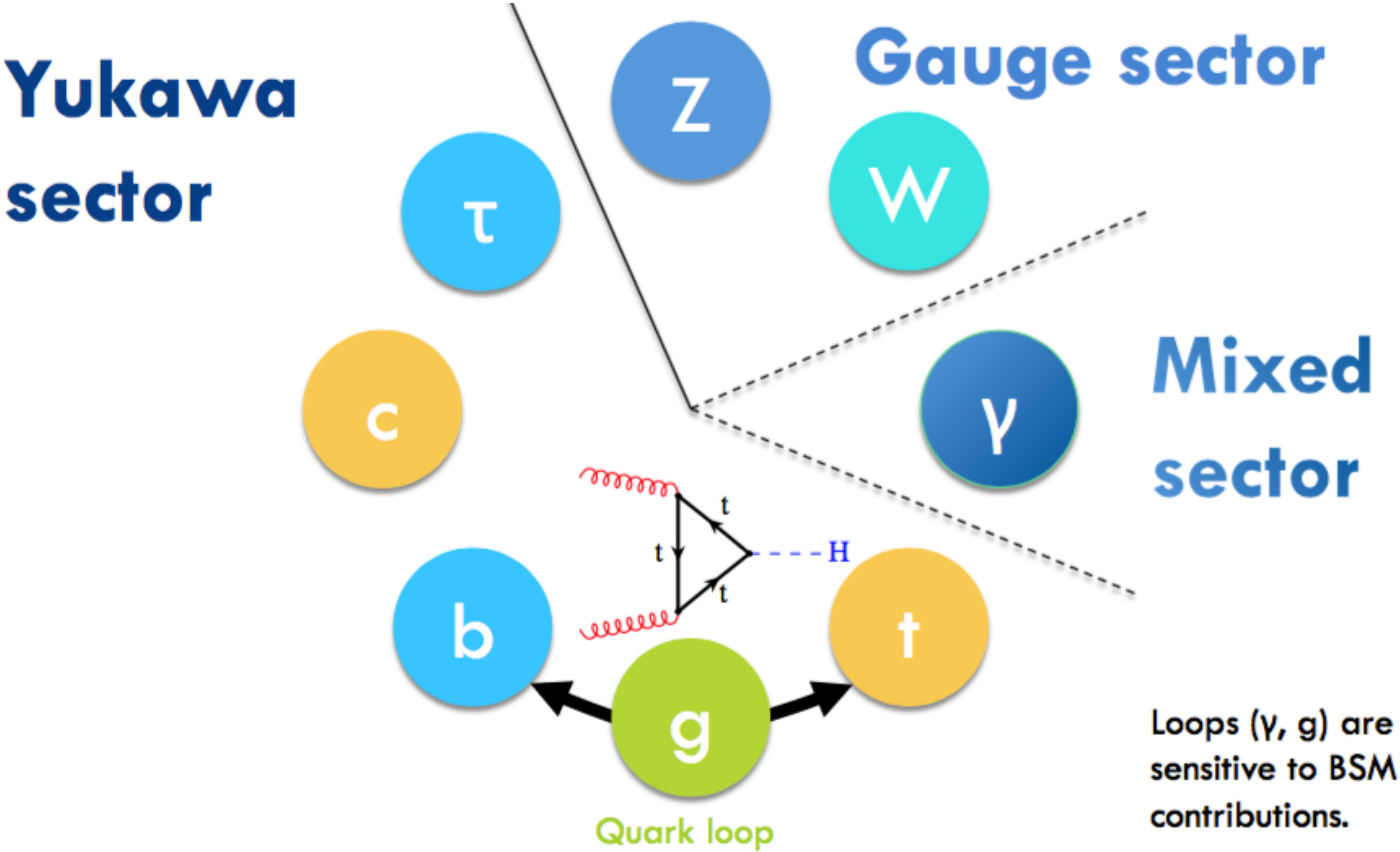


Loops (γ, g) are sensitive to BSM contributions.

The model: scalar coupling structure



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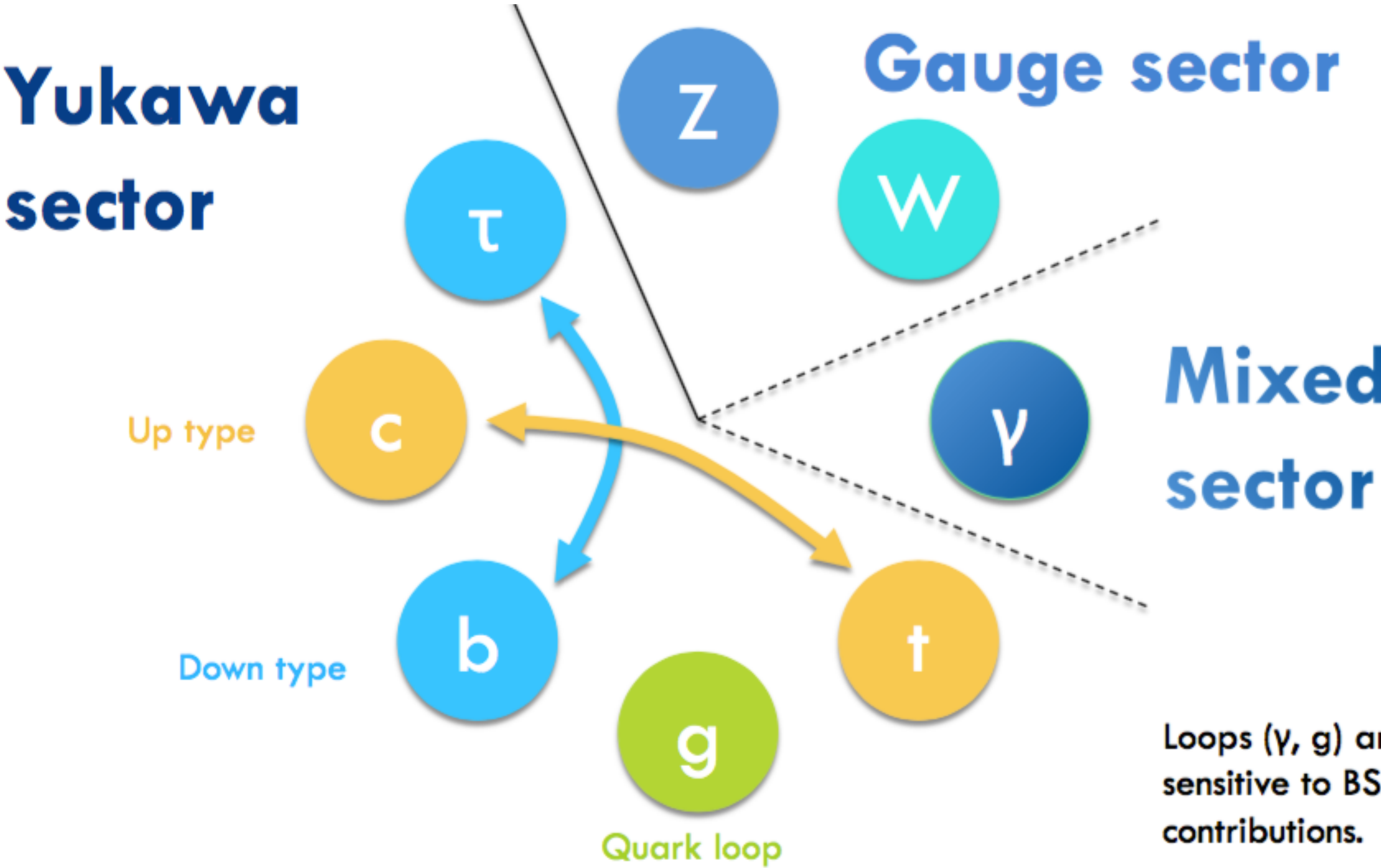


Loops (γ, g) are sensitive to BSM contributions.

Parameterizing deviations from SM couplings

- **Use a strength modified (kappa) of the cross section or the branching ratio**

$$\kappa_j^2 = \sigma_j/\sigma_j^{\mathrm{SM}} \quad \text{or} \quad \kappa_j^2 = \Gamma^j/\Gamma^j_{\mathrm{SM}}$$

- When affecting the branching ratios, the width is naturally modified by

$$\kappa_H^2 = \sum_j \mathrm{BR}^j_{\mathrm{SM}}\kappa_j^2$$

- If the Higgs is also allowed to decay to new invisible particles (dark matter?) then the total width is

$$\Gamma_{\mathrm{H}} = \frac{\kappa_H^2 \cdot \Gamma_H^{\mathrm{SM}}}{1 - \mathrm{BR}_{\mathrm{BSM}}}$$

Deviations in production

- associated productions (VH, ttH) involve direct couplings ⇒ single parameter
- loops, internal propagators (ggH, VBF) parameterised as function of particles involved

Production	Loops	Interference	Multiplicative factor	
$\sigma(\text{ggF})$	✓	$b-t$	$\kappa_g^2 \sim$	$1.06 \cdot \kappa_t^2 + 0.01 \cdot \kappa_b^2 - 0.07 \cdot \kappa_t \kappa_b$
$\sigma(\text{VBF})$	–	–	$\sim$	$0.74 \cdot \kappa_W^2 + 0.26 \cdot \kappa_Z^2$
$\sigma(WH)$	–	–	$\sim$	κ_W^2
$\sigma(q\bar{q} \to ZH)$	–	–	$\sim$	κ_Z^2
$\sigma(gg \to ZH)$	✓	$Z-t$	$\sim$	$2.27 \cdot \kappa_Z^2 + 0.37 \cdot \kappa_t^2 - 1.64 \cdot \kappa_Z \kappa_t$
$\sigma(bbH)$	–	–	$\sim$	κ_b^2
$\sigma(ttH)$	–	–	$\sim$	κ_t^2
$\sigma(gb \to WtH)$	–	$W-t$	$\sim$	$1.84 \cdot \kappa_t^2 + 1.57 \cdot \kappa_W^2 - 2.41 \cdot \kappa_t \kappa_W$
$\sigma(qb \to tHq')$	–	$W-t$	$\sim$	$3.4 \cdot \kappa_t^2 + 3.56 \cdot \kappa_W^2 - 5.96 \cdot \kappa_t \kappa_W$

see details in arXiv:1307.1347

Deviations in decays

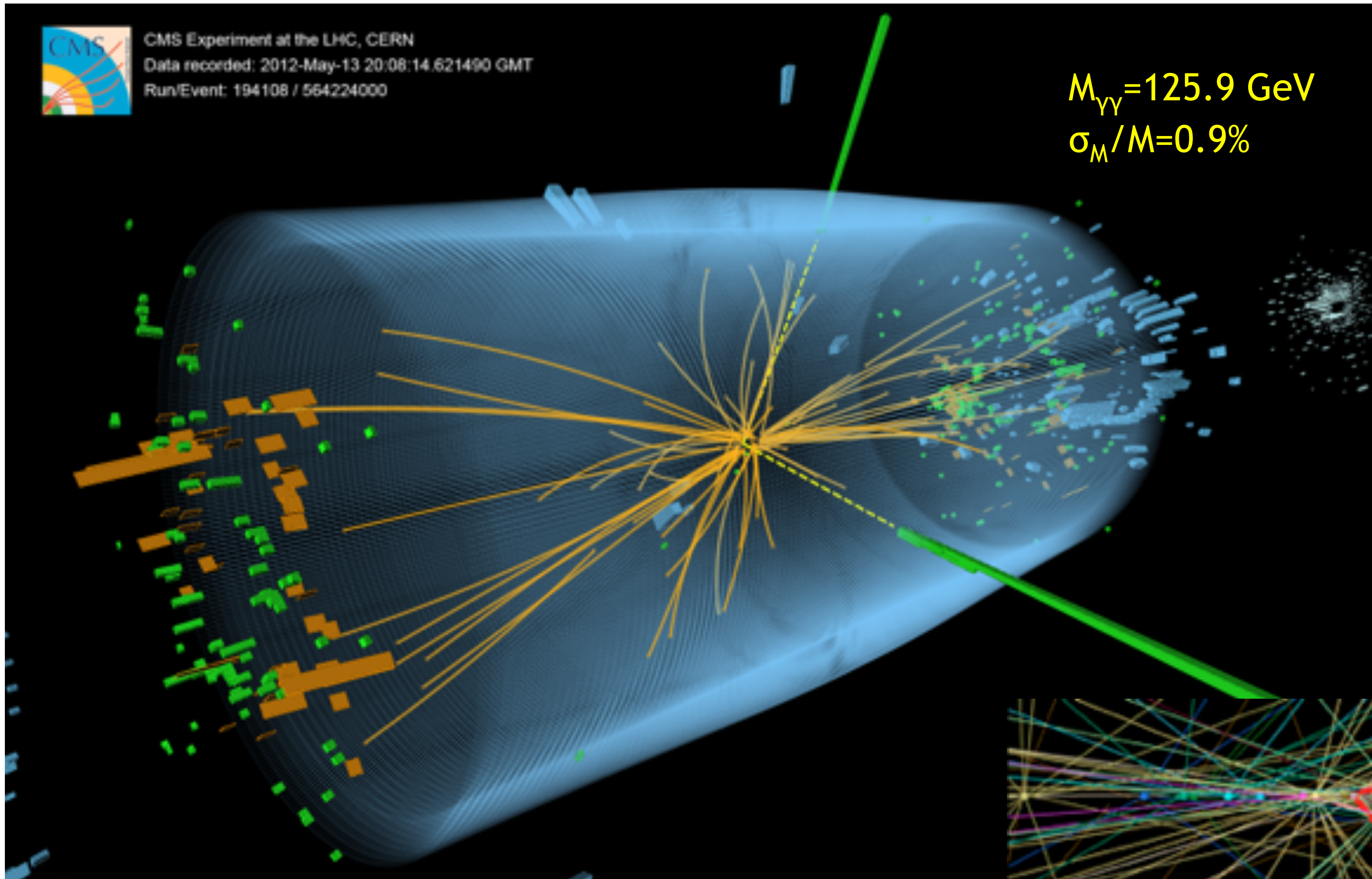
- Direct decays (WW, ZZ, etc.) are assigned with a single parameter
- Decays via loops (ɣɣ, Zɣ) depend on the particles running in the loop

Partial decay width				
$\Gamma_{b\bar{b}}$	–	–	$\sim$	κ_b^2
Γ_{WW}	–	–	$\sim$	κ_W^2
Γ_{ZZ}	–	–	$\sim$	κ_Z^2
$\Gamma_{\tau\tau}$	–	–	$\sim$	κ_τ^2
$\Gamma_{\mu\mu}$	–	–	$\sim$	κ_μ^2
$\Gamma_{\gamma\gamma}$	✓	$W - t$	$\kappa_\gamma^2 \sim$	$1.59 \cdot \kappa_W^2 + 0.07 \cdot \kappa_t^2 - 0.66 \cdot \kappa_W \kappa_t$
Total width for $BR_{BSM} = 0$				
Γ_H	✓	–	$\kappa_H^2 \sim$	$0.57 \cdot \kappa_b^2 + 0.22 \cdot \kappa_W^2 + 0.09 \cdot \kappa_g^2 +$ $+ 0.06 \cdot \kappa_\tau^2 + 0.03 \cdot \kappa_Z^2 + 0.03 \cdot \kappa_c^2 +$ $+ 0.0023 \cdot \kappa_\gamma^2 + 0.0016 \cdot \kappa_{Z\gamma}^2 +$ $+ 0.0001 \cdot \kappa_s^2 + 0.00022 \cdot \kappa_\mu^2$

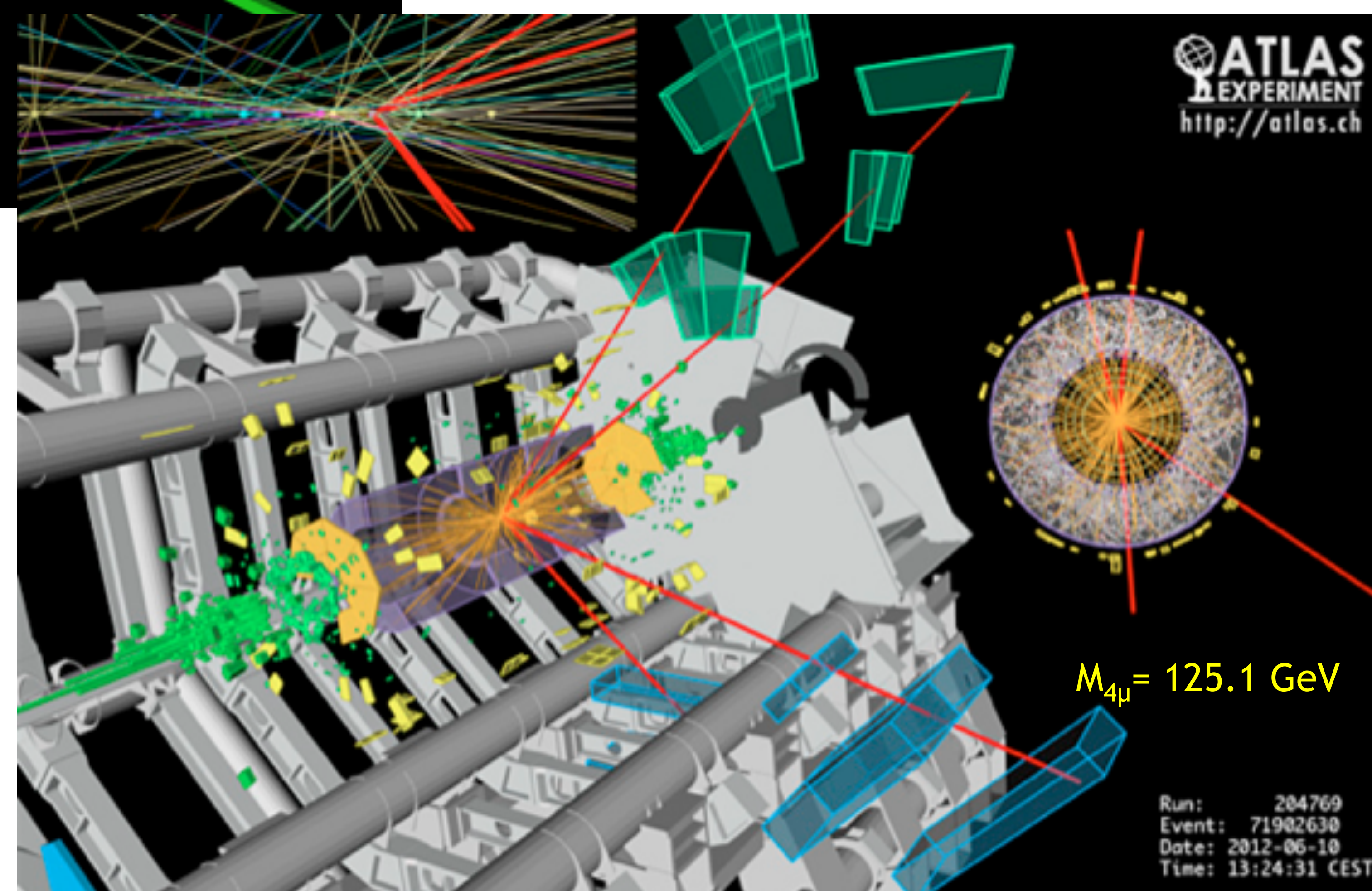
see details in arXiv:1307.1347

Results: mass, charge, spin and parity, couplings

Mass

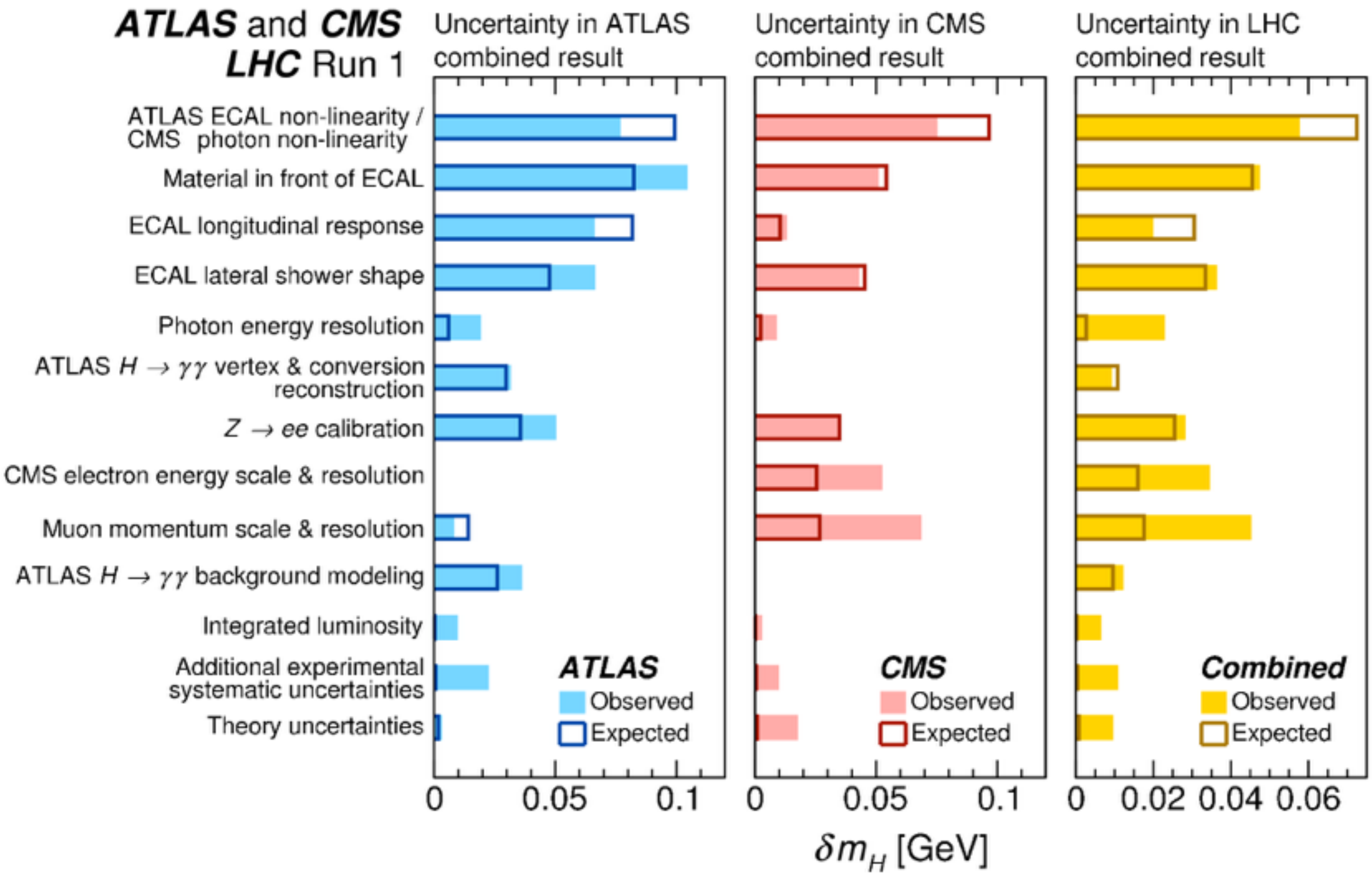


- The two channels with highest resolution are used to measure the mass: γγ and 4l
- Energy scale and resolution are the most important systematic effects to understand

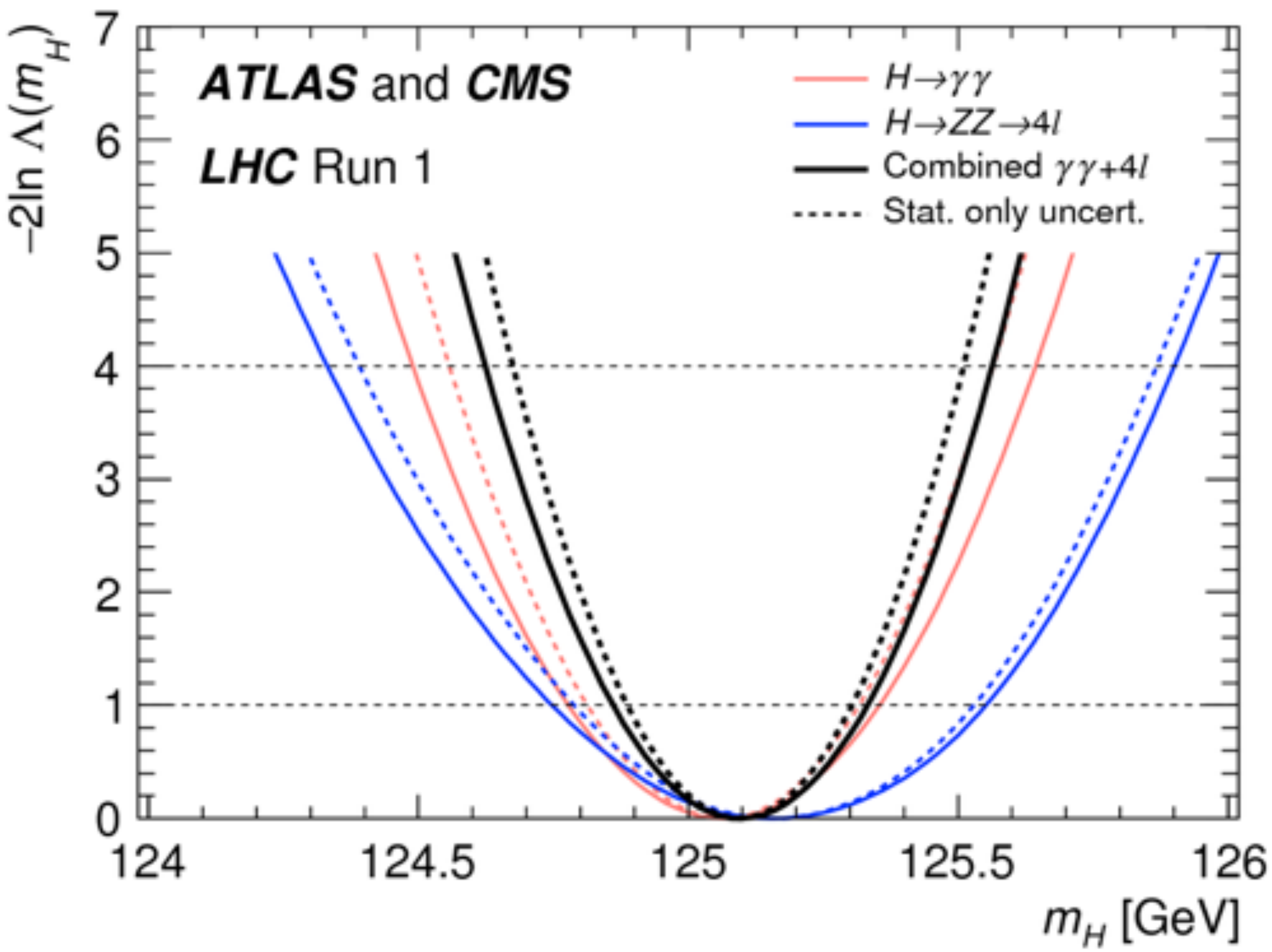


Impact of the systematic effects on the mass

- Gain from combining experiments: statistics and partially uncorrelated systematics
- Largest impact from energy scales, as expected

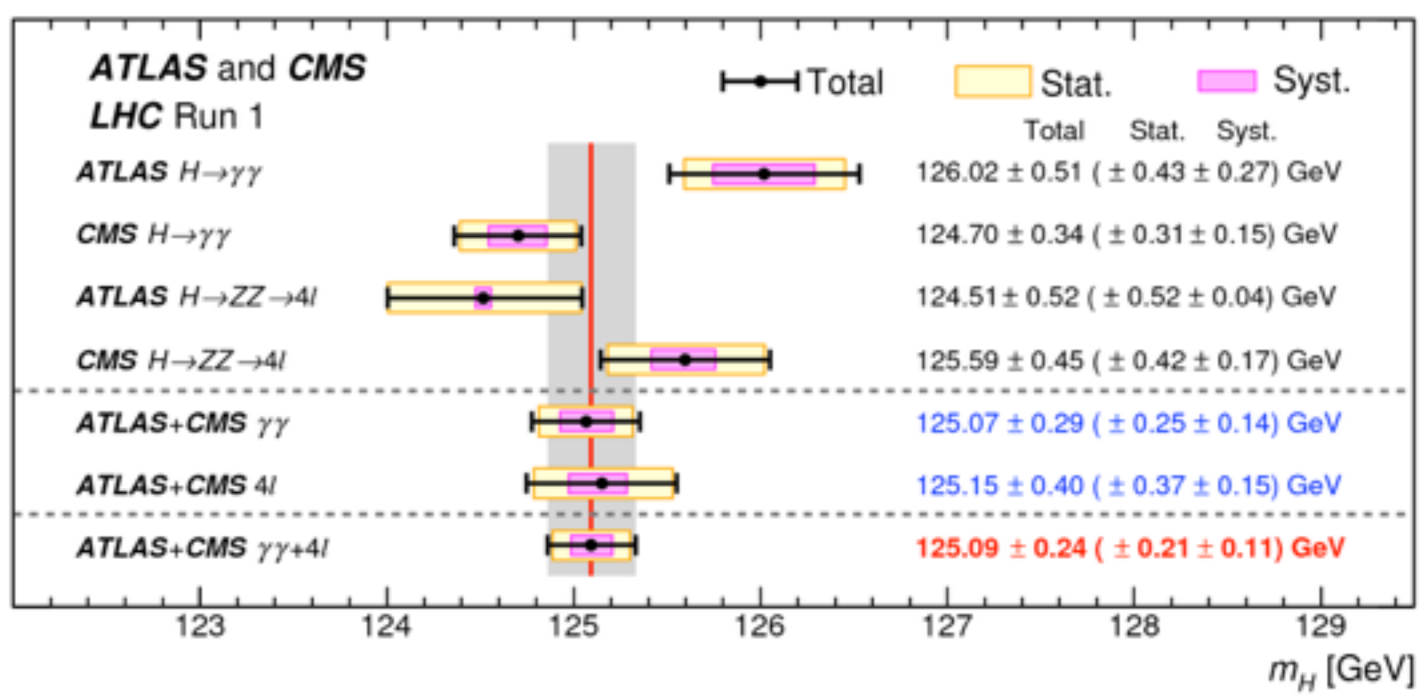


Combined LHC mass measurement



M_H =125.09 ± 0.21 (stat.) ± 0.11(syst.) GeV

- Tensions between channels have different signs in the different experiments
- Differences are compatible with statistical fluctuations
- Final result is still statistically limited



Charge

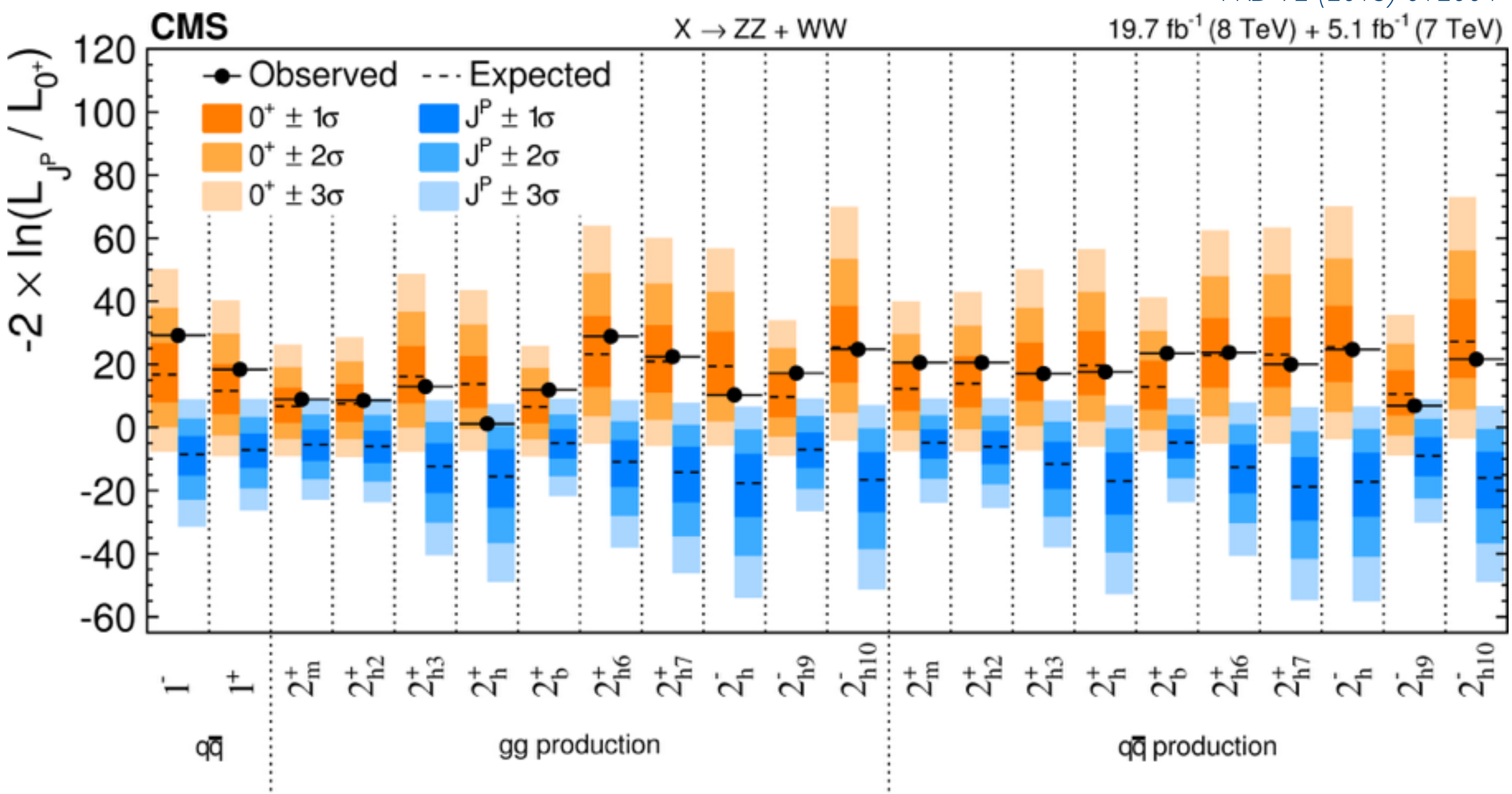
0

this one is easy

J^P (spin, parity)

- No direct measurement of J^P
- Use dedicated distributions to test different hypothesis
- No other hypothesis than the standard model is favoured ⇒ $J^P=0^+$

PRD 92 (2015) 012004



Signal strength per production/decay tags

- **Signal strengths in different channels are consistent with 1 (SM)**
  - largest difference <3σ from ttH analyses

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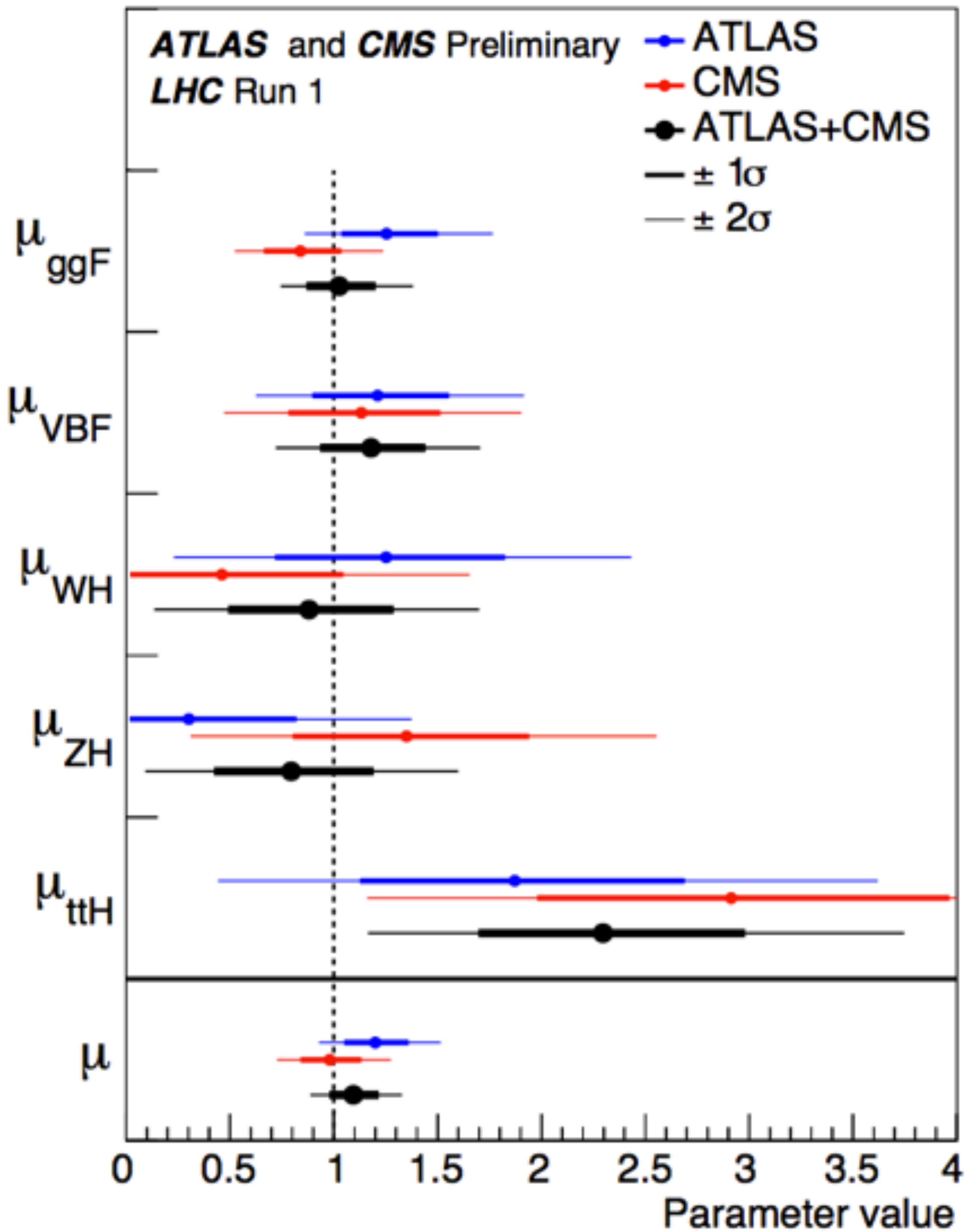

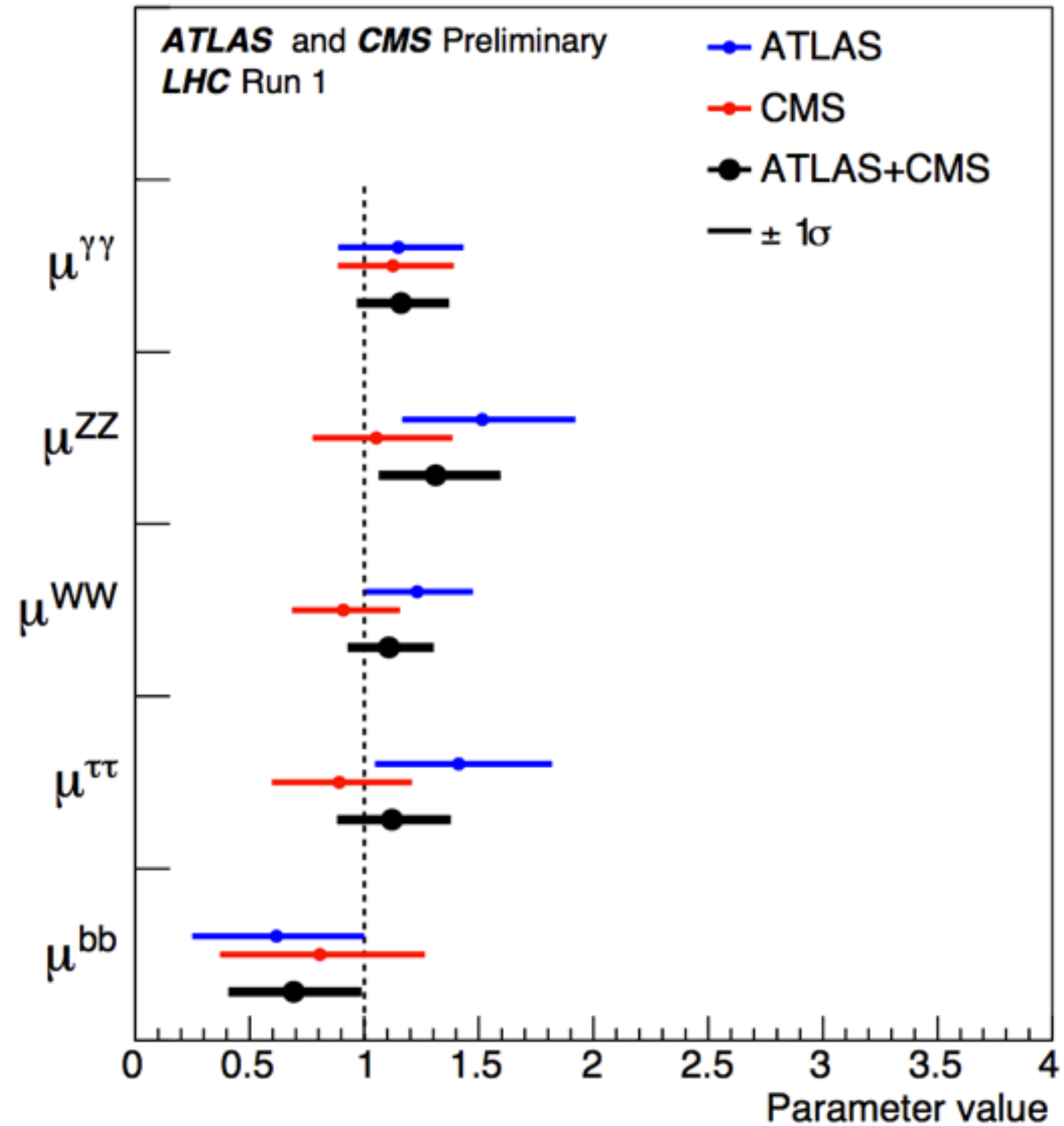

Testing production modes per final state

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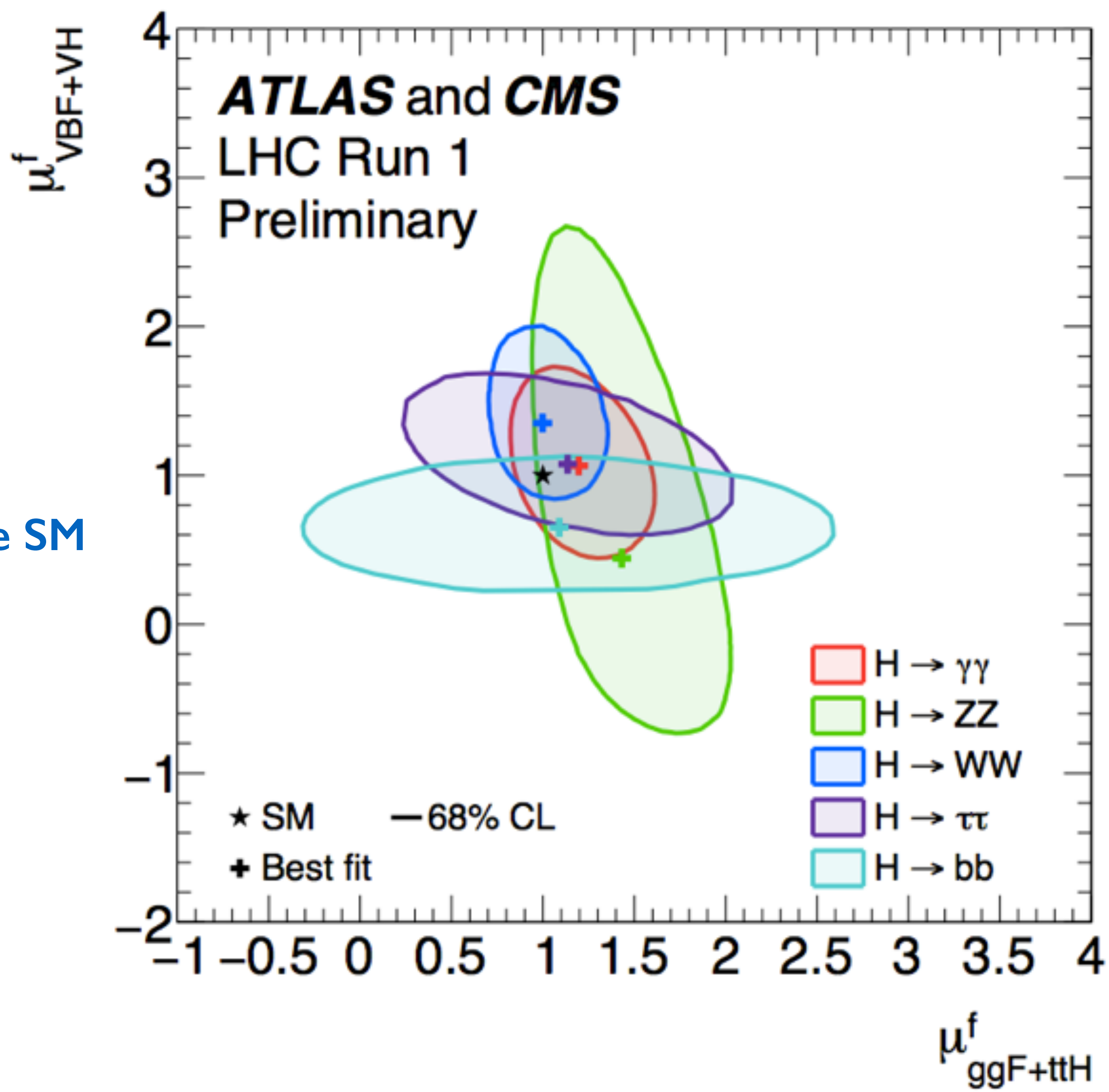
- Test strength of the production modes
  - separately for each final state
  - VBF+VH = bosons in production
  - ggF+ttH = fermions in production

- **All results in are compatible with the SM**

- **H→bb and H→ZZ**
  - provide the smaller correlations
  - dominated by VH and ggF productions



Couplings to fermions and bosons I

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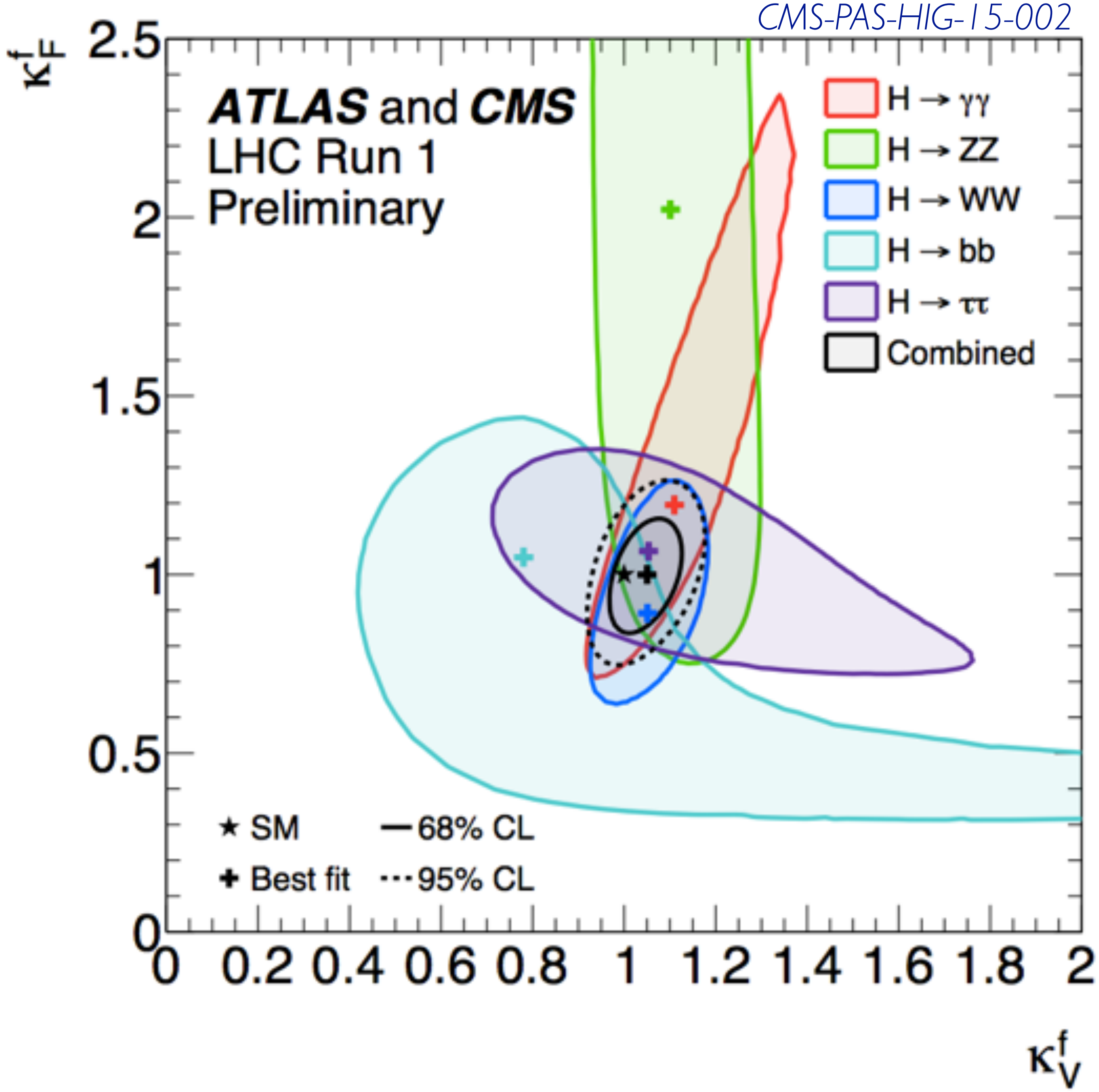

- Use kappa modifiers to parameterise both production and decay modes
- Simplify to test separately couplings to fermions and to vector bosons
- All results in agreement with each other
  - incoherent results for negative k scenario
- **Combination of all channels fully compatible with the SM hypothesis**

Couplings to fermions and bosons II

- Using separate k for the most massive particles

- All in agreement with the SM
  - sligthly lower coupling for b (<2σ deviation)
  - not yet sensitive to muons

- Notice that
  - for gauge bosons κ_V = vev × $m_V^{2\varepsilon}$ / $M^{1+2\varepsilon}$
  - for fermions κ_f = vev × m_f^{ε} / $M^{1+\varepsilon}$
  - in the SM ε=0 and vev=M=246 GeV

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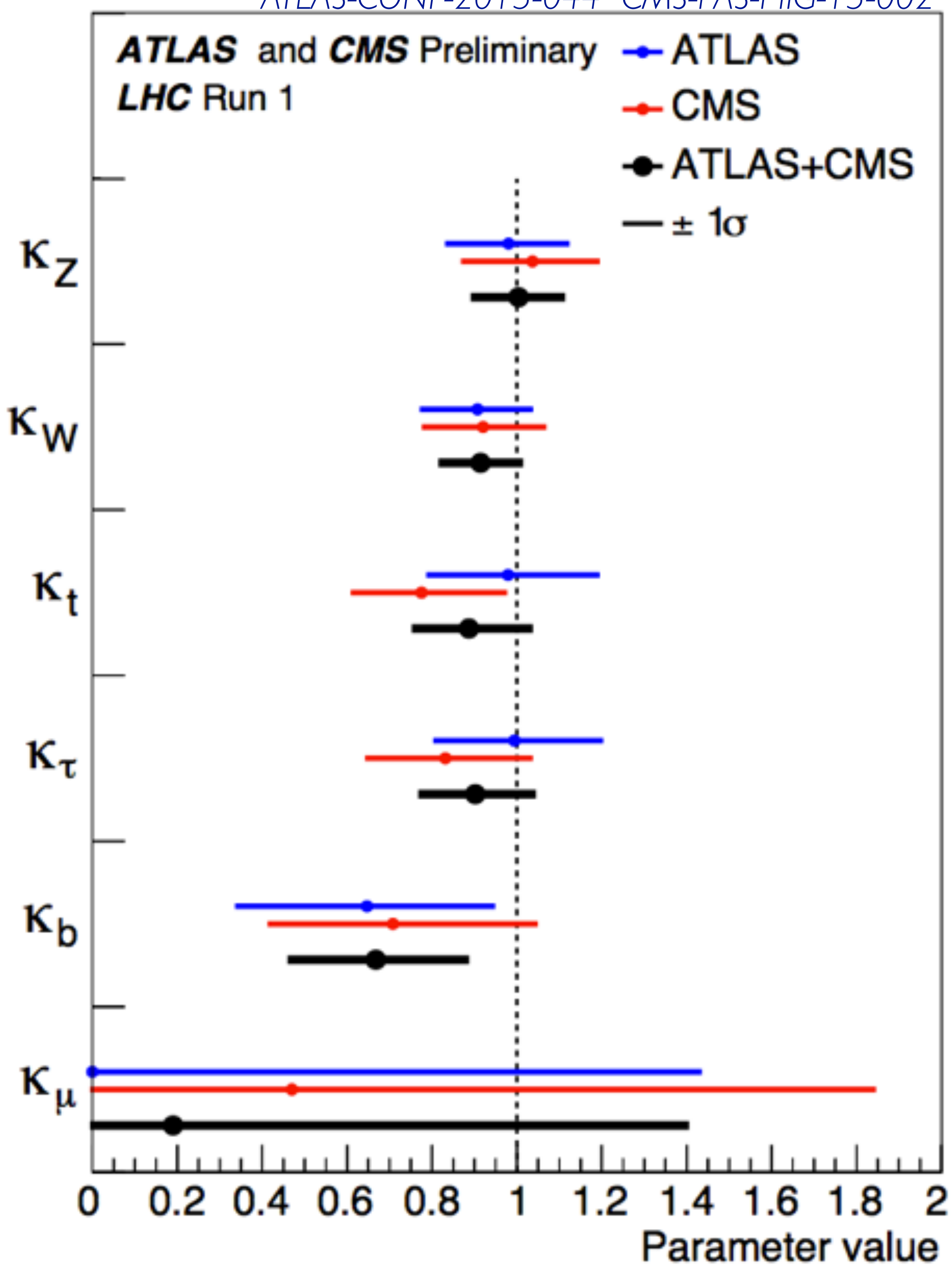
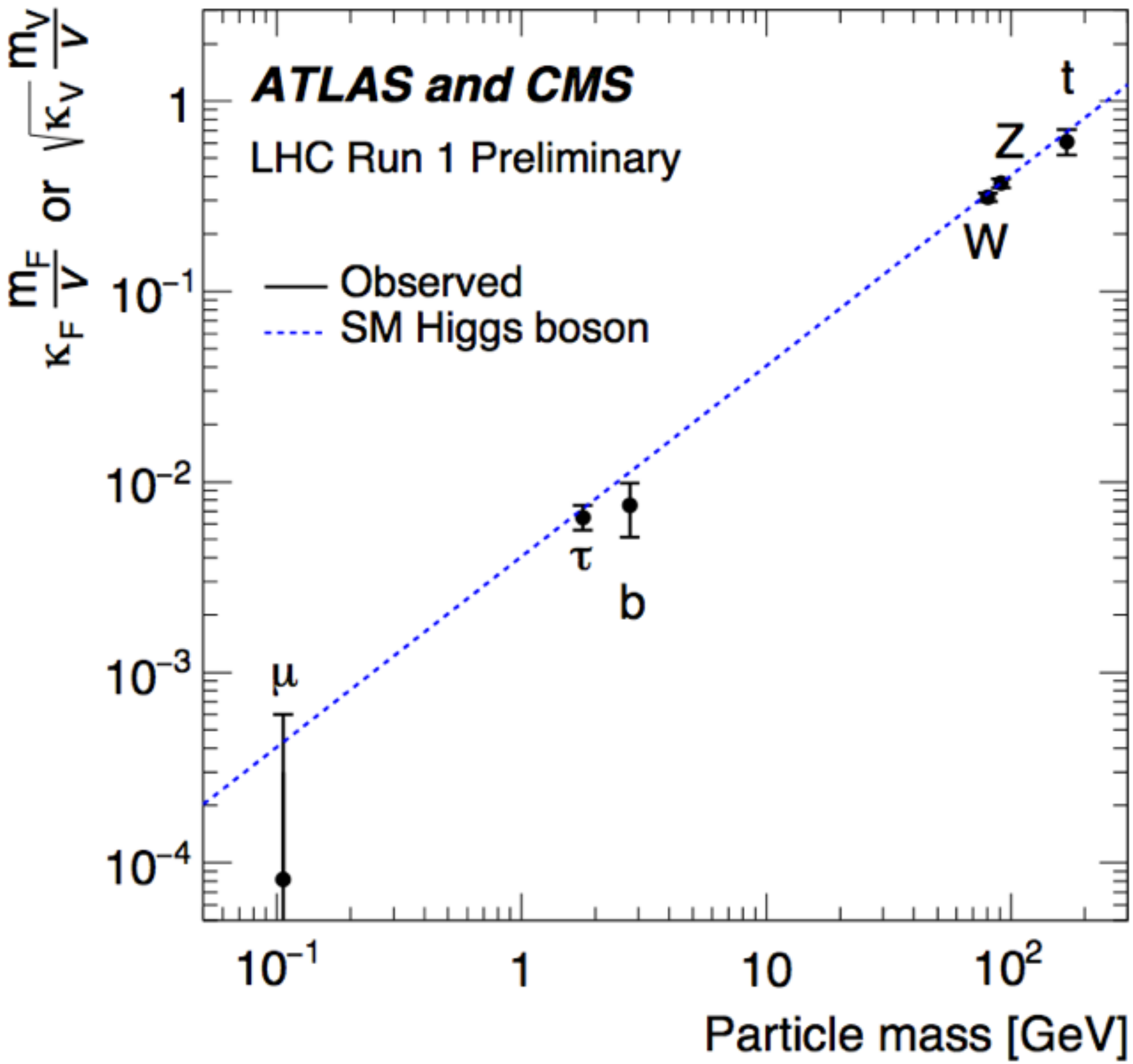


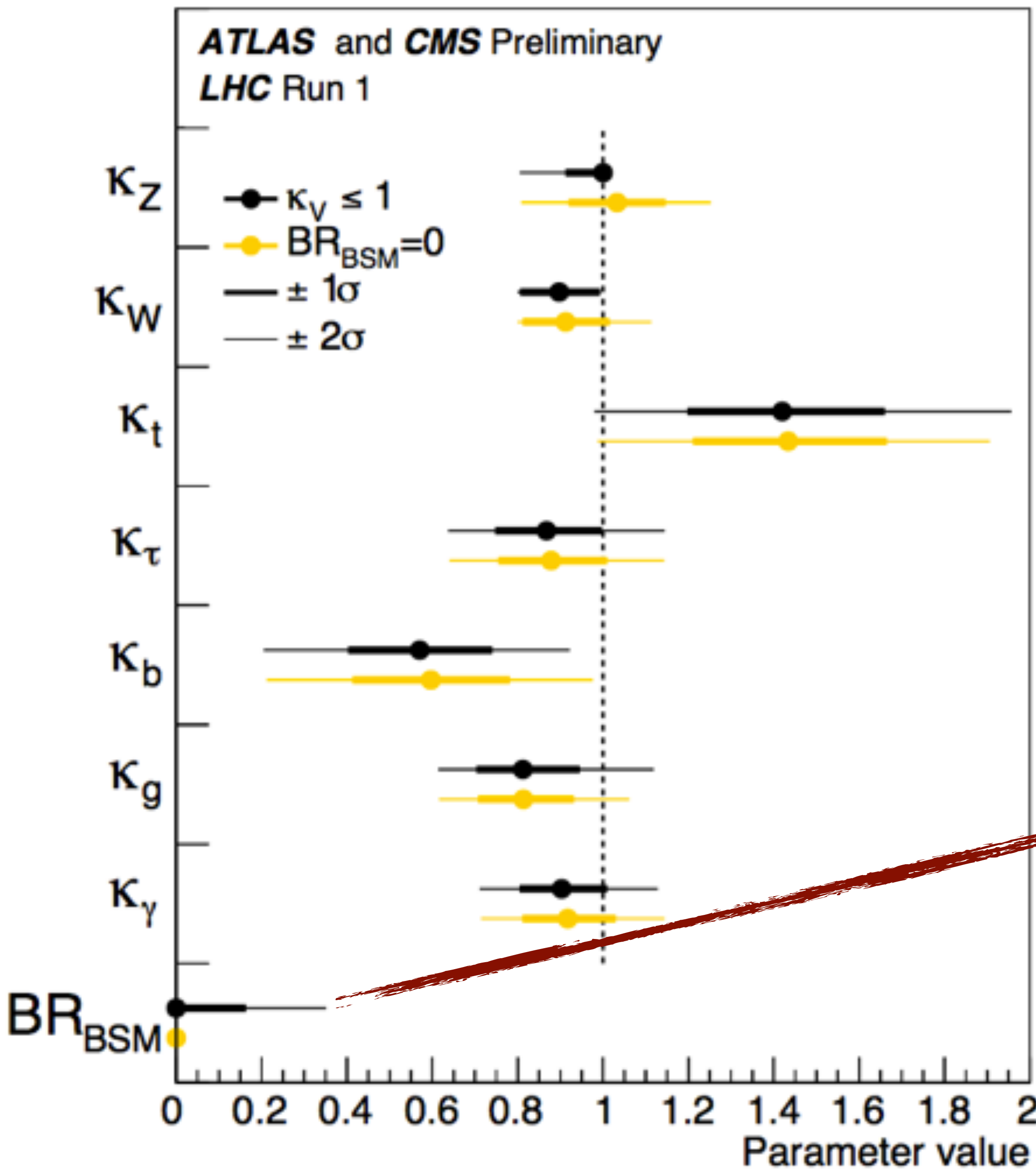
Couplings to fermions and bosons II

ATLAS-CONF-2015-044 CMS-PAS-HIG-15-002

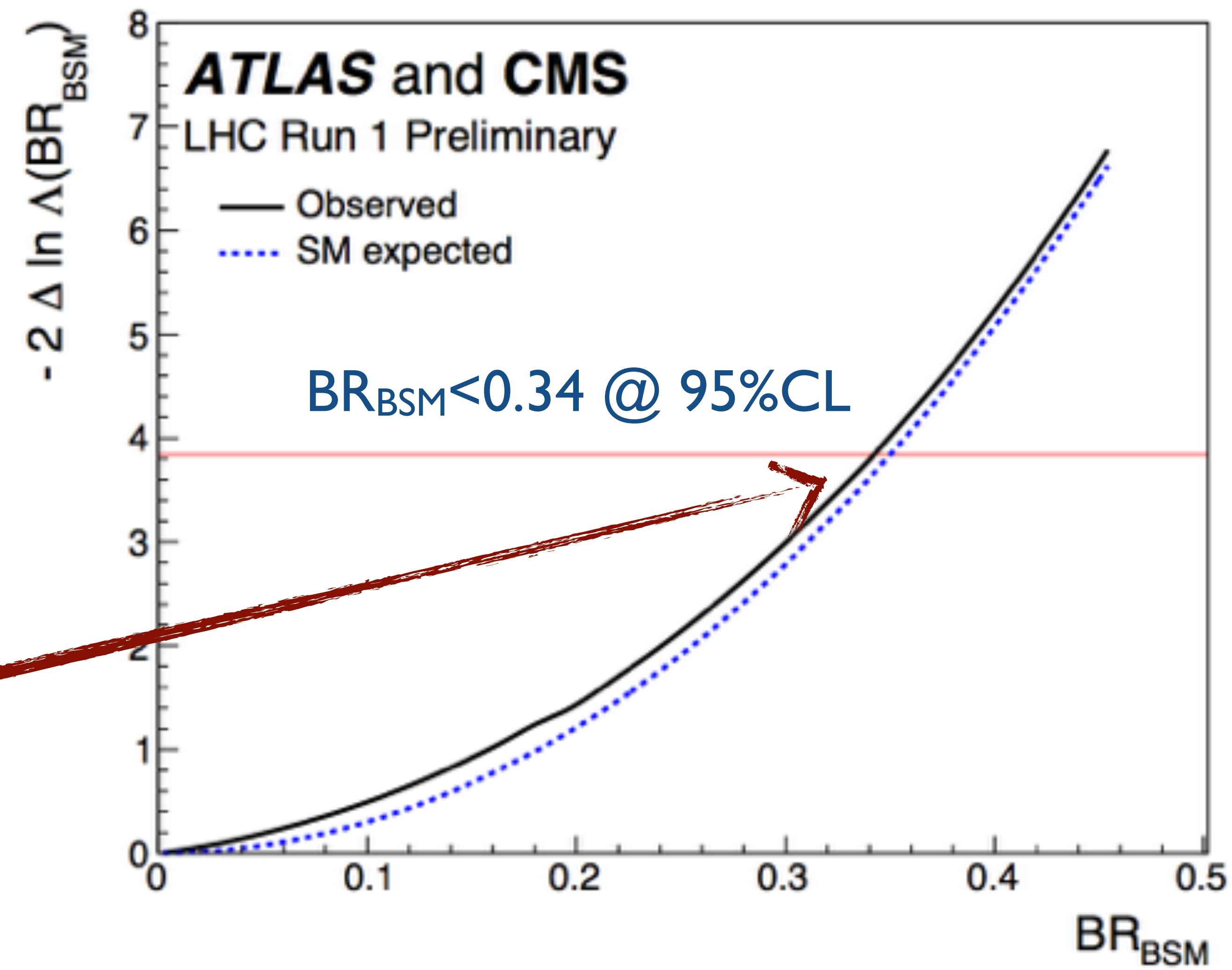


Beyond the standard model contributions I

- **The total width can't be extracted from σ.BR measurements**
  - test BR_{BSM} assuming couplings to vector bosons are reduced in strength
  - alternatively assume no new decays and test heavy particles in loops (gg and γγ)



- **Not yet any sign of new physics**



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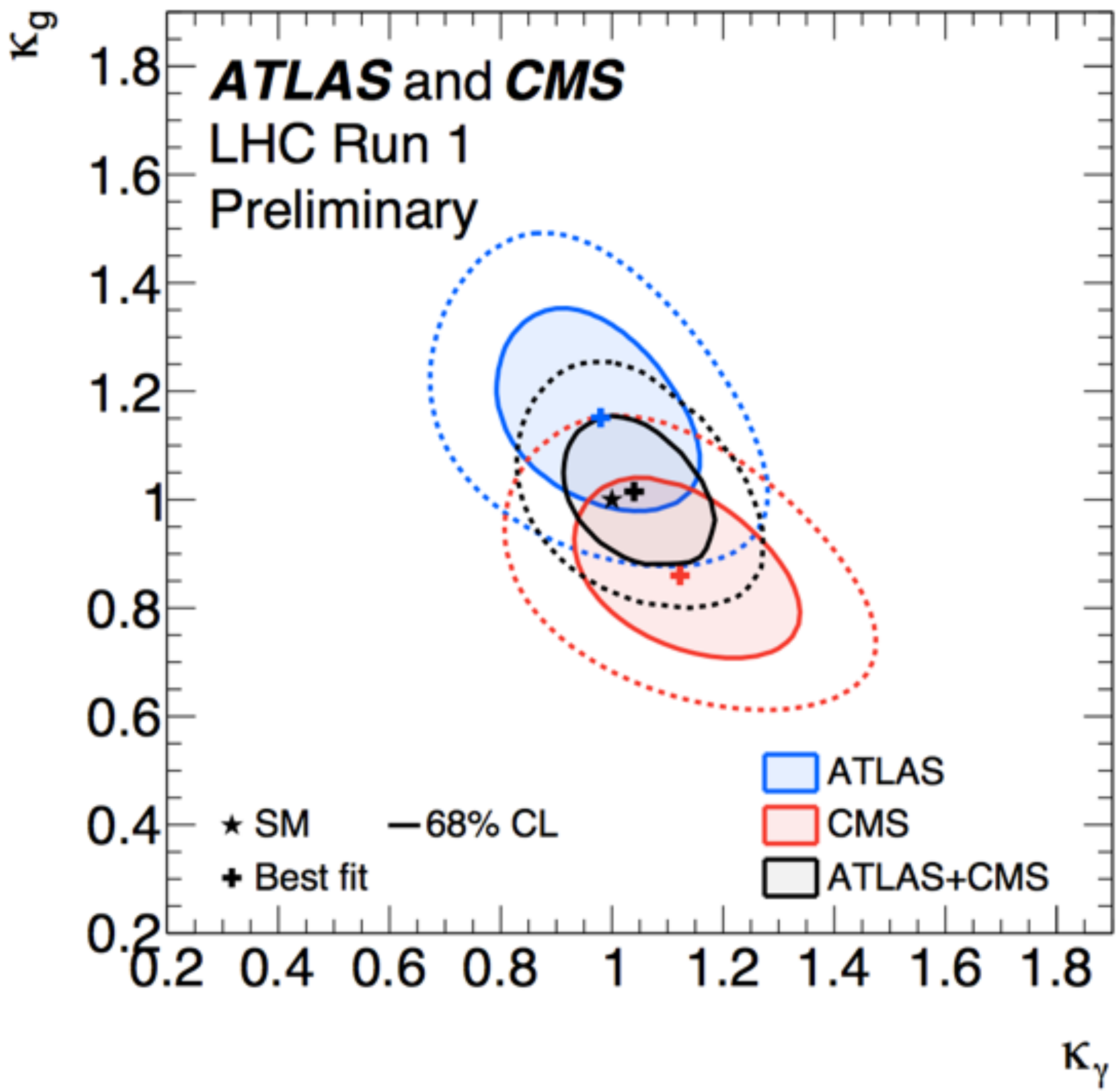
Beyond the standard model contributions II

- **Test modifications in the two main loops: gluon-gluon fusion and H→γγ decays**
  - tree level couplings are assumed to be SM-like
  - additional heavy fermions or a H^+ would modify the effective gluon or photon coupling



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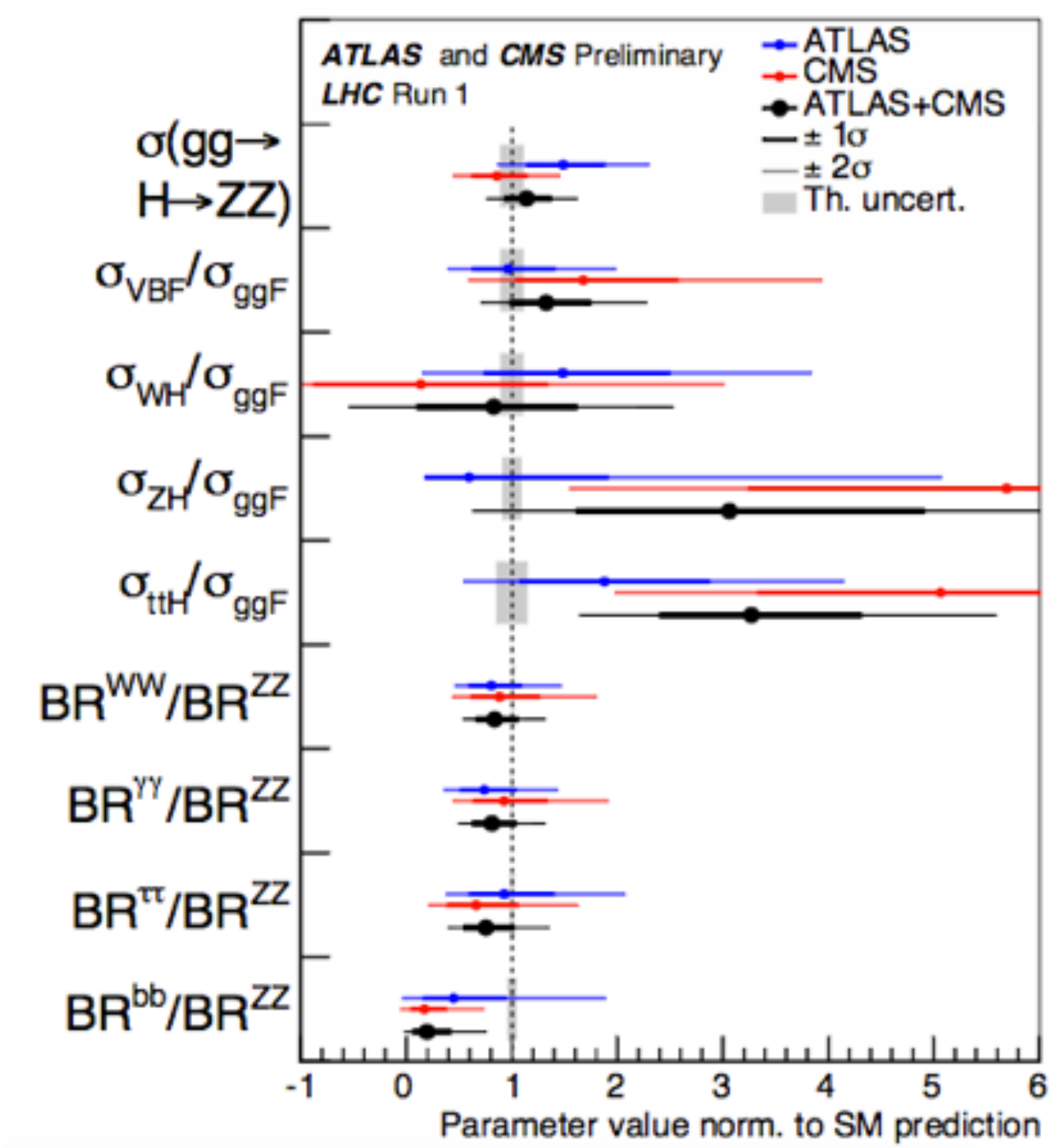
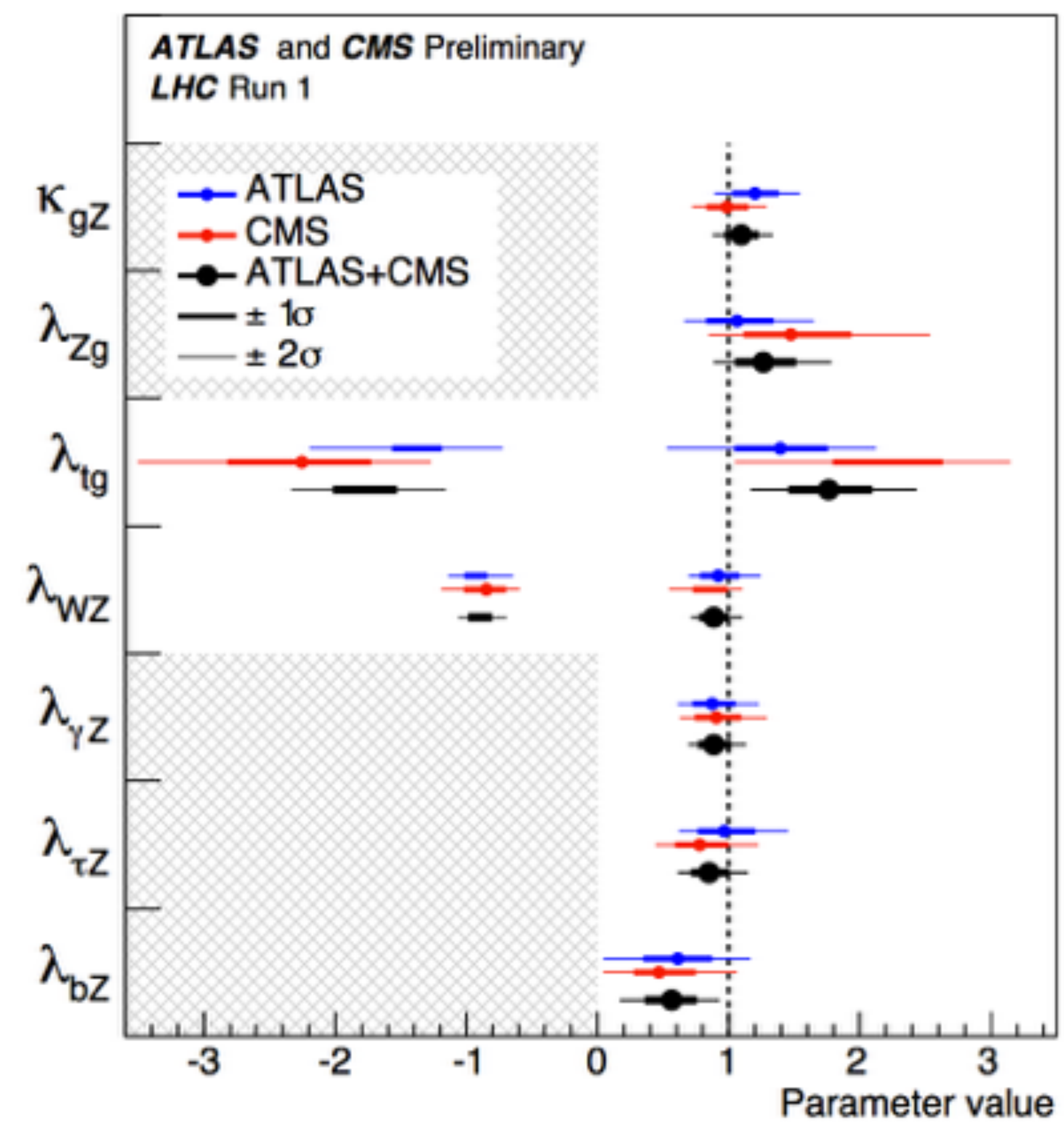
Generic parameterisations

- Ratios are useful to cancel partially the uncertainties
  - use gg→H→ZZ as reference (cleanest channel, lower systematics)
  - ratios of cross sections or of coupling modifiers show no significant deviations from SM
  - largest deviation in BR^{bb}/BR^{ZZ} due to large ZH and ttH observed (in particular in CMS)





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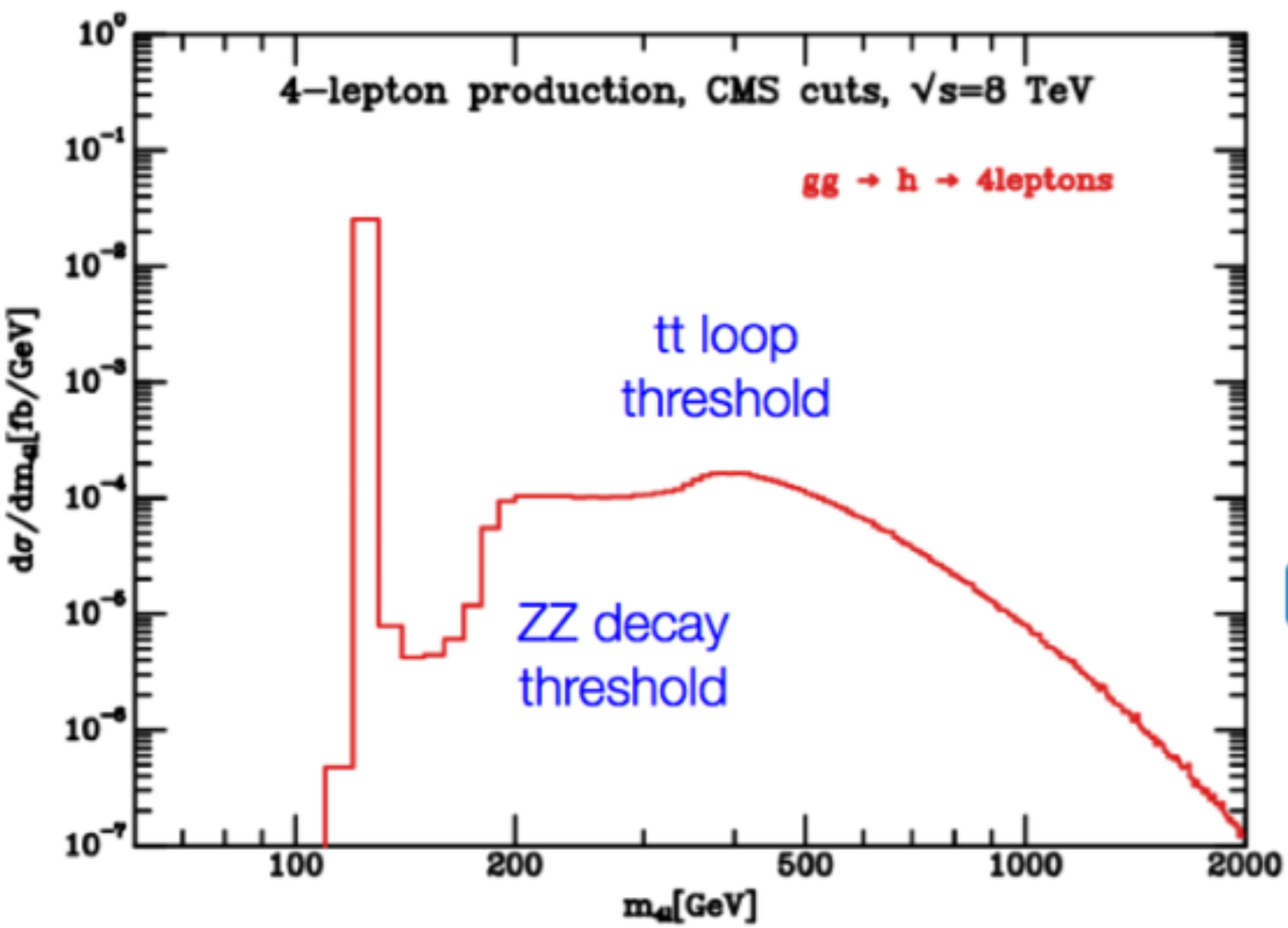
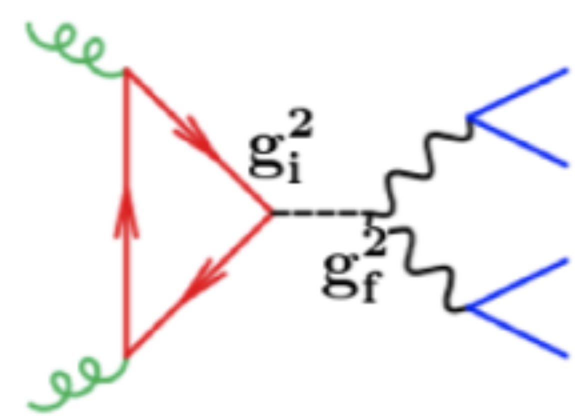
Case study: bounding the Higgs width

Higgs off-shell production and decay

- Although the SM Higgs is expected to be very narrow ~8% production is off-shell
  - mixed effect of production and decay with enhancements at $2m_V$ and $2m_t$ thresholds
  - modelling initially implementation in gg2VV by Kauer and Passarino, JHEP 08 (2012) 16
  - follow-up Caola and Melnikov PRD88 (2013) 054025, Campbell et al arXiv:1311:3589





	Tot[pb]	$M_{ZZ} > 2\,M_Z$[pb]	R[%]
$gg \to H \to$ all	19.146	0.1525	0.8
$gg \to H \to ZZ$	0.5462	0.0416	7.6

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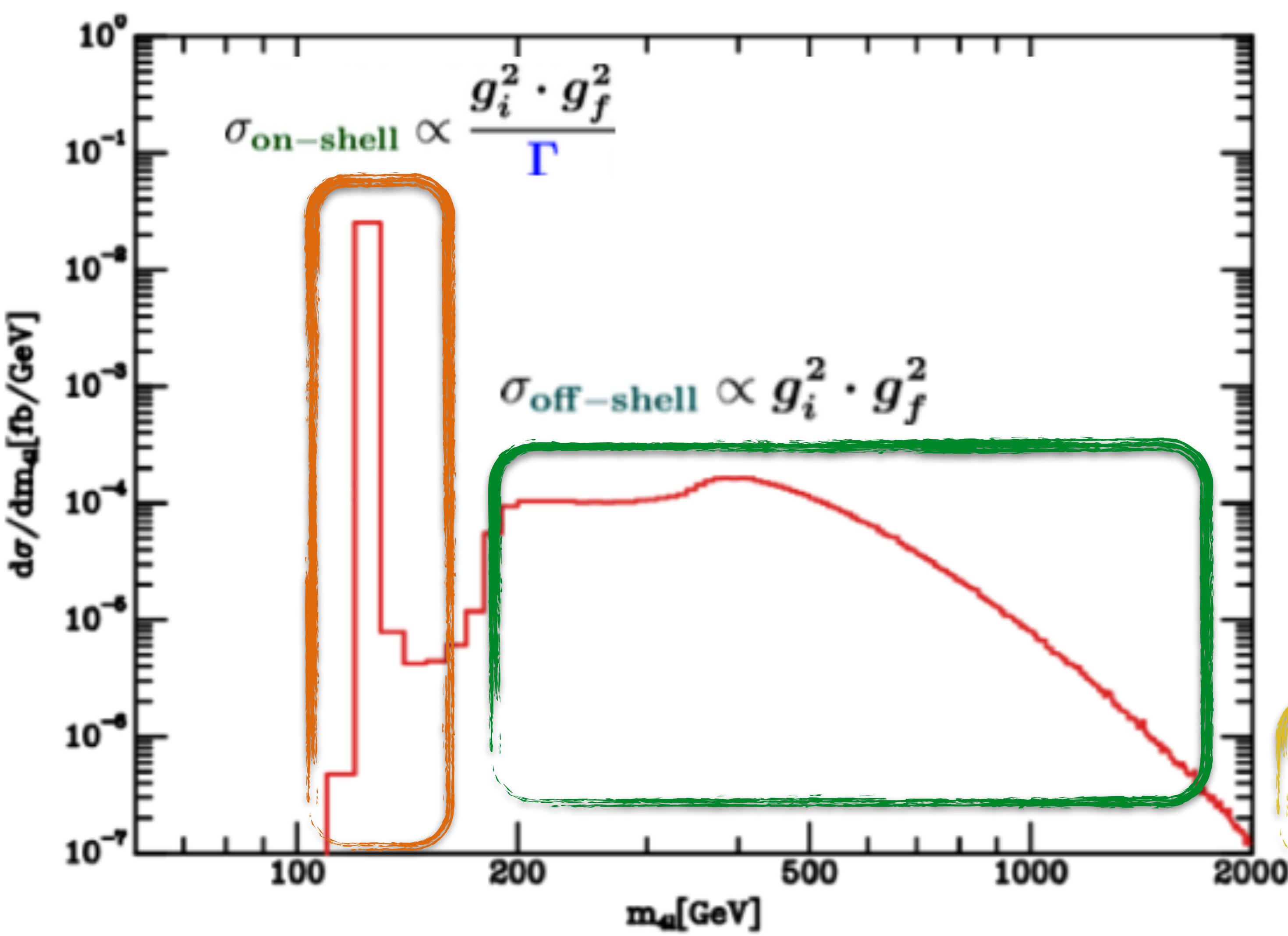
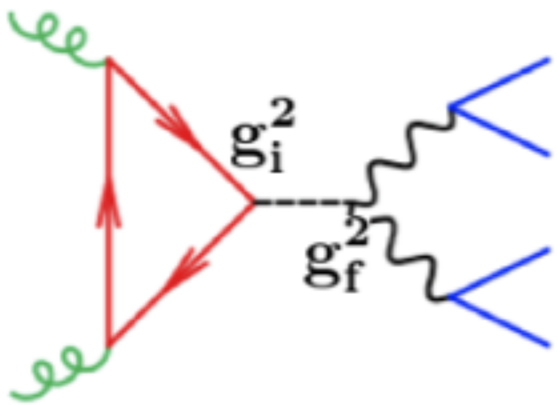


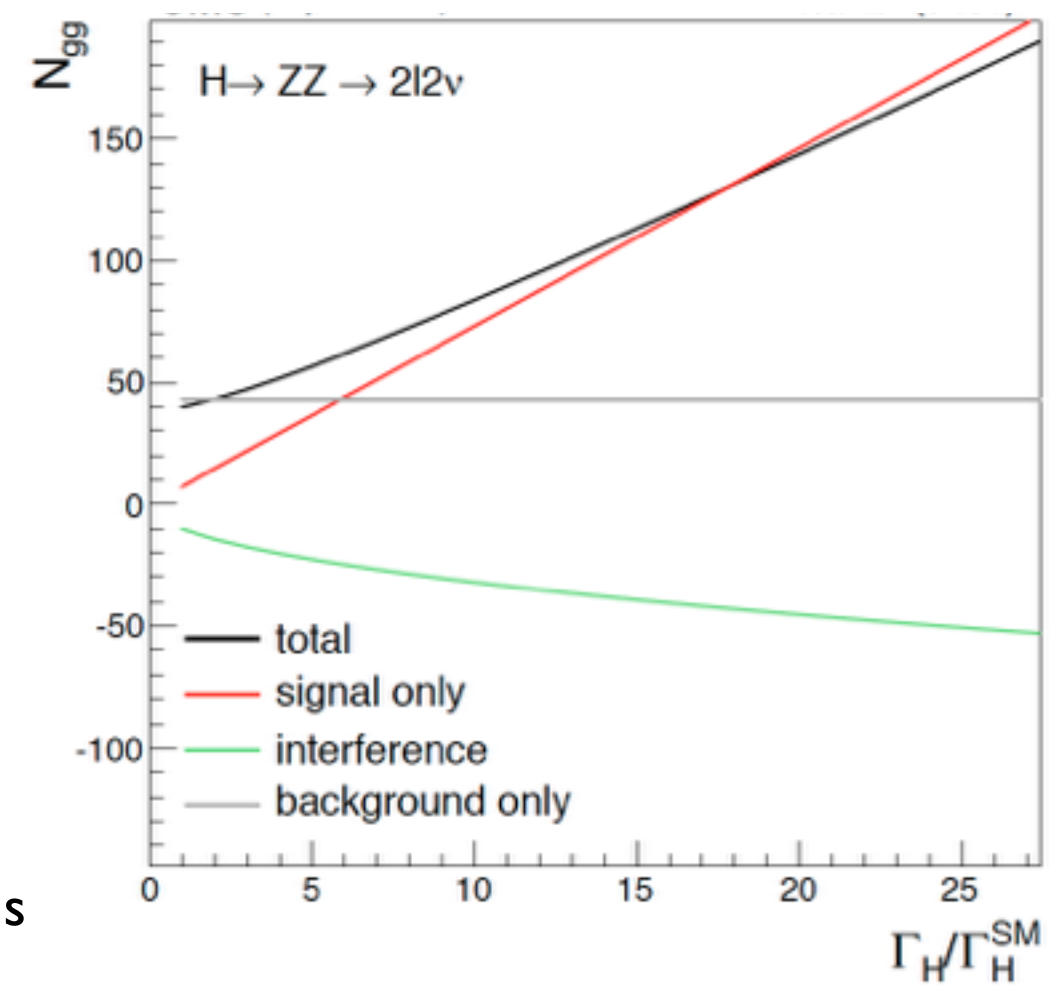


	Tot[pb]	$M_{ZZ} > 2M_Z$[pb]	R[%]
$gg \to H \to$ all	19.146	0.1525	0.8
$gg \to H \to ZZ$	0.5462	0.0416	7.6

Extract Γ, from off-shell / on-shell ratio, assuming couplings independent of m_{VV}

Analysis strategy

- Search for anomalous ZZ production through gluon-gluon and vector boson fusion
- Inclusive final state observed (4ℓ or $2\ell 2\nu$)
- Parametrisation for expected event yields contains
  - separate terms for signal, continuum and interference
  - separate gg and VBF components
  - profile likelihood fit is performed to different distributions

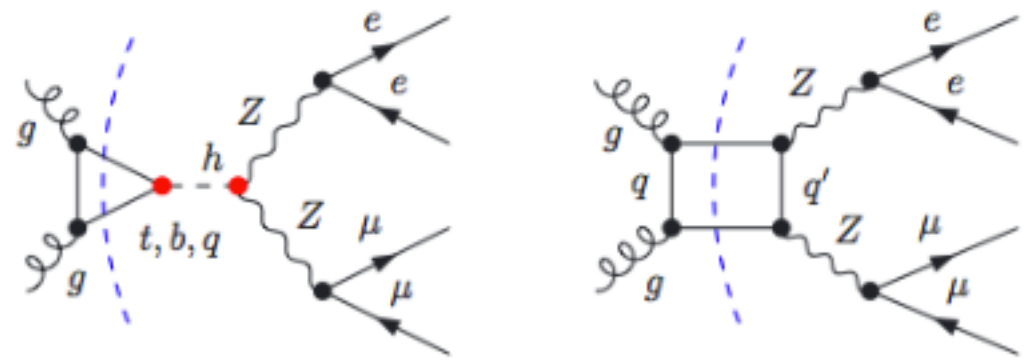


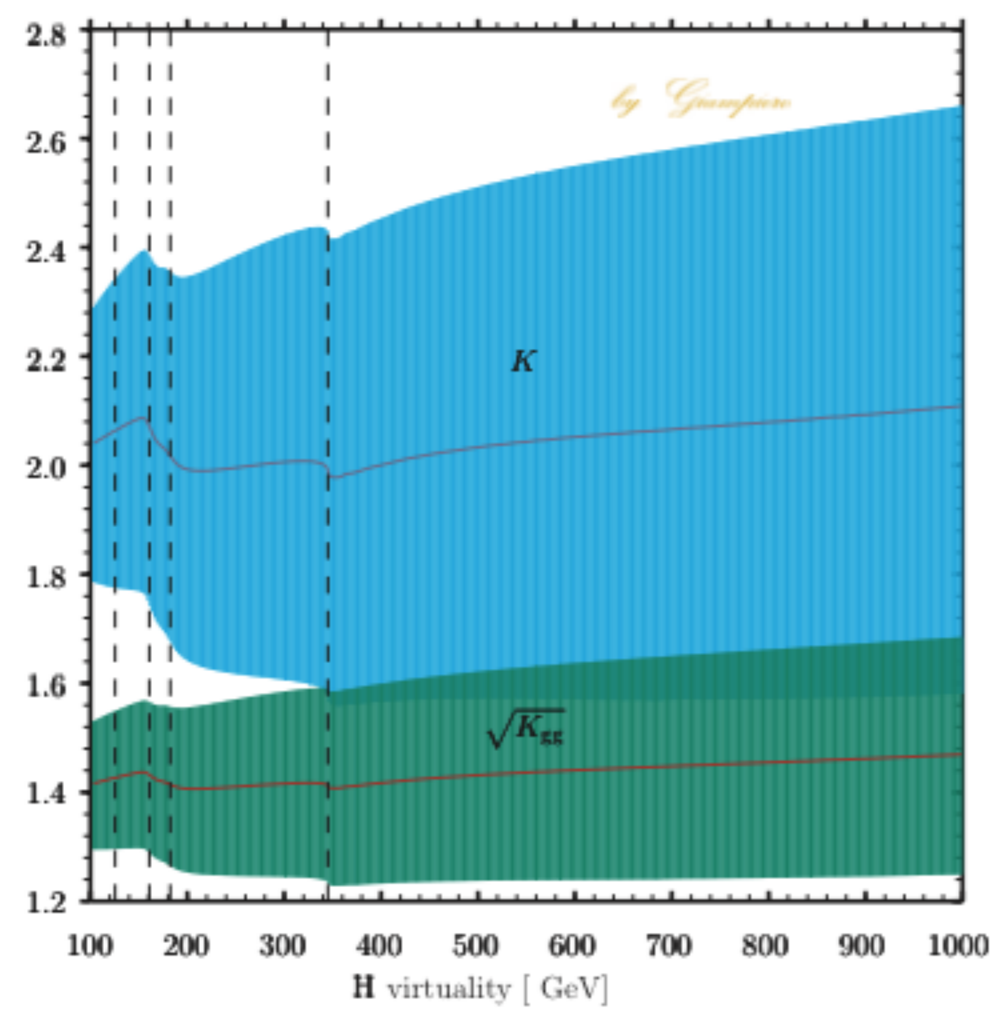
$$\mathcal{P}_{\rm tot}^{\rm off\text{-}shell}(\vec{x}) = \left[\mu_{\rm ggH} \times (\Gamma_{\rm H}/\Gamma_0) \times \mathcal{P}_{\rm sig}^{\rm gg}(\vec{x}) + \sqrt{\mu_{\rm ggH} \times (\Gamma_{\rm H}/\Gamma_0)} \times \mathcal{P}_{\rm int}^{\rm gg}(\vec{x}) + \mathcal{P}_{\rm bkg}^{\rm gg}(\vec{x})\right]$$
$$+ \left[\mu_{\rm VBF} \times (\Gamma_{\rm H}/\Gamma_0) \times \mathcal{P}_{\rm sig}^{\rm VBF}(\vec{x}) + \sqrt{\mu_{\rm VBF} \times (\Gamma_{\rm H}/\Gamma_0)} \times \mathcal{P}_{\rm int}^{\rm VBF}(\vec{x}) + \mathcal{P}_{\rm bkg}^{\rm VBF}(\vec{x})\right]$$
$$+ \mathcal{P}_{\rm bkg}^{\rm q\bar{q}}(\vec{x}) + \ldots$$

Signal models

- **ggH** modelled with gg2VV or MCFM (m_H=125.6 GeV)
  - inclusive generation: Higgs, continuum and interference
  - dynamic renormalisation and factorisation scales := $m_{ZZ}/2$
  - scaled with NNLO k-factors for gg → VV as function of m_{ZZ}

  Bonvini et al. PRD88 (2013) 034032, Passarino arXiv:1312.2397

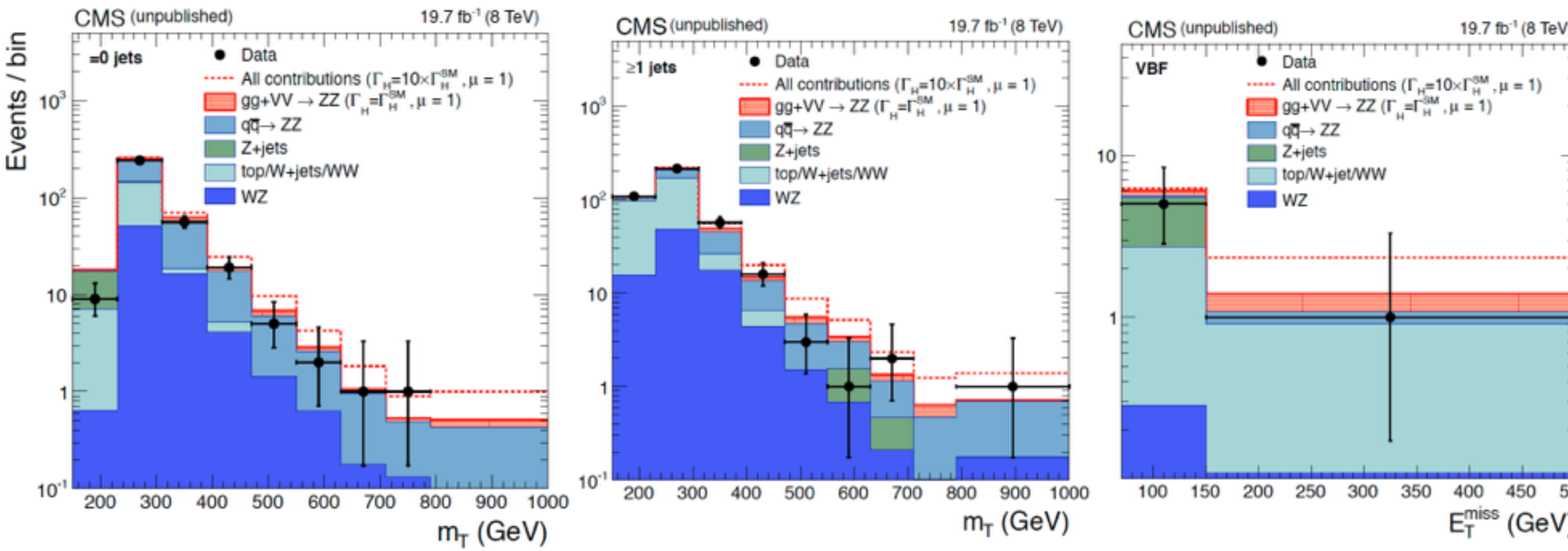




- **VBF** production is generated with Phantom or Madgraph
  - expect to yield ~10% in the high mass regime
  - inclusive generation, as in gg case
  - no dynamical scaling is applied on VBF models

Discriminators used in the $2\ell2\nu$ analysis

PLB 736 (2014) 64

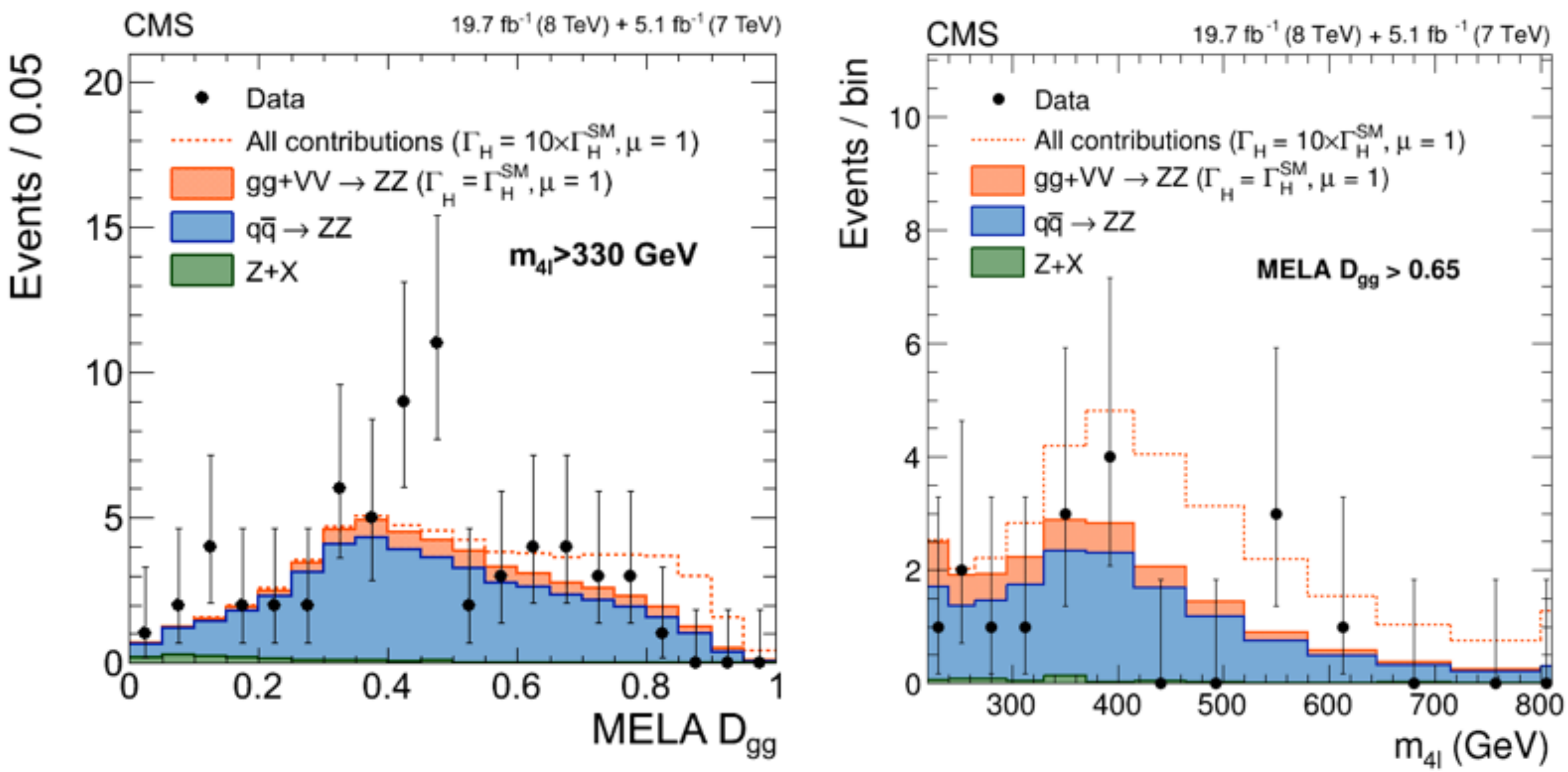


- Analysis has been checked inclusively and binned according to the jets
  - VBF category has priority, selected with M_{jj}>500 GeV, $\Delta\eta$>4 + central jet veto: use E_T^{miss}
  - if no VBF jet count jets with p_T>30 GeV : use transverse mass
- **Data is in agreement with the expectations, in all the categories**

Discriminators used in the 4ℓ analysis

- Use a matrix-element likelihood approach (MELA)
  - use information about Z masses and angles in the CM frame
  - optimize gg → ZZ separation according to expected sensitivity for Γ

PLB 736 (2014) 64



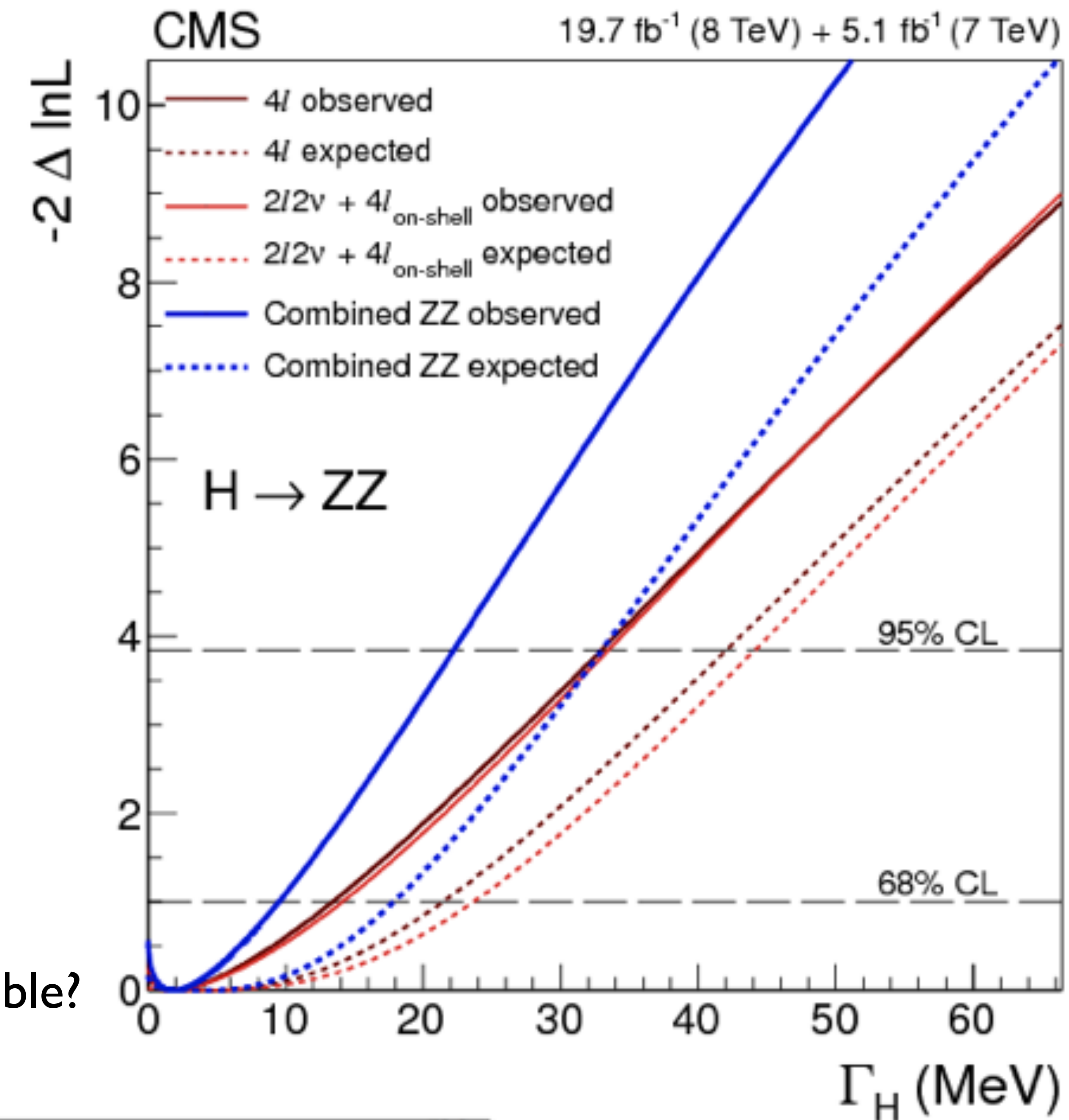
Results

- Both channels are combined to set limits

$\Gamma_H < 5.4\ \Gamma_H^{SM}$ @ 95% CL

still allowing large room for BSM contributions

- Observed limits are overall stringent then expected
  - improved agreement with NLO EWK corrections (WZ/ZZ production)
  - indicative that higher order corrections are non-negligible?



PLB 736 (2014) 64

Analysis	Observed/ Expected	95% CL limit on Γ_H (MeV)	95% CL limit on Γ_H/Γ_H^{SM}	Γ_H (MeV)	Γ_H/Γ_H^{SM}
4ℓ	Expected	42	10.1	$4.2^{+17.3}_{-4.2}$	$1.0^{+4.2}_{-1.0}$
	Expected (no syst.)	41	10.0	$4.2^{+17.1}_{-4.2}$	$1.0^{+4.1}_{-1.0}$
	Observed	33	8.0	$1.9^{+11.7}_{-1.9}$	$0.5^{+2.8}_{-0.5}$
$4\ell_{on-shell} + 2\ell 2\nu$	Expected	44	10.6	$4.2^{+19.3}_{-4.2}$	$1.0^{+4.7}_{-1.0}$
	Expected (no syst.)	34	8.3	$4.2^{+14.1}_{-4.2}$	$1.0^{+3.4}_{-1.0}$
	Observed	33	8.1	$1.8^{+12.4}_{-1.8}$	$0.4^{+3.0}_{-0.4}$
Combined	Expected	33	8.0	$4.2^{+13.5}_{-4.2}$	$1.0^{+3.2}_{-1.0}$
	Expected (no syst.)	28	6.8	$4.2^{+11.3}_{-4.2}$	$1.0^{+2.7}_{-1.0}$
	Observed	22	5.4	$1.8^{+7.7}_{-1.8}$	$0.4^{+1.8}_{-0.4}$

150x more stringent than from on-shell line-shape measurement

Conclusions

Conclusions

- All LHC Run I results point to a SM like Higgs
- For couplings we haven't yet entered precision era
  - more data is needed as well as better theory predictions
  - couplings to tops, muons still to be established at the LHC
  - others will be impossible ath the LHC (light quarks, electrons)
- Initial interpretations based on simplified frameworks
  - aiming for global EFT interpretations in Run 2
- There is still a long way to go to understand the Higgs sector
  - all that is needed is one small deviation from the SM predictions

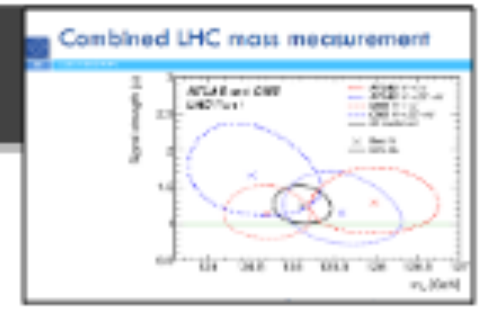
Monday, 18 April 2016

18:00 → 19:30 **Higgs Physics 1**

Introduction
Reminder of some shortcomings of the SM: masses, WW scattering.
The Higgs mechanism. Production and decay of the Higgs boson at colliders: LEP, Tevatron and LHC.
Previous searches at LEP and the Tevatron.

Speaker: Ricardo Jose Morais Silva Goncalo (LIP Laboratorio de Instrumentacao e Fisica Experimental de Part)

Monday, 2 May 2016

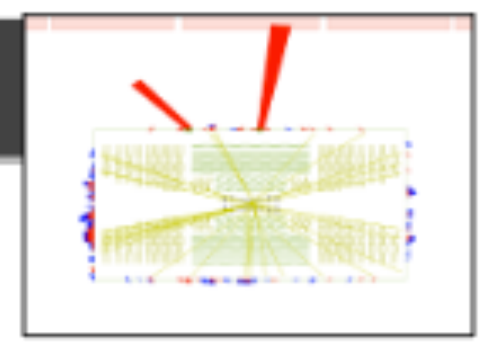


18:00 → 19:30 **Higgs Physics 2**

Combination of search results.
Models, properties, and interpretation.
Case-study of the coupling strengths.
Case-study of the hypothesis test for different spin-parity assignments.

Speaker: Pedro Vieira De Castro Ferreira Da Silva (CERN)

Tuesday, 10 May 2016



18:00 → 19:30 **Higgs Physics 3**

Summary of results from the discovery in the different channels.
Case-study of the H->WW search at ATLAS.

Speaker: Patricia Conde Muino (LIP Laboratorio de Instrumentacao e Fisica Experimental de Part)

Monday, 16 May 2016

18:00 → 19:30 **Higgs Physics 4**

Speaker: Michele Gallinaro (LIP Lisbon)